

A Mathematical Model for On-Target Off-Tumor Effect of CAR-T Cells on Gliomas

Daniela Silva Santurio¹ and Luciana Rodrigues Carvalho Barros²*

¹Computational Modeling Department, Laboratory for Scientific Computation, Petrópolis, Brazil, ²Center for Translational Research in Oncology, Instituto Do Câncer Do Estado de São Paulo, Hospital Das Clínicas da Faculdade de Medicina Do Universidade de São Paulo, São Paulo, Brazil

CAR-T cell immunotherapy involves genetically reprogrammed T-lymphocytes that interact with cancer cells and activate an anti-tumor immune response. This therapy has been approved for clinical use for hematological cancers, but new challenges have emerged in the treatment of solid tumors. Some of the challenges include the heterogeneity of antigen expression found in solid tumors, including antigen-positive non-tumoral cells, the immune inhibitory molecule expression, and CAR-T cell trafficking difficulty within the tumor microenvironment. We proposed a mathematical model to describe the "on-target" and "off-tumor" effects of CAR-T cell therapy on gliomas, and we investigated which parameters influenced the final outcome using a global sensitivity analysis. Our model highlights the dynamics of CAR-T cell therapy, tumor, and healthy populations (antigen-positive glia, antigen-negative glia, and neurons), and it provides novel insight into the consequences of "on-target" "off-tumor" effects, particularly in the neuronal loss.

OPEN ACCESS

Edited by:

Russell C. Rockne, Beckman Research Institute, City of Hope, United States

Reviewed by:

Heyrim Cho, University of California, United States RamRup Sarkar, National Chemical Laboratory (CSIR), India

*Correspondence:

Luciana Rodrigues Carvalho Barros luciana.rcbarros@hc.fm.usp.br

Specialty section:

This article was submitted to Translational Systems Biology and In Silico Trials, a section of the journal Frontiers in Systems Biology

> Received: 18 April 2022 Accepted: 31 May 2022 Published: 14 July 2022

Citation:

Santurio DS and Barros LRC (2022) A Mathematical Model for On-Target Off-Tumor Effect of CAR-T Cells on Gliomas. Front. Syst. Biol. 2:923085. doi: 10.3389/fsysb.2022.923085 Keywords: CAR-T cell, glioma, mathematical model, global sensitivity analysis, off-tumor effect

1 INTRODUCTION

Gliomas are the most common malignant disease of the adult central nervous system, with estimated total cases of around 300,000 worldwide (IARC, 2020). In Brazil, central nervous system neoplasms represent approximately 5% of all tumors (5.22% for men, 4.17% for women) according to INCA (Brazilian National Institute of Cancer, estimative for 2020). Glioblastoma is the most common type of glioma. The current standard-of-care treatment for gliomas consists of surgery, radiotherapy, and chemotherapy with temozolomide. Moreover, tumor location makes surgical resection extremely difficult and with the potential to cause severe side effects. The use of immunotherapies for treating cancer greatly impacts patients' overall survival. A combined adoptive cell transfer and gene therapy, known as Chimeric Antigen Receptor T (CAR T) cells), has been approved by several regulatory agencies for the treatment of hematological malignancies (Elsallab et al., 2020). In this treatment, the patient's own T-lymphocytes are genetically reprogrammed to recognize antigens expressed by tumor cells, and upon contact, they become activated and kill the target. For hematological cancers (leukemias and lymphomas), this therapy has been successfully applied, but for solid tumors (carcinomas, sarcomas, and melanomas), new challenges have emerged.

Gliomas now have over 50 clinical trials using CAR-T cells registered on clinicaltrials.gov, making them the most common solid malignancy treated with CAR-T cell therapy (Barros et al., 2022). The most common CAR-T cell targets are disialoganglioside GD2, epidermal growth factor receptor

1

(EGFR), HER2, IL-3Ra2, and B7H3 (Elsallab et al., 2020; Prapa et al., 2021). Moreover, another challenge with CAR-T cell therapy is the heterogeneous antigen expression on tumor cells, which can be circumvented by multi-target therapy. In a very recent success of a first-in-human trial using GD2-CAR-T cells by sequential intravenous (IV) and intracerebroventricular (ICV) delivery, safety and early signs of clinical activity were observed (NCT04196413) (Prapa et al., 2021; Majzner et al., 2022). Toxicity was observed at the tumor location and the off-tumor effect was not observed, but several neurological symptoms were observed related to an inflammation in the central nervous system, called tumor inflammation-associated neurotoxicity. Four patients received GD2-CAR-T cells and responded to therapy in the following weeks. However, all patients presented an increase in tumor volume after treatment, despite the ICV delivery.

Antigen expression heterogeneity presented by solid tumors, the hostile microenvironment, and the CAR-T cell trafficking between the injection site and the tumor are some of the factors that have been studied to better understand the therapy dynamics (Marofi et al., 2021). Another concern is the antigen target, which is not exclusively expressed by the tumor cells, and the overall offtumor effects on healthy cell populations are yet to be evaluated. Although "off-tumor" effects are critical in CAR-T cell therapy, pre-clinical studies using human tumor cell lines xenografts on immunodeficient mouse models are not adequate to evaluate this effect, because human protein expression is restricted to the tumor cell line. Even a very small antigen expression can cause serious or fatal adverse events (Morgan et al., 2010; Van Den Berg et al., 2015). Several strategies based on the CAR structure or in combination are taken to avoid severe side effects, but the target antigen is still the key (Safarzadeh Kozani et al., 2021; Sterner and Sterner, 2021). On the other hand, human trials are emerging, and safety is still the primary endpoint, but the "off-tumor" effect is hard to evaluate directly in situ by biopsies. To help address this point, we propose a mathematical model to describe the "on-target" "off-tumor" effect of CAR-T cell therapy for gliomas. Other mathematical models involving gliomas were developed with a distinct focus such as neuron-glia interaction under chemotherapy (Iarosz et al., 2015), predicting the efficacy of surgery (Swanson, Rostomily and Alvord, 2008), or radiotherapy (Rockne et al., 2010). More recently, a mathematical model for CAR-T cell therapy for glioma used in vitro real-time cytotoxicity experiments to parametrize a so-called CARRGO model (Sahoo et al., 2020). This model was extended to assume more than one CAR-T cell binding to the glioma cell (Liu et al., 2021). Also evaluating an offtumor effect on CD19⁺ cells, a dual-target CAR-T cells and glioma model was developed to simulate an increase in CAR-T cell expansion in order to overcome the profound suppressive microenvironment (León-Triana et al., 2021).

2 MATERIALS AND METHODS

We assumed that a single dose of CAR-T cells was introduced into the tumor site as an adoptive therapy. The dynamics of CAR- T cells rely on their ability to expand, to naturally die, the inhibition they undergo due to the existence of tumor cells, and their cytotoxic effect in populations that present the antigen. As we are dealing with a glioblastoma, both the tumor and glial cells can be affected by the treatment. Ideally, the target antigen would be expressed exclusively by the tumor cells. However, as it is not the case for glioma and GD2-CAR-T cells, a small fraction of healthy glial cells could express it. We divide the glial cells into two populations: antigen-positive (sensible to CAR-T cell mediated death) and antigen-negative (not sensible/resistant to CAR-T cell mediated death). All tumor cells were considered sensible to CAR-T cells. Both are logistically growing and compete for nutrients and space with the tumor. The depletion of sensible glial cells will lead to an irreversible neuronal loss, given that the neuronal population depends on glial cells to survive and has no proliferative capacity. Finally, the tumor shows logistic growth and can either be inhibited by a particular type of glia cell-the microglia-or by the CAR-T cells (Figure 1).

2.1 Mathematical Model

The mathematical model presented in this paper is comprised of an ODE system that describes the interplay between a tumor population T(t), the CAR-T cells population C(t) and two different healthy cell populations: the neurons N(t) and the glial cells $G(t) + \overline{G}(t)$. In this model, we assume that the target antigen can be detected in healthy cells, that the glial cell population can be partially damaged by the treatment, and therefore, will be described as glial cells without the antigen G(t)and glial cells with the antigen $\overline{G}(t)$. Our model's equations are described by:

$$\frac{dC}{dt} = \frac{\rho_c C \left(T + \bar{G}\right)}{g_T + \left(T + \bar{G}\right)} - \alpha CT - \frac{1}{\tau_C}C \tag{1}$$

$$\frac{dT}{dt} = \Omega_{\rm T} T \left(1 - \frac{T}{K} \right) - \Psi_{\rm T} \left(G + \bar{G} \right) T - \gamma_T T C \tag{2}$$

$$\frac{d\bar{G}}{dt} = \Omega_g \bar{G} \left(1 - \frac{\bar{G}}{\bar{K}} \right) - \Psi_g \bar{G}T - \gamma_g \bar{G}C \tag{3}$$

$$\frac{dG}{dt} = \Omega_g G \left(1 - \frac{G}{K - \bar{K}} \right) - \Psi_g G T \tag{4}$$

$$\frac{dN}{dt} = \psi \left(\frac{dG}{dt} + \frac{d\bar{G}}{dt}\right) H \left[-\left(\frac{dG}{dt} + \frac{d\bar{G}}{dt}\right) \right] N \tag{5}$$

The first right-hand side term in Eq. 1 corresponds to the CAR-T cell proliferation due to the interaction with antigenpositive populations, which are tumor cells (*T*) and the sensible glial cells (\overline{G}). This term represents the saturated effects of CAR-T cells in a Michaelis–Menten form and is an analog of those used by (Kuznetsov et al., 1994; De Pillis et al., 2013) for cytotoxic T-cells, ρ_c is the recruitment rate, and g_T is the half-saturation constant. Immune inhibitory mechanisms will be considered through (α), and the combination of CAR-T cell therapy and immune checkpoint blockade would reduce its value. The last term comprises the natural death of these cells.

In **Eq. 2**, the first term stands for the glioma growth defined by standard logistic law with carrying capacity *K* and intrinsic net



tumor cells and antigen-positive glial cells (G) (sensible). Tumor cells (7) proliferate, inhibit CAR-T cells, and compete with all glial cell populations. Glial cells were divided into two subpopulations, antigen-positive and -negative populations, according to the CAR-T cell target antigen. Only antigen-positive glial cells are sensitive to CAR-T cell cytotoxicity. All glial cells proliferate, compete with the tumor, and are responsible for neuronal (N) survival.

growth rate $\Omega_{\rm T}$. The second term is the immune system's effect on tumor progression (Toma et al., 2012). As the tumor secretes cytokines that act as chemoattractants for microglial cells, these become activated and initiate an immune response at a rate $\Psi_{\rm T}$. Lastly, the term $\gamma_T TC$ expresses an anti-tumor cytotoxicity mechanism, and the mass-action law describes that CAR-T cells kill tumor cells upon contact at a constant rate γ_T (Barros et al., 2021).

In Eq. 3–4 the glial cells also present logistic growth with a net rate Ω_g , total carrying capacity K, and a limited carrying capacity \bar{K} corresponding only to the antigen-positive population. The rate Ψ_g describes the tumor resistance to the activated microglial cells when the glioma cells release immune suppressive factors to defend themselves by inhibiting the immune effector response (Iarosz et al., 2015). Finally, in Eq. 3, the glial cells that express the antigen will be attacked by the CAR-T cells at a rate γ_g .

The interaction between all healthy cells, namely the neurons (N) and glial populations (G + G), is presented in Eq. 5. Glial cells are indispensable to neuron elasticity and are required both in vitro and in vivo for neuron survival. (Clarke, Lumsden and McInnes, 2001) demonstrated that the kinetics of neuronal loss in many forms of both inherited and acquired neurodegeneration can be described as an exponential decay. (Clarke and Lumsden, 2005b) show that a stretched exponential is also well suited to the description of neuronal cell death in complex tissues, and (Clarke and Lumsden, 2005a) evaluate different frequency distributions for neuronal death in which the risk factors vary within the population; for example, due to regional heterogeneities in the cellular microenvironment. In order to investigate the impact of CAR-T cell treatment on neuronal loss, our model uses the same approach proposed by (Iarosz et al., 2015), described using Eq. 5, which represents an exponentially decaying function of N(t), given by $N(t) = e\Lambda[\dot{G}(t) + \bar{G}(t)]$, where $\Lambda = \psi H[.], \psi$

represents the interaction between glia-neuron and H[x] is the Heaviside function defined by:

$$H[x] = \begin{cases} 0, x \le 0\\ 1, x > 0 \end{cases}$$
(6)

which modulates the decrease in the neuron population when the glial concentration decreases and a null contribution if the glial concentration is null or positive.

Thus, the presented model describes the effects of the biological dynamics between tumoral, CAR-T, and healthy populations in the brain. With a set of twelve positive parameters as described in the next section, we used the explicit fourth-order Runge–Kutta method as the numerical procedure to solve the mathematical system of equations. We believe that the proposed model will provide insights into several aspects of population dynamics and can be used to investigate the roles of each individual parameter on therapy outcome. These issues are investigated in the next section.

2.2 Parameter Estimation

This model presents several parameters to be estimated. In some scenarios, numerical ranges could be found in the biological literature. However, when no relevant information was provided, we chose parameter values that allowed the model to behave in a biologically plausible manner. **Table 1** provides a summary of the parameter descriptions as well as their numerical values, and we will next describe and detail the data used in the simulations.

2.2.1 CAR-T Cells

Monitoring real-time CAR-T cells in the brain is impractical, and very few studies around the world use this experimental therapy

Mathematical Model of CAR-T Cells for Gliomas

TABLE 1 | Model parameters for Eqs 1-5.

Parameter	Description	Value	References
PC	CAR-T proliferation rate	0.2 – 0.9 day ⁻¹	(Stein et al., 2019; Leon-Triana et al., 2021; León-Triana et al., 2021)
gτ	T cell concentration for half-maximal CAR-T cell proliferation	10 ¹⁰ cells	León-Triana <i>et al.</i> (2021)
τ_C	CAR-T cells lifespan	7–28 days	Ghorashian <i>et al.</i> (2017)
α	Tumor inactivation rate	2[10 ⁻¹² - 10 ⁻¹⁰] cell ⁻¹ day ⁻¹	(De Pillis et al., 2013; Radunskaya, Kim and Woods, 2018)
Ω_{T}	Glioblastoma proliferation rate	0.01 – 0.14 day ⁻¹	(Swanson, Rostomily and Alvord, 2008; Rockne et al., 2010)
K	Carrying capacity	8.5×10^{11} cells	Lent <i>et al.</i> (2012)
Ψ_{T}	Competition coefficient between glial cells and tumor	$2.571 \times 10^{-15} \text{ cell}^{-1} \text{day}^{-1}$	(Luders, Steinmetz and Jincke, 2002; Rodrigues, 2011; larosz et al.,
	cells		2015)
			Estimated
γ_T	Killing efficiency from the CAR-T cells against GBM	$2.5 \times 10^{-11} \text{ cell}^{-1} \text{day}^{-1}$	León-Triana <i>et al.</i> (2021)
Ω_g	Glial cells proliferation rate	0.0068 day ⁻¹	Pinho <i>et al.</i> (2013)
			$\Omega_q < \Omega_T$
ψ	Interaction coefficient between glial cells and neurons	$2.8 \times 10^{-12} \text{ cell}^{-1} \text{day}^{-1}$	Pinho <i>et al.</i> (2013)
Ψ_g	Competition coefficient between tumor cells and glial	$2.571 \times 10^{-14} \text{ cell}^{-1} \text{day}^{-1}$	(Luders, Steinmetz and Jincke, 2002; Rodrigues, 2011)
	cells		Estimated
			$\Psi_{\alpha} > \Psi_{\top}$
γ_g	Killing efficiency from the CAR-T cells against glial cells	2.5[10 ⁻¹⁰ - 10 ⁻¹¹] cell ⁻¹ day ⁻¹	Estimated

for gliomas. One of the reasons that led us to develop a mathematical model is to investigate system dynamics with existing data, which might guide new experiment designs and provide accurate data for mathematical models. On the other hand, CAR-T cell dynamics for leukemia have been explored in the last 10 years, easily assessable by the blood and bone marrow. The biology of CAR-T cells *per se* is independent of the tumor diagnosis, as T cells from patients are modified *in vitro* and maintain the same characteristics.

In Eq. 1, ρ_c is the CAR-T proliferation rate and is related to the expansion phase in a typical diagram of CAR-T kinetics. Depending on the properties of the CAR-T product, this rate changes. (León-Triana et al., 2021) propose a range of 0.2 - 0.9 day⁻¹ based on previous work of (Stein et al., 2019; Leon-Triana et al., 2021) for B-cell leukemia. Furthermore, (Liu et al., 2021) demonstrate that solid tumors appear to be associated with a CAR-T proliferation rate ρ_c of approximately 0.2 – 1.2 day⁻¹. One can notice that the proliferation rate range for both leukemia and solid tumors appears to have the same magnitude, but gliomas have been observed to have a low proliferation capacity in situ. The expansion phase will be limited and reduced using the Michaelis-Menten approach with a saturation of $q_T = 10^{10}$ cells (León-Triana et al., 2021), that refers to the T cell concentration for half-maximal CAR-T cell proliferation.

The CAR-T cells lifespan τ_C ranges from 7 to 28 days (Ghorashian et al., 2017), and for α —the tumor inactivation rate—(De Pillis et al., 2013) uses $q \approx 0.3422 \times 10^{-11}$ cell⁻¹day⁻¹ for activated CD8⁺T cells, and (Radunskaya, Kim and Woods, 2018) uses $c \approx 9.42 \times 10^{-12}$ cell⁻¹day⁻¹ as the rate of T cell deactivation.

2.2.2 GBM Cells

Using only routinely available pre-treatment MRIs to inform the patient-specific proliferation rate for glioblastoma cells, (Rockne

et al., 2010) found a range of approximately $\Omega_{\rm T} = 0.01 - 0.14$ day⁻¹ for a group of nine patients, and (Swanson, Rostomily and Alvord, 2008) established a mean value of $\Omega_{\rm T} = 0.012$ day⁻¹. The carrying capacity is defined $K = 8.5 \times 10^{11}$ cells (Lent et al., 2012) and assuming for the brain that $1m^3/kg \approx 7.14 \times 10^{-10}$ cell⁻¹ (Luders, Steinmetz and Jincke, 2002; Rodrigues, 2011), it is possible to infer from (Iarosz et al., 2015) that the competition coefficient $\Psi_{\rm T} \cong 2.571 \times 10^{-15}$ cell⁻¹day⁻¹. The killing efficiency off the CAR-T cells is taken from (León-Triana et al., 2021), as $\gamma_T = 2.5 \times 10^{-10}$ cell⁻¹day⁻¹.

2.2.3 Healthy Cells

In Eqs. 3–5, it is assumed that healthy cells proliferate at a slower rate than cancer cells, meaning that $\Omega_g < \Omega_T$, and are taken from (Pinho et al., 2013), where the proliferation rate $\Omega_g = 0.0068$ day⁻¹, and $\psi = 2.8 \times 10^{-12}$ cell⁻¹day⁻¹ using the same conversion parameter cited in Section 2.2.2. Through the cancer hypothesis described by (Nani and Freedman, 2000), it is known that $\Psi_T \leq \Psi_g$, meaning that in the absence of treatment, cancer cells always outcompete healthy cells for cancer tissue at any site, with or without metastasis (Pinho, Freedman and Nani, 2002). This approach does not take into account individuals whose natural immune responses are capable of defeating the disease, even in the absence of treatment.

Simulating the interaction of normal and cancer cells in a primary site, (Pinho, Freedman and Nani, 2002) define the ratio between the normal (q_1):cancer (q_2) competition parameters as $q_1/q_2 = 1-1.5$. For the anti-angiogenic and chemotherapeutic protocol, (Pinho et al., 2013) uses a ratio between normal (Q_1):cancer (Q_2) coefficients as $Q_1/Q_2 = 10$, and for a gliatumor interaction, (Iarosz et al., 2015; Trobia et al., 2020) uses this last relationship; so, we established that , and therefore, $\Psi_g = 2.571 \times 10^{-14} \text{ cell}^{-1} \text{day}^{-1}$.

In order to be feasible to perform the treatment with CAR-T cells, it is necessary to carefully choose the target antigen which,



FIGURE 2, Figure CAR-1 cell does are table to control small, but not highlight third highlight control in glioblastoma. (A) Temporal evolution of glioblastoma cells considering an initial tumor burden representing 2.5% of the carrying capacity: 7(0) = 0.25K. (B) Temporal evolution of glioblastoma cells considering an initial tumor burden representing 10% of the carrying capacity: T(0) = 0.1K. (C) Different dynamics of CAR-T cells, considering a smaller initial tumor burden and (D) a higher tumor burden equivalent to 10% of the carrying capacity. The simulations were performed for the parameters defined in **Supplementary Table S1**. The curves correspond to different values of CAR-T cells injected, using $C(0) = 5 \times 10^7$ cells (solid lines), $C(0) 10^8$ cells (dashed lines), $C(0) = 5 \times 10^8$ cells (dashed-dotted lines), and $C(0) = 10^9$ (dotted lines).

ideally, the molecule should be overexpressed on tumor tissues, with zero or low expression on normal cells (Wei et al., 2019). Because of competitive advantage of the cancer cells, and through the cancer hypothesis, we consider that $\gamma_g \ge \gamma_T$, implying that the treatment will affect more healthy cells rather than cancer cells. So, we assumed that can vary in the range $\gamma_g = (1 - 10)\gamma_T$, meaning $\gamma_g = 2.5 \times 10^{-10} - 2.5 \times 10^{-11}$ cell⁻¹day⁻¹.

3 RESULTS

3.1 Initial Tumor Burden and CAR-T Dosage Affect the Outcome

Our first study focused on understanding the changes in the population dynamics under different initial conditions of tumor load and CAR-T cell dose. It is worthy to note that a healthy individual would be described by the state variables T(0) = 0, $G(0) + \bar{G}(0) = K$ and N(0) = K, considering the fact that neurons have the same carrying capacity as glial cells; the glia: neuron ratio is 1:1 (Lent et al., 2012). Initially, with the tumor

present and no treatment, the glioma cells kill the glial cells, and without the glial support, the neurons die. To make CAR-T cell therapy feasible, the population of healthy cells cannot have antigen overexpression; therefore, we estimate that the population of antigen-positive glia cells will account for only 10% of the initial tumor burden. We also highlight that the populations of healthy and tumor cells are referred to in relation to their carrying capacity; i.e., for a tumor burden representing 1% of the carrying capacity, we have T = 0.01K.

At a starting tumor burden equivalent to 2.5% of the carrying capacity, for CAR-T doses ranging from 5.10^7 to 5.10^9 cells, a significant reduction in the tumor cells was observed. The decay phase ends 2–3 weeks after the CAR-T injection, which is a reasonable dynamic, since the CAR-T cell expansion phase peaks around day 20. The therapy was able to control tumor growth *in silico* for 120 days, which could provide a window of opportunity for other therapies (**Figure 2A**). CAR-T cell peak and function were dose-dependent (**Figure 2C**).

Surgical resection is one of the first lines of treatment for gliomas; however, if the tumor's location makes the patient



inoperable, the initial tumor burden for CAR-T cell treatment will be greater. **Figure 2B** depicts two types of tumor response dynamics based on the initial dose of CAR-T cells. There is no tumor control under treatment at doses lower than 10^8 CAR-T cells, and the tumor escapes, whereas doses greater than this threshold allow the therapy to control the tumor.

Considering the highest dose of CART-cells, 10⁹ cells, it can be observed that a higher initial tumor load promotes greater expansion of CAR-T cells and an earlier peak. However, higher initial tumor burden leads to a great inhibition on CAR-T cell cytotoxicity and proliferation, culminating in very low CAR-T cell numbers and tumor scape. This is a dual behavior relative to the tumor size: on the one hand, the tumor promotes CAR-T cell proliferation while, and on the other hand, it increases immunosuppression.

3.2 Off-Tumor Activity Increases Neuronal Loss

Next, we used the mathematical model as a tool to tackle the problem of the "on-target" "off-tumor" effect on healthy antigen-

positive populations. As a first test, we increased the dose of the CAR-T injection. When compared to tumor cells, antigenpositive glial cells have a similar population dynamic with a low initial tumor burden (**Figure 3A**). The higher the CAR-T cell dose, the faster these cells are killed, and by day 20 of treatment, the population is completely extinguished. On the other hand, after increasing the initial tumor load, a distinct scenario was observed; CAR-T cells did not expand due to an elevated inhibitory microenvironment, and the depletion of the antigen-positive glial cell population occurred more slowly (**Figure 3B**) according to our model.

Furthermore, glial cells that do not display the antigen on their surface are subject only to inter-specific competition with tumor cells. When it was possible to obtain a significant reduction in the tumor mass, the antigen-negative population returned to a proliferative state (**Figure 3C**), which is not the case when the tumor load was higher (**Figure 3D**).

Neuronal dynamics are directly correlated with glial cell behavior and, therefore, will also be subject to variations according to the number of injected CAR-T cells and initial



FIGURE 4 I Inefficient CAR-T cell therapy leads to more neuronal loss due to glial cell loss. (A) Neurons in the following days after treatment, when glial cell support is compromised by CAR-T cell therapy, considering an initial tumor burden representing 2.5% of the carrying capacity. (B) Neurons are preserved after higher doses of CAR-T cell therapy at a higher initial tumor load, but they are lost when the tumor escapes. The simulations were performed for the parameters defined in **Supplementary Table S1**. The curves correspond to different values of CAR-T cells injected, using $C(0) = 5 \times 10^7$ cells (solid lines), $C(0) = 10^8$ cells (dashed lines), $C(0) = 5 \times 10^8$ cells (dashed-dotted lines), and 1 $C(0) = 10^9$ cells (dotted lines).



tumor size. In **Figure 4A**, we assume that 90% of the total glial cell population does not express the antigen, and in this scenario, higher doses of CAR-T cells result in less neuronal loss. That is because the treatment causes a rapid and significant decrease in antigen-expressing cells $(T + \overline{G})$, preserving the majority of the healthy glial population that sustains neurons. Also, the model assumes a definitive neuronal loss with no regenerative capacity, and for that reason, a plateau is observed after day 20. On the other hand, it is possible to see in **Figure 4B** that if treatment fails and the tumor escapes, a neuronal loss will occur continuously, directly affecting the patient's quality of life.

To investigate the neuronal loss according to the glial cell population, we fixed the CAR-T cell dose and tested several glial cell support capacities. A higher initial tumor load leads to a higher neuronal loss, especially when the sensible glial cell population is more affected (**Figure 5**). Again, this result points to a higher tumor burden promoting greater inhibition of glial cells, negatively impacting neuronal dynamics. It is still a difficult task to evaluate whether the degree of this neuronal loss will lead to clinical symptoms since the lesion location and the previous neuron function play an important role and was not included in the developed model and simulations.



3.3 Sensitivity Analysis

In models with several uncertain inputs, it is interesting to know which ones can have a significant impact on the outputs. Indeed, it is well known that, in many cases, only a small number of input variables actually act in the model (Lamboni et al., 2013). With this knowledge in mind, it is possible to identify which mechanisms are most relevant to real system dynamics (Saltelli et al., 2019; Da Silva et al., 2020).

As the initial conditions were already evaluated, we performed a sensitivity analysis on the model in order to identify which are the most sensitive parameters to define the overall response. With such analysis, we aim to increase our understanding of the relationships between input uncertainty and output, identify which parameters drive the model dynamics, find errors in the model if a relationship is not biologically reasonable, and even guide future *in vivo* experiments.

The analysis was executed by the SALib package (Herman and Usher, 2017), and the range for each parameter was defined accordingly to the values found in the literature (see **Supplementary Table S2**) and was sampled uniformly using the saltelli.sample (Sobol, 2001; Campolongo, Saltelli and Cariboni, 2011; Herman and Usher, 2017; Owen, 2020). The first-order Sobol indexes were obtained using the delta.analyze routine (Borgonovo, 2007; Plischke, Borgonovo and Smith, 2013). The initial conditions were set as:

$$\begin{cases} T(0) = 0.1K \\ \bar{G}(0) = 0.1T(0) \\ G(0) = K - \bar{G}(0) \\ N(0) = K - T(0) \\ C(0) = 5.10^8 cells \end{cases}$$
(7.a)

After the sensitivity analysis, the most significant parameters were analyzed individually, keeping the same initial conditions and parameters from **Table 1**, while different values within the testing range were simulated.

3.3.1 Tumor

Based on the analysis, it is clear that three main parameters will have the greatest influence on the outcome: the tumor proliferation rate ($\Omega_{\rm T}$), the CAR-T cells expansion/ proliferation rate (ρ), and the tumor inhibition rate (α) (**Figure 6A**). Sobol's results show that, for the defined parametric intervals and initial conditions, the parameter related to the tumor type (Ω_T) is more important in the interval between 20 and 40 days after treatment begins, and the parameters associated with the CAR-T cells (ρ and α) are more relevant to the dynamics during the first 10 days or the last 60 days.

Examining only the effect of the respective parameters on the model, we found good agreement with the sensitivity analysis results. Firstly, after the first 2 weeks of treatment, the tumor dynamics change significantly depending on the glioblastoma growth rate; either the disease is under control or the tumor already escaped and the carrying capacity has been reached (**Figure 6B**). The model suggests that the first 20 days are crucial in the response to CAR-T cell therapy.

Secondly, the rate of CAR-T cell proliferation is negatively related to the number of tumor cells; that is, the higher the activation of CAR-T cells, the smaller the tumor mass (**Figure 6C**). Notably, for the initial conditions and parameters used in this simulation, only a proliferation rate similar to the highest described in the literature would be effective in preventing disease progression. That being said, this is a question that needs to be investigated further for solid tumors, since pre-clinical models' results showed a lower proliferative capacity than those found in hematological cancers (Liu et al., 2021) (LIU et al., 2021).

Finally, it was observed that the treatment is effective only in the presence of low tumor immunosuppression (**Figure 6D**). In

this case, CAR-T cells are able to overcome the hostile microenvironment and promote a long-lasting tumor response while the tumor continued growing after the therapy. A combination with an immune checkpoint blockade therapy could benefit patients under CAR-T cell therapy for solid tumors.

3.3.2 CAR-T Cells

Assuming the dynamics of CAR-T cells as the quantity of interest, in Figure 7A we observe that four parameters display greater relevance to the model variance. In the first weeks, the proliferation rate (ρ), inactivation rate due to tumor presence (α), and the CAR-T cell cytotoxic effect (γ_T) were more important, while the CAR-T persistence or lifespan (τ_C) was more relevant in the subsequent weeks. This indicates that the initial dynamics-distribution and expansion phases are correlated to antigen recognition, allowing proliferation upon contact and inhibition due to tumor load, which are demonstrated by the contraction and persistence phases associated with the survival of CAR-T cells in the tumor microenvironment. Figures 7B,7D show that both the cytotoxic effect (γ_T) and the proliferative capacity (ρ_c) have a positive correlation with CAR-T cell expansion. CAR-T cells expand 10-fold beyond the initial value in a low immunosuppressive microenvironment, with the peak occurring around day 10 after injection. However, in a more immunosuppressive environment, the peak is delayed (around day 20) and the expansion becomes so small that the CAR-T cells eventually only show the contraction phase. In a low immunosuppressive microenvironment, CAR-T cells expand 10fold beyond the initial value, with the peak occurring around day 10 after injection, whereas in a more immunosuppressive environment, the peak is delayed with a smaller expansion, to the point where the CAR-T cells eventually show only the contraction phase. Figure 7E shows that the survival time of CAR-T cells has no overall impact on the expansion time (around 15-20 days), but it does affect the maximum cell number and persistence in the environment over time.

3.3.3 Glial Cells

The proliferation rate of CAR-T cells and tumor immunosuppression are important parameters in the dynamics of both antigen-positive and antigen-negative cells within the glial populations. The cytotoxic effect of CAR-T cells on antigen-positive cells, in particular, has the greatest impact on model variance (**Figure 8A**), whereas, for those that do not present the antigen, tumor cell carrying capacity and tumor cell proliferation becomes more important (**Figure 8B**).

In terms of the mortality rate of antigen-positive cells due to treatment, if tumor cells have a competitive advantage over these glial cells, that is, $\gamma_g > \gamma_T$, this population will be eliminated faster (**Figure 9A**). CAR-T cells without a high proliferative capacity would die in the tumor microenvironment and lose their cytotoxic effect on glial cells. Finally, the rate of CAR-T cell inactivation (**Figure 9C**) confirms the preceding findings, which can be summarized as follows: A less immunosuppressive environment results in an increase in the CAR-T cell population, which kills antigen-positive glial cells.

4 number

3

a Cell 20 40 60 80 100 120 0 20 40 60 80 100 120 Time (days) Time (days) FIGURE 7 | CAR-T cell sensibility analysis according to time after therapy. (A) CAR-T cell proliferation, cytotoxicity, and persistence are key to tumor elimination according to First Sobol's indices. (B) The effect of CAR-T killing rate (yT) variation on CAR-T dynamics. (C) The effect of CAR-T cell proliferation rate (pC) variation on CAR-T dynamics. (D) The effect of immunosuppressive rate (a) variation on CAR-T dynamics. (E) The effect of CAR-T lifespan ($\tau_{\rm C}$) variation on CAR-T dynamics.

number

α

α

= 10⁻⁹ day⁻¹cell⁻¹

The tumor's carrying capacity only at high values generates a change in behavior pattern in the population of resistant glial cells; this is due to the fact the tumor can grow continuously, and the competition with healthy cells becomes more significant (Figure 10A). A higher tumor proliferation rate inhibits the survival of healthy cells

through competition (Figure 10B). The higher the tumor inhibition (α) effect on CAR-T cells, the worse for glial cell survival (Figure 10C). Even without antigen expression, resistant glial cells have a better chance to survive when CAR-T cell proliferation is higher, due to a higher tumor elimination (Figure 10D).



 $\tau_c = 28 \text{ days}$



3.3.4 Neurons

The sensitivity analysis for neurons reveals that the interaction coefficient with glia cells (ψ) plays a critical role in the variance of the response during the first 20 days. The tumor proliferation rate (Ω_T) and hostile tumor microenvironment (α) are also prominent on consecutive days. Because neurons are fundamentally dependent on the survival of all glial populations, tumor competition with healthy glial cells is more influential than treatment negative effects (**Figure 11A**).

An increase in the interaction coefficient between neurons and glia results in a proportional increase in neuronal death (Figure 11B). Figures 11C,11D show analogous behavior for glioblastoma growth rate and immunosuppressive capacity; the higher any of the two parameters, the greater the possibility of tumor escape and, as a result, death of neurons in healthy populations.



(A) CAR-T cell cytotoxicity on sensible glial cells is the most important parameter in this population in the first days after CAR-T cell therapy, according to First Sobol's indices for antigen-positive glial cells. (B) Tumor carrying capacity and growth rate are the most impacting parameters on resistant glial cell populations, according to First Sobol's indices for antigen-negative glial cells.

4 DISCUSSION

We developed a mathematical model based on an ODE system to simulate five populations: tumor, CAR-T cells, neurons, and two populations of healthy glial cells, which can be sensible or resistant to CAR-T cell therapy. We include, in the simulation as a parameter the immunosuppressive microenvironment, the consequences of an "off-tumor" effect on a third-party, and the analysis of variables to which the phenomenon is more sensitive. One of the major issues of CAR therapy in solid tumors is the selection of a target that maximizes anti-tumor activity while minimizing side effects (Flynn et al., 2017). Because of their lack of specificity in protein expression, most solid tumors demonstrate the potential for significant on-target off-tumor effects (Richman et al., 2018).



cells have a small effect on this population number. (B) Higher tumor growth rate (Ω_T) leads to higher competition and elimination of antigen-negative glial cells. (C) A higher immunosuppressive rate (α) leads to a decrease in the antigen-negative glial cells population. (D) A higher CAR-T cell proliferation rate (pc) leads to an increase in the antigen-negative glial cells due to tumor elimination.

Although mathematical models are particularly useful for qualitative analysis of system dynamics, their application has limitations. With this in mind, the proposed model was developed assuming: (i) a given dose of CAR-T cells directly is introduced into the tumor site: for glioblastomas, the trafficking of CAR-T cells into the parenchymal tissue and subsequent penetration into the brain-blood barrier (BBB) is still a challenge that the treatment must overcome (Gatto et al., 2022). However, intracavitary and intraventricular infusion are promising techniques for overcoming the BBB and trying to prevent cell exhaustion before they reach the microenvironment (BROWN et al., 2018). The same approach is being used in ongoing clinical trials (NCT04196413, NCT04385173, and NCT04077866). (ii) CAR-T cells are considered activated T cells and have a cytotoxic effect on any antigen-positive cells; this is a simplified representation of a population comprised of effector and memory phenotypes. For GBM xenografts, (Wang et al., 2018) observed that CD4⁺ (memory) CAR-T cell effector potency was compromised when coapplied with CD8⁺ (effector) T cells, and CD4+(memory) CAR-T cells did not improve the CD8⁺ (effector) CAR-T cell. Though since we intend to analyze the cytotoxic activity of CAR-T cells on different populations in our model, the memory phenotype is not

explicit. (iii) The target antigen can be expressed by glial cells. For a human neuroblastoma xenograft in vivo, (Richman et al., 2018) showed that a GD2+CAR-T cell induced an anti-tumor response but was also associated with lethal central nervous system (CNS) toxicity, which included extensive CAR-T-cell infiltration and proliferation within the brain as well as neuronal destruction. To assess the consequences of shared expression of the target antigen between healthy and tumor populations, we assume that a fraction of glial cells are also killed by CAR-T cells. (iv) Neuronal death is caused uniquely by glial cell depletion. (Fricker et al., 2018) reveal that neurons die in at least a dozen ways and that non-neuronal cells also contribute to neuronal death. Since our work proposes to investigate the off-tumor cytotoxic activity of CAR-T cells, it is feasible for the model to associate neuronal death with glia cell depletion. The CNS contains three types of glial cells: astrocytes, oligodendrocytes, and microglia. Astrocytes are the most abundant glial cells, and they play important roles in synapse formation and ion homeostasis. Microglia represent the brain's immune system and thus act as phagocytes in various injuries and inflammatory diseases. Oligodendrocytes play a role in neuroprotection against degeneration (Chavda et al., 2022). Each of these populations interacts differently with neurons,



implying that the interaction coefficient must be coherent with the tumor's histology.

Our mathematical model's simulations suggest that for resected tumors, a feasible dose of activated CAR-T cells reduces the initial tumor load, thereby also extinguishing all normal cells that presented the antigen. Despite the tumor's limited immunosuppressive effect and the target antigen being displayed in glial cells as well as tumor cells, the level of expression is only sufficient for a modest expansion of the CAR-T cells. This scenario is favorable to glial cell survival and, thereby, a small neuronal loss, but it could eventually lead to tumor relapse. These findings corroborated with the work of (León-Triana et al., 2021), who also suggest that addressing this issue may be technically impossible since the number of T cells available to manufacture the CAR product is orders of magnitude lower than the threshold required for therapy success. Also, following infusion, our model was able to capture a transient decrease of CAR-T cells due to tumor inhibition, which affects CAR-T cell proliferation and is in accordance to (Sahoo et al., 2020). We did not consider the number of interactions between CAR-T and tumor cells (Li et al., 2022). The CAR-T cell early distribution phase only lasts for a couple of days and is generally not captured in most clinical trials (Liu et al., 2021). Our work sheds light on CAR-T cell cytotoxicity on tumor cells and also an "on-target" "off-tumor" effect, affecting directly the healthy glial cells which are sensible or resistant to CAR-T cell therapy, and as a consequence, the neuron population decrease.

DATA AVAILABILITY STATEMENT

The original contributions presented in the study are included in the article/**Supplementary Material**, and further inquiries can be directed to the corresponding author.

REFERENCES

- Barros, L. R. C., Couto, S. C. F., da Silva Santurio, D., Paixão, E. A., Cardoso, F., da Silva, V. J., et al. (2022). Systematic Review of Available CAR-T Cell Trials Around the World. Cancer Immunology Research 14 (11), 2667. doi:10.3390/ cancers14112667
- Barros, L. R. C., Paixão, E. A., Valli, A. M. P., Naozuka, G. T., Fassoni, A. C., and Almeida, R. C. (2021). CARTmath-A Mathematical Model of CAR-T Immunotherapy in Preclinical Studies of Hematological Cancers. *Cancers* 13 (12), 2941. doi:10.3390/cancers13122941
- Borgonovo, E. (2007). A New Uncertainty Importance Measure. *Reliab. Eng. Syst. Saf.* 92 (6), 771–784. doi:10.1016/j.ress.2006.04.015
- Campolongo, F., Saltelli, A., and Cariboni, J. (2011). From Screening to Quantitative Sensitivity Analysis. A Unified Approach. *Comput. Phys. Commun.* 182 (4), 978–988. doi:10.1016/j.cpc.2010.12.039
- Chavda, V., Singh, K., Patel, V., Mishra, M., and Mishra, A. K. (2022). Neuronal Glial Crosstalk: Specific and Shared Mechanisms in Alzheimer's Disease. *Brain Sci.* 12, 75. doi:10.3390/brainsci12010075
- Clarke, G., and Lumsden, C. J. (2005a). Heterogeneous Cellular Environments Modulate One-Hit Neuronal Death Kinetics. *Brain Res. Bull.* 65 (1), 59–67. doi:10.1016/j.brainresbull.2004.11.009
- Clarke, G., Lumsden, C. J., and McInnes, R. R. (2001). Inherited Neurodegenerative Diseases: The One-Hit Model of Neurodegeneration. *Hum. Mol. Genet.* 10 (20), 2269–2275. doi:10.1093/hmg/10.20.2269
- Clarke, G., and Lumsden, C. J. (2005b). Scale-free Neurodegeneration: Cellular Heterogeneity and the Stretched Exponential Kinetics of Cell Death. J. Theor. Biol. 233 (4), 515–525. doi:10.1016/j.jtbi.2004.10.028
- Da Silva, F. A. B. (2020). A Tutorial on Sobol' Global Sensitivity Analysis Applied to Biological Models. *Netw. Syst. Biol.* 32, 93–118. doi:10.1007/978-3-030-51862-2_6
- dePillis, L., Caldwell, T., Sarapata, E., and Williams, H. (2013). "Mathematical Modeling of Regulatory T Cell Effects on Renal Cell Carcinoma Treatment," in *Discrete and Continuous Dynamical Systems - Series B*, 18, 915–943. doi:10.3934/dcdsb.2013.18.915
- Elsallab, M., Levine, B. L., Wayne, A. S., and Abou-El-Enein, M. (2020). CAR T-Cell Product Performance in Haematological Malignancies before and after Marketing Authorisation. *Lancet Oncol.* 21 (2), e104–e116. doi:10.1016/S1470-2045(19)30729-6

AUTHOR CONTRIBUTIONS

DS designed and performed the experiments and wrote the manuscript. LB works on study conceptualization and wrote and revised the manuscript.

FUNDING

This research was funded by a scholarship provided by Conselho Nacional de Desenvolvimento Científico e Tecnológico (CNPq).

ACKNOWLEDGMENTS

The authors thank the support granted by CNPq.

SUPPLEMENTARY MATERIAL

The Supplementary Material for this article can be found online at: https://www.frontiersin.org/articles/10.3389/fsysb.2022.923085/full#supplementary-material

- Flynn, J. P., O'Hara, M. H., and Gandhi, S. J. (2007). Preclinical rationale for combining radiation therapy and immunotherapy beyond checkpoint inhibitors (i.e., CART). *Transl. Lung Cancer Res.* 6, 159–168. doi:10.21037/ tlcr.2017.03.07
- Fricker, M., Tolkovsky, A. M., Borutaite, V., Coleman, M., and Brown, G. C. (2018). Neuronal Cell Death. *Physiol. Rev.* 98, 813–880. doi:10.1152/physrev.00011. 2017.-Neuronal
- Gatto, L., Di Nunno, V., Franceschi, E., Tosoni, A., Bartolini, S., and Brandes, A. A. (2022). Pharmacotherapeutic Treatment of Glioblastoma: Where Are We to Date? *Drugs* 82, 491–510. doi:10.1007/s40265-022-01702-6
- Ghorashian, S., Kramer, A. M., Albon, S. J., Wright, G., Castro, F., Popova, B., et al. (2017). A Novel Low Affinity CD19CAR Results in Durable Disease Remissions and Prolonged CAR T Cell Persistence without Severe CRS or Neurotoxicity in Patients with Paediatric ALL. *Blood* 130, 806. doi:10.1182/blood.v130.suppl_1. 806.806
- Herman, J., and Usher, W. (2017). SALib: An Open-Source Python Library for Sensitivity Analysis. Joss 2 (9), 97. doi:10.21105/joss.00097
- Iarosz, K. C., Borges, F. S., Batista, A. M., Baptista, M. S., Siqueira, R. A. N., Viana, R. L., et al. (2015). Mathematical Model of Brain Tumour with Glia-Neuron Interactions and Chemotherapy Treatment. J. Theor. Biol. 368, 113–121. doi:10. 1016/j.jtbi.2015.01.006
- Kuznetsov, V. A., Kuznetsov, V., Makalkin, I., Taylor, M., and Perelson, A. (1994). Nonlinear Dynamics of Immunogenic Tumors: Parameter Estimation and Global Bifurcation Analysis. *Bull. Math. Biol.* doi:10.1016/s0092-8240(05) 80260-5
- Lamboni, M., Iooss, B., Popelin, A.-L., and Gamboa, F. (2013). Derivative-based Global Sensitivity Measures: General Links with Sobol' Indices and Numerical Tests. *Math. Comput. Simul.* 87, 45–54. doi:10.1016/j.matcom.2013.02.002
- Lent, R., Azevedo, F. A. C., Andrade-Moraes, C. H., and Pinto, A. V. O. (2012). How Many Neurons Do You Have? Some Dogmas of Quantitative Neuroscience under Revision. *Eur. J. Neurosci.* 35 (1), 1–9. doi:10.1111/j. 1460-9568.2011.07923.x
- León-Triana, O., Pérez-Martínez, A., Ramírez-Orellana, M., and Pérez-García, V. M. (2021). Dual-Target Car-Ts with on- and Off-Tumour Activity May Override Immune Suppression in Solid Cancers: A Mathematical Proof of Concept. *Cancers* 13 (4), 703. doi:10.20944/preprints202012.0166.v1
- León-Triana, O., Sabir, S., Calvo, G. F., Belmonte-Beitia, J., Chulián, S., Martínez-Rubio, Á., et al. (2021). CAR T Cell Therapy in B-Cell Acute Lymphoblastic

Leukaemia: Insights from Mathematical Models. Commun. Nonlinear Sci. Numer. Simul. 94, 105570. doi:10.1016/j.cnsns.2020.105570

- Li, R., Sahoo, P., Wang, D., Wang, Q., and Brown, C. E. (2022). Modeling Interaction of Glioma Cells and CAR T-Cells Considering Multiple CAR T-Cells Bindings, 1–12. arXiv preprint arXiv:2201.07353.
- Liu, C., Ayyar, V. S., Zheng, X., Chen, W., Zheng, S., Mody, H., et al. (2021). Model-Based Cellular Kinetic Analysis of Chimeric Antigen Receptor-T Cells in Humans. *Clin. Pharmacol. Ther.* 109 (3), 716–727. doi:10.1002/cpt.2040
- Lüders, E., Steinmetz, H., and Jäncke, L. (2002). Brain Size and Grey Matter Volume in the Healthy Human Brain. *Neuroreport* 13 (17), 2371–2374. doi:10. 1097/01.wnr.0000049603.85580.da
- Majzner, R. G., Ramakrishna, S., Yeom, K. W., Patel, S., Chinnasamy, H., Schultz, L. M., et al. (2022). GD2-CAR T Cell Therapy for H3K27M-Mutated Diffuse Midline Gliomas. *Nature* 603 (7903), 934–941. doi:10.1038/s41586-022-04489-4
- Marofi, F., Motavalli, R., Safonov, V. A., Thangavelu, L., Yumashev, A. V., Alexander, M., et al. (2021). CAR T Cells in Solid Tumors: Challenges and Opportunities. *Stem Cell Res. Ther.* 12. doi:10.1186/s13287-020-02128-1
- Morgan, R. A., Yang, J. C., Kitano, M., Dudley, M. E., Laurencot, C. M., and Rosenberg, S. A. (2010). Case Report of a Serious Adverse Event Following the Administration of T Cells Transduced with a Chimeric Antigen Receptor Recognizing ERBB2. *Mol. Ther.* 18 (4), 843–851. doi:10.1038/mt.2010.24
- Nani, F., and Freedman, H. I. (2000). A Mathematical Model of Cancer Treatment by Immunotherapy. *Math. Biosci.* 163 (2), 159–199. doi:10.1016/S0025-5564(99)00058-9
- Owen, A. B. (2020). 'On Dropping the First Sobol' Point'. arXiv preprint arXiv: 2008.08051 [Preprint]. Available at: http://arxiv.org/abs/2008.08051.
- Pinho, S. T. R., Bacelar, F. S., Andrade, R. F. S., and Freedman, H. I. (2013). A Mathematical Model for the Effect of Anti-angiogenic Therapy in the Treatment of Cancer Tumours by Chemotherapy. *Nonlinear Anal. Real World Appl.* 14 (1), 815–828. doi:10.1016/j.nonrwa.2012.07.034
- Pinho, S. T. R., Freedman, H. I., and Nani, F. (2002). A Chemotherapy Model for the Treatment of Cancer with Metastasis. *Math. Comput. Model.* 36, 773–803. doi:10.1016/s0895-7177(02)00227-3
- Plischke, E., Borgonovo, E., and Smith, C. L. (2013). Global Sensitivity Measures from Given Data. Eur. J. Operational Res. 226 (3), 536–550. doi:10.1016/j.ejor.2012.11.047
- Prapa, M., Chiavelli, C., Golinelli, G., Grisendi, G., Bestagno, M., Di Tinco, R., et al. (2021). GD2 CAR T Cells against Human Glioblastoma. *npj Precis. Onc.* 5 (1), 1–14. doi:10.1038/s41698-021-00233-9
- Radunskaya, A., Kim, R., Kim, R., and Woods II, T. (2018). Mathematical Modeling of Tumor Immune Interactions: A Closer Look at the Role of a PD-L1 Inhibitor in Cancer Immunotherapy. Spora 4 (1), 25–41. doi:10.30707/ SPORA4.1Radunskaya
- Richman, S. A., Nunez-Cruz, S., Moghimi, B., Li, L. Z., Gershenson, Z. T., Mourelatos, Z., et al. (2018). High-Affinity GD2-specific CAR T Cells Induce Fatal Encephalitis in a Preclinical Neuroblastoma Model. *Cancer Immunol. Res.* 6 (1), 36–46. doi:10.1158/2326-6066.CIR-17-0211
- Rockne, R., Rockhill, J. K., Mrugala, M., Spence, A. M., Kalet, I., Hendrickson, K., et al. (2010). Predicting the Efficacy of Radiotherapy in Individual Glioblastoma Patientsin Vivo:a Mathematical Modeling Approach. *Phys. Med. Biol.* 55 (12), 3271–3285. doi:10.1088/0031-9155/55/12/001
- Rodrigues, D. S. (2011). Modelagem Matemática em câncer: dinâmica andiogênica e quimioterapia anti-neoplásica. Master's Thesis. Botucatu: Instituto de Biociências, UNESP.
- Safarzadeh Kozani, P., Rahbarizadeh, F., and Khoshtinat Nikkhoi, S. (2021). Strategies for Dodging the Obstacles in CAR T Cell Therapy. *Front. Oncol.* 11 (April), 1–20. doi:10.3389/fonc.2021.627549

- Sahoo, P., Yang, X., Abler, D., Maestrini, D., Adhikarla, V., Frankhouser, D., et al. (2020). Mathematical Deconvolution of CAR T-Cell Proliferation and Exhaustion from Real-Time Killing Assay Data. J. R. Soc. Interface. 17 (162), 20190734. doi:10.1098/rsif.2019.0734
- Saltelli, A., Aleksankina, K., Becker, W., Fennell, P., Ferretti, F., Holst, N., et al. (2019). Why So Many Published Sensitivity Analyses Are False: A Systematic Review of Sensitivity Analysis Practices. *Environ. Model. Softw.* 114, 29–39. doi:10.1016/j.envsoft.2019.01.012
- Sobol, I. M. (2001). Global Sensitivity Indices for Nonlinear Mathematical Models and Their Monte Carlo Estimates. *Math. Comput. Simul.* doi:10.1016/s0378-4754(00)00270-6
- Stein, A. M., Grupp, S. A., Levine, J. E., Laetsch, T. W., Pulsipher, M. A., Boyer, M. W., et al. (2019). Tisagenlecleucel Model-Based Cellular Kinetic Analysis of Chimeric Antigen Receptor-T Cells. *CPT Pharmacometrics Syst. Pharmacol.* 8 (5), 285–295. doi:10.1002/psp4.12388
- Sterner, R. C., and Sterner, R. M. (2021). CAR-T Cell Therapy: Current Limitations and Potential Strategies. *Blood Cancer J.* 11 (4). doi:10.1038/s41408-021-00459-7
- Swanson, K. R., Rostomily, R. C., and Alvord, E. C. (2008). A Mathematical Modelling Tool for Predicting Survival of Individual Patients Following Resection of Glioblastoma: A Proof of Principle. *Br. J. Cancer* 98 (1), 113–119. doi:10.1038/sj.bjc.6604125
- Toma, A., Régnier-Vigouroux, A., Mang, A., Becker, S., Schuetz, T. A., and Buzug, T. M. (2012). In-silico Modelling of Tumour-Immune System Interactions for Glioblastomas. *IFAC Proc. Vol.* 45 (2), 1237–1242. doi:10.3182/20120215-3-at-3016.00219
- Trobia, J., Tian, K., Batista, A. M., Grebogi, C., Ren, H.-P., Santos, M. S., et al. (2021). Mathematical Model of Brain Tumour Growth with Drug Resistance. *Commun. Nonlinear Sci. Numer. Simul.* 103, 106013. doi:10.1016/j.cnsns.2021. 106013
- Van Den Berg, J. H., Gomez-Eerland, R., van de Wiel, B., Hulshoff, L., van den Broek, D., Bins, A., et al. (2015). Case Report of a Fatal Serious Adverse Event upon Administration of T Cells Transduced with a MART-1specific T-Cell Receptor. *Mol. Ther.* 23 (9), 1541–1550. doi:10.1038/mt. 2015.60
- Wang, D., Aguilar, B., Starr, R., Alizadeh, D., Brito, A., Sarkissian, A., et al. (2018). Glioblastoma-targeted CD4+ CAR T Cells Mediate Superior Antitumor Activity. JCI insight 3 (10). doi:10.1172/jci.insight.99048
- Wei, J., Han, X., Bo, J., and Han, W. (2019). Target Selection for CAR-T Therapy. J. Hematol. Oncol. 12. doi:10.1186/s13045-019-0758-x

Conflict of Interest: The authors declare that the research was conducted in the absence of any commercial or financial relationships that could be construed as a potential conflict of interest.

Publisher's Note: All claims expressed in this article are solely those of the authors and do not necessarily represent those of their affiliated organizations, or those of the publisher, the editors, and the reviewers. Any product that may be evaluated in this article, or claim that may be made by its manufacturer, is not guaranteed or endorsed by the publisher.

Copyright © 2022 Santurio and Barros. This is an open-access article distributed under the terms of the Creative Commons Attribution License (CC BY). The use, distribution or reproduction in other forums is permitted, provided the original author(s) and the copyright owner(s) are credited and that the original publication in this journal is cited, in accordance with accepted academic practice. No use, distribution or reproduction is permitted which does not comply with these terms.