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# Modeling the expenditure and reconstitution of distance above critical speed during two swimming interval training sessions 

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#### Abstract

In swimming, the speed-time relationship provides the critical speed (CS) and the maximum distance that can be performed above CS (D'). During intermittent severe intensity exercise, a complete $\mathrm{D}^{\prime}$ depletion coincides with task failure, while a sub-CS intensity is required for $D^{\prime}$ reconstitution. Therefore, determining the balance $\mathrm{D}^{\prime}$ remaining at any time during intermittent exercise ( $\mathrm{D}_{\text {BAL }}^{\prime}$ ) could improve training prescription. This study aimed to 1) test the $\mathrm{D}_{\text {BAL }}^{\prime}$ model for swimming; 2) determine an equation to estimate the time constant of the reconstitution of $\mathrm{D}^{\prime}\left(\tau D^{\prime}\right)$; and 3 ) verify if $\tau \mathrm{D}^{\prime}$ is constant during two interval training sessions with the same work intensity and duration and recovery intensity, but different recovery duration. Thirteen swimmers determined $C S$ and $D^{\prime}$ and performed two high-intensity interval sessions at a constant speed, with repetitions fixed at 50 m . The duration of passive recovery was based on the work/relief ratio of $2: 1$ ( $\mathrm{T} 2: 1$ ) and 4:1 (T4:1). There was a high variability between sessions for $\tau \mathrm{D}$ ' (coefficient of variation of $306 \%$ ). When $\tau \mathrm{D}^{\prime}$ determined for T2:1 was applied in T4:1 and vice versa, the $\mathrm{D}_{\text {BAL }}^{\prime}$ model was inconsistent to predict the time to exhaustion (coefficient of variation of 29 and $28 \%$ ). No linear or nonlinear relationships were found between $\tau \mathrm{D}^{\prime}$ and CS , possibly due to the high within-subject variability of $\tau D^{\prime}$. These findings suggest that $\tau D^{\prime}$ is not constant during two highintensity interval sessions with the same recovery intensity. Therefore, the current $D_{\text {BAL }}^{\prime}$ model was inconsistent to track $\mathrm{D}^{\prime}$ responses for swimming sessions tested herein.


## KEYWORDS

athletes, performance, critical velocity, critical power, severe domain, aerobic capacity

## Introduction

Swimming is widely recognized as a popular sport and it has been part of the Olympic program since the first modern Olympic Games in 1896. Most of the swimming events at the Olympic program are performed between 50 and 200 m (or about $21-150 \mathrm{~s}$ ), demanding a high rate of ATP resynthesis by aerobic and anaerobic energy systems (Capelli et al., 1998; Pyne and Sharp, 2014). During swimming training, sets of interval exercises at low and high intensities are interspersed with relief periods lasting generally less than 60 s (Nugent et al., 2017). However, the relief time is prescribed by coaches with scarce scientific support. Given environmental and technological constraints in swimming, feasible technologies of training prescription and assessment are helpful to athletes, coaches, and sports scientists.

At the beginning of the last century, Hill (1925) observed a hyperbolic relationship between work rate or speed and performance time. This power/speed-time relationship is characterized by two parameters: critical power (CP) or critical speed (CS) demarcating the boundary between heavy and severe exercise domains, and the maximum amount of work/ distance that can be performed above CP/CS represented by the mathematical expression $\mathrm{W}^{\prime}$ or $\mathrm{D}^{\prime}$, respectively (Poole et al., 2016). Both CP and CS as well as $\mathrm{W}^{\prime}$ and $\mathrm{D}^{\prime}$ are analogous but expressed in different units of measurement. Although the precise mechanisms of $W^{\prime} / D^{\prime}$ have remained elusive (Broxterman et al., 2016; Hureau et al., 2016; Poole et al., 2016), the exercise tolerance provides similar amounts of work/distance performed above CP/CS and similar attainment of a critical level of intramuscular phosphocreatine, inorganic phosphate and/or pH (Fukuba et al., 2003; Vanhatalo et al., 2010; Jones and Vanhatalo, 2017). Therefore, to any severe intensity exercise the task failure coincides with the complete depletion of $\mathrm{W}^{\prime} / \mathrm{D}^{\prime}$ during constant and intermittent exercises, while the replenishing of $\mathrm{W}^{\prime} / \mathrm{D}^{\prime}$ necessitates a sub-CP/CS intensity (Coats et al., 2003; Chidnok et al., 2012).

Skiba et al. (2012) proposed a mathematical model to determine the balance of $\mathrm{W}^{\prime}$ remaining at any given time during an intermittent exercise session ( $\mathrm{W}_{\text {BAL }}$ ) where some amount of $\mathrm{W}^{\prime}$ is expended and reconstituted during periods performed above and below $C P$, respectively. This mathematical model was initially developed for cycling exercise and provides a novel approach for coaches to determine the optimal training intervals and intensity (Skiba et al., 2014a) or for athletes to perform the best pace during a competitive race (Patton et al., 2013). Such a model assumes a linear expenditure and a curvilinear reconstitution of $\mathrm{W}^{\prime}$ comprising two equations: Eq. 1 determines $W^{\prime}{ }_{\text {BAL }}$ considering the work intensity and duration, the relief intensity and duration, and the time constant of the exponential reconstitution of the $\mathrm{W}^{\prime}\left(\tau \mathrm{W}^{\prime}\right)$, whereas Eq. 2 estimates $\tau \mathrm{W}^{\prime}$ to be inserted into Eq. 1. In the second equation, the difference between power output at
recovery and $C P\left(D_{C P}\right)$ is fitted to each relief interval and participant, while the mathematical constants are arbitrary parameters from cycling exercise determined by plotting $D_{C P}$ with actual $\tau W$ ' (found by an iterative process until modeled W' ${ }_{\text {BAL }}$ equaled zero at the time to exhaustion) (Skiba et al., 2012). Therefore, in theory, whether CP is unchanged and relief intensity is the same for different interval training sessions, the $\tau \mathrm{W}^{\prime}$ should be the same for these exercise sessions regardless of work interval intensity and duration as well as relief interval duration. However, it is unclear whether $\tau \mathrm{W}^{\prime}$ remains constant during different interval training sessions with the same work interval intensity and duration as well as relief intensity but different relief interval durations.

$$
\begin{gather*}
W^{\prime} b a l=W^{\prime}-\int_{0}^{t}\left(W^{\prime} \exp \right)\left(e^{-(t-u) / \tau W^{\prime}}\right)  \tag{1}\\
\tau W^{\prime}=546 e^{(-0.01 D c p)}+316 \tag{2}
\end{gather*}
$$

where the $\mathrm{W}^{\prime}{ }_{\text {BAL }}$ at any point during a training session or race is the difference between the known $\mathrm{W}^{\prime}$ and the total $\mathrm{W}^{\prime}$ expended, $\mathrm{W}^{\prime}$ equals the subject's known $\mathrm{W}^{\prime}$ as calculated from CP model, W'exp is equal to the expended $\mathrm{W}^{\prime},(t-u)$ is equal to the time in seconds between segments of the exercise session that resulted in a depletion of $\mathrm{W}^{\prime}, \tau \mathrm{W}^{\prime}$ is the time constant of the reconstitution of the $\mathrm{W}^{\prime}$, and $\mathrm{D}_{\mathrm{CP}}$ is the difference between the recovery power output and the CP.

Although the $\mathrm{W}^{\prime}{ }_{\text {BAL }}$ model has been proposed to characterize the expenditure and reconstitution of $\mathrm{W}^{\prime}$ during intermittent cycling exercises, there are few studies investigating this model for other exercise modalities (Galbraith et al., 2015; Broxterman et al., 2016). Galbraith et al. (2015) applied the $W_{\text {BAL }}$ model during intermittent running (i.e. $\mathrm{D}^{\prime}{ }_{\mathrm{BAL}}$ ) and showed a $\mathrm{D}_{\mathrm{BAL}}$ negative on average $(-21.2 \mathrm{~m})$ at interval training session termination. The authors also reported a time constant of the exponential reconstitution of the $D^{\prime}\left(\tau D^{\prime}\right)$, determined interactively until modeled $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ equaled zero at the time to exhaustion. Apparently the $\tau \mathrm{D}^{\prime}$ was lower compared with the previously reported $\tau \mathrm{W}^{\prime}$ in intermittent cycling ( $\sim 376$ vs. 578 s) (Skiba et al., 2012). During severe intensity handgrip exercises, $\tau \mathrm{W}^{\prime}$ was affected by different contraction-relaxation cycles, ranging between 580 and $2,450 \mathrm{~s}$ (Broxterman et al., 2016). In addition, the authors reported an exponential decay relationship between $\tau \mathrm{W}^{\prime}$ and CP (Broxterman et al., 2016). Taken together, these data indicated that $\tau \mathrm{W}^{\prime} / \tau \mathrm{D}^{\prime}$ could be modality-specific and should be directly determined.

Based on the aforementioned statements, the application of the $\mathrm{D}^{\prime}$ bAL model for swimming exercise would be useful as a feasible training prescription tool not requiring any sophisticated apparatus. Therefore, the purposes of this investigation were to 1) test the applicability of the $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ model for swimming; 2) determine an equation to estimate $\tau \mathrm{D}^{\prime}$ for swimming; and 3) verify if $\tau \mathrm{D}^{\prime}$ is constant during two swimming interval training sessions with the same work interval intensity and duration as well as recovery intensity but with different recovery interval


FIGURE 1
Schematic illustration of experimental design.
durations. We hypothesized that 1) $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ could be suitable for swimming exercises; 2) $\tau \mathrm{D}^{\prime}$ would be related to CS ; and 3) $\tau \mathrm{D}^{\prime}$ would be similar between different interval trainings sessions. The implications of confirming these hypotheses for coaches and sports scientists would be a cost-free practical tool to consistently determine optimal intervals and intensities for swimming improving exercise prescription and experimental designs.

## Materials and methods

## Participants

Thirteen male trained swimmers (body mass: $71.8 \pm 10 \mathrm{~kg}$, height: $177 \pm 7.6 \mathrm{~cm}$, age: $21.3 \pm 10$ years, arm span: $187.3 \pm$ 10 cm ) volunteered for this study. Swimmers took part in regional $(n=4)$ and national $(n=9)$ competitions, had $10.8 \pm 5.3$ years of experience as competitive swimmers and trained $8.9 \pm 2.8$ times a week (of which $3.1 \pm 1.6$ were dryland exercises) with $23.9 \pm 5.4 \mathrm{~km}$ of volume per week. Swimmers were specialized in freestyle $(n=7)$, breaststroke $(n=4)$, backstroke $(n=1)$, and butterfly $(n=1)$ at $50-200 \mathrm{~m}(n=$ $10)$ and 400-1,500 m $(n=3)$ distance events and completed their best swimming performance last year achieving $510 \pm 105$ FINA points with classification performance ranked at level 4 (RuizNavarro et al., 2022). Swimmers were free from physical limitations, health problems, or musculoskeletal injuries that could affect the tests, as well as reported not using drugs, medication, or dietary supplements that could have any influence on physical performance. Swimmers or their guardians were informed of the benefits and risks of the investigation prior to signing an informed consent. The study
was conducted according to the Declaration of Helsinki and was approved by the Institutional Review Board.

## Study design

Swimmers visited the swimming pool ten times separated by at least 24 h for 3 weeks. All trials were conducted individually in a 25 m indoor pool $\left(28-30^{\circ} \mathrm{C}\right)$. Experimental tests were carried out in two stages. The first stage consisted of four randomly performances for CS and $\mathrm{D}^{\prime}$ determination. The second stage included two high-intensity interval training sessions, in a random order, at a constant speed predicted to lead to exhaustion in 3 minutes during continuous exercise. Between the first and the second stages, the swimmers performed four or five trials to familiarize with this constant speed (Figure 1). All tests were performed in front crawl stroke with a push start and, the swimmers were verbally encouraged to perform the best performance possible (first stage) or continue for as long as possible (second stage). All tests were preceded by a standardized pool warm-up completed in the following order: 300 m freestyle (easy swim); $2 \times 100 \mathrm{~m}$ freestyle (second faster, higher distance per stroke); $2 \times 50 \mathrm{~m}$ ( 25 m kick/ 25 m easy); $2 \times 50 \mathrm{~m}$ ( 25 m drill/ 25 m easy); $4 \times 50 \mathrm{~m}$ ( 25 m at race pace $/ 25 \mathrm{~m}$ easy); and 100 m easy swim (Neiva et al., 2014). During the first stage, the race pace warm-up was performed at a speed that swimmers self-selected according to a priori expectations about their performances. In the second stage, the race pace warm-up was performed at a constant speed determined for the two interval training sessions. The constant speed was controlled by a pacing device (see below for further details). The warm-up protocol was followed by 10 min of passive rest. All tests started at the same time of
day ( $\pm 1 \mathrm{~h}$ ) to minimize any effects of diurnal variation (Lisboa et al., 2021). During the study, swimmers were asked to arrive at the swimming pool in a rested and fully hydrated state, abstain from alcohol and strenuous exercise 24 h before testing, and avoid ergogenic aid to enhance performance.

## Critical speed and constant swimming speed

Swimmers were instructed to swim distances of $200,400,600$, and 800 m as quickly as possible and each performance was recorded at the nearest 0.01 s by a manual stopwatch (Raimundo et al., 2020). These performances were used to calculate the CS (slope) and the D' ( $y$-intercept) by applying the distance-time linear regression model (Dekerle et al., 2002). The constant swimming speed that would be predicted to lead to exhaustion in 180 s during continuous exercise was calculated according to Eq. 3:

$$
\begin{equation*}
\text { speed }=C S+\left(D^{\prime} / t\right) \tag{3}
\end{equation*}
$$

where Speed is the target swimming speed, CS is the critical speed, $\mathrm{D}^{\prime}$ is the distance coursed above CS from distance-time linear regression model, and $t$ is the time to exhaustion (set at 180 s in this case).

## High-intensity interval training sessions

Swimmers performed two high-intensity interval training sessions. At each interval training session, the repetitions were fixed at 50 m and were conducted at constant swimming speed. The swimming speed was controlled by matching auditory signals from an electronic speaker (Beat Training \& Test, Cefise, Nova Odessa, Brazil) along with nine markers in contrasting colors placed every 2.5 m at the bottom and sides of the 25 m pool. In addition, two investigators walked along the side of the pool at pre-defined pace providing visual feedback when needed. Swimmers were asked to keep their head at the level of the markers for each auditory signal and the test continued until the swimmer's hand was unable to reach the marker despite strong verbal and visual encouragement (Bentley et al., 2005; Libicz et al., 2005). The exercise repetitions were interspersed by a passive rest with duration based on the work/ relief ratio. Thus, the training session was performed with a work/relief ratio of 2:1 (training 2:1; T2:1) or 4:1 (training 4:1; T4: 1). For example, a swimmer with a constant swimming speed of $1.44 \mathrm{~m} \mathrm{~s}^{-1}$ completed each repetition in approximately 35 s during both training sessions. Therefore, each relief interval lasted approximately 18 and 9 s in $\mathrm{T} 2: 1$ and $\mathrm{T} 4: 1$, respectively. The high-intensity interval training sessions were conducted on different days, performed to exhaustion, and continuously
recorded using a camera (Sony DCR-SR68, Tokyo, Japan; $30 \mathrm{~Hz})$ to determine the swimming speed and work and relief intervals durations. This camera was positioned near the edge of the swimming pool perpendicular to the lane. Data from recordings were extracted by a software (Kinovea, v. 0.9.5, MA, United States) and used in all subsequent analyses (i.e. time to perform 50 m and recovery time between repetitions).

## Data analysis

The $\mathrm{D}^{\prime}$ depletion for each 50 m course and $\mathrm{D}^{\prime}$ reconstitution during relief intervals were computed to calculate the time course of $\mathrm{D}^{\prime}$ for the entire interval training session. Data files were analyzed using the continuous equation previously reported by Skiba et al. (2012):

$$
\begin{equation*}
D^{\prime} b a l=D^{\prime}-\int_{0}^{t}\left(D^{\prime} \exp \right)\left(e^{-(t-u) / \tau D^{\prime}}\right) \tag{4}
\end{equation*}
$$

where $\mathrm{D}^{\prime}$ equals the subject's known $\mathrm{D}^{\prime}$ as calculated from distance-time linear model, D'exp is equal to the expended $\mathrm{D}^{\prime},(t-u)$ is equal to the time in seconds between segments of the exercise session that resulted in a depletion of $D^{\prime}$, and $\tau D^{\prime}$ is the time constant of the reconstitution of the $\mathrm{D}^{\prime}$. Thus, $\mathrm{D}_{\text {BAL }}$ at any point during an interval training session or race is the difference between the starting $\mathrm{D}^{\prime}$ from distance-time linear regression model and the total $\mathrm{D}^{\prime}$ expended, which is being recharged exponentially when speed falls below CS (Ferguson et al., 2010; Skiba et al., 2012). The $\tau \mathrm{D}^{\prime}$ for each participant and interval training session was calculated by an iterative process until modeled $\mathrm{D}^{\prime}$ bal equaled zero at exhaustion. Actual $\tau \mathrm{D}^{\prime}$ found by iterative process from $\mathrm{T} 2: 1$ and $\mathrm{T} 4: 1$ were plotted against the CS to determine the better equation to estimate $\tau \mathrm{D}$ '. In the present study, as the work intervals were interspersed with passive recovery periods, CS and difference between recovery speed and $\mathrm{CS}\left(\mathrm{D}_{\mathrm{CS}}\right)$ were equal.

The $\tau \mathrm{D}^{\prime}$ determined for each participant in each interval training session was applied for the other training session (i.e. the individual $\tau \mathrm{D}^{\prime}$ determined from $\mathrm{T} 2: 1$ was applied in $\mathrm{T} 4: 1$ and vice versa) to predict the time to exhaustion (TTE) and the $\mathrm{D}_{\text {BAL }}$ value at the point of interval session termination ( $\mathrm{D}^{\prime}{ }_{\text {END }}$ ). As previously noted by Shearman et al. (2016), the $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ values can be lower than the $\mathrm{D}_{\text {BAL }}^{\prime}$ value at the point of task failure. Therefore, the lowest $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ value attained ( $\mathrm{D}_{\text {LOW }}$ ) in each training was also determined.

## Statistical analysis

The data are shown as mean $\pm$ standard deviation (SD) or 95\% confidence interval (CI). Paired $t$-tests assessed possible differences in $\tau \mathrm{D}^{\prime}, \mathrm{D}_{\text {END }}^{\prime}, \mathrm{D}_{\text {LOW }}^{\prime}$, total $\mathrm{D}^{\prime}$ expended and reconstituted between training sessions, as well as actual and

TABLE 1 The mean and individual values of actual time constant of the reconstitution of the $\mathrm{D}^{\prime}$ found by an iterative process from T 2 : 1 and T4:1.

| Subject | T2:1 (s) | T4:1 (s) | Difference (s) |
| :---: | :---: | :---: | :---: |
| 1 | 86 | 86 | 0 |
| 2 | 75,5 | 205 | 129.5 |
| 3 | 73.5 | 58 | 15.5 |
| 4 | 81 | 49.5 | 31.5 |
| 5 | 68.4 | 45 | 23.4 |
| 6 | 70 | 100 | 30 |
| 7 | 46 | 24.5 | 21.5 |
| 8 | 71.5 | 51 | 20.5 |
| 9 | 65 | 250 | 185 |
| 10 | 169 | 500 | 331 |
| 11 | 78.5 | 4,000 | 3,921.5 |
| 12 | 77.7 | 57 | 20.7 |
| 13 | 69.5 | 36.5 | 33 |
| Mean | 79.4 | 420.2 | 366.4 |
| SD | 28.6 | 1,083.7 | 1,072.3 |

T2:1: Training session with work/relief ratio of 2:1; T4:1: Training session with work/ relief ratio of 4:1; SD: standard deviation.
predicted values. Bland and Altman plots (Bland and Altman, 1986) and coefficient of variation (Hopkins, 2000) examined the consistency of $\tau \mathrm{D}^{\prime}$ between training sessions and the predictive ability of the $\mathrm{D}^{\text {BAL }}$ model. The within-subject coefficient of variation was calculated by dividing the SD of the differences by the square root of two and dividing the result by the grand mean ( $\tau \mathrm{D}^{\prime}$ ) or mean of real value (TTE), and expressed as a percentage (Hopkins, 2000). Statistical significance was accepted at $p<0.05$. The analyses were performed using Statistical Package for Social Sciences (SPSS) Version 20.0 (SPSS Inc, Champaign, $\mathrm{IL})$. The relationships between $\tau \mathrm{D}^{\prime}$ and CS were assessed by linear and nonlinear regressions using GraphPad Prism Version 6.01 (GraphPad Prism; GraphPad Software, San Diego, CA).

## Results

The performances for $200,400,600$, and 800 m races lasted $136 \pm 8,297 \pm 21,461 \pm 35$, and $624 \pm 45 \mathrm{~s}$, respectively. The distance-time relationship provided average values of $1.23 \pm$ $0.09 \mathrm{~m} \mathrm{~s}^{-1}(91.2 \pm 2.7 \%$ of the 400 m pace) and $33.69 \pm$ 8.65 m for CS and $\mathrm{D}^{\prime}$, respectively. The goodness of fit of the distance-time relationship was $0.999 \pm 0.001$ (range: $0.998-0.999$ ). The mean standard error of the estimate were $0.01 \pm 0.01 \mathrm{~m} \mathrm{~s}^{-1}(1.1 \pm 0.7 \%)$ for CS and $5.95 \pm 3.87 \mathrm{~m}(18.7 \pm$ $12.4 \%$ ) for D'. Using Eq. 3, the constant swimming speed that would result in exhaustion in 180 s during continuous exercise was estimated to be $1.42 \pm 0.08 \mathrm{~m} \mathrm{~s}^{-1}(105.2 \pm 2.3 \%$ of the 400 m pace). The work interval duration was $35 \pm 2 \mathrm{~s}$, while the recovery


FIGURE 2
Bland-Altman plots between the time constant of the reconstitution of $\mathrm{D}^{\prime}\left(\tau \mathrm{D}^{\prime}\right)$ found by iterative process from training sessions with work/relief ratio of $2: 1$ (T2:1) and $4: 1$ (T4:1). The (A) included all swimmers while the (B) shows the data analyzed excluding the swimmer 11 (see results session for further details). Horizontal solid line represents the mean difference between $\tau \mathrm{D}^{\prime}$ found by iterative process from training sessions with work/relief ratio of 2:1 and 4:1, while horizontal dashed lines represent the $95 \%$ limit of agreement. $\mathbf{\Delta}$ represents the swimmer 11.
durations were $18 \pm 1 \mathrm{~s}$ for $\mathrm{T} 2: 1$ and $9 \pm 1 \mathrm{~s}$ for $\mathrm{T} 4: 1$. The TTE (work plus recovery intervals) were $856 \pm 355 \mathrm{~s}$ for $\mathrm{T} 2: 1$ and $301 \pm 72 \mathrm{~s}$ for $\mathrm{T} 4: 1$.

The mean and individual values of actual $\tau \mathrm{D}^{\prime}$ found by an iterative process from T2:1 and T4:1 are shown in Table 1. The $\tau \mathrm{D}^{\prime}$ was similar between T2:1 and T4:1 [t (12) $=-1.13, p>0.05$; $95 \% \mathrm{CI}=-994$ to 312 s$]$ but it showed a within-subject coefficient of variation of $306 \%$. Figure 2A shows the bias $\pm 95 \%$ limits of agreement of actual $\tau \mathrm{D}^{\prime}$ found interactively in $\mathrm{T} 2: 1$ and $\mathrm{T} 4: 1$. The $\mathrm{D}^{\prime}{ }_{\text {LOW }}$ was lower in $\mathrm{T} 2: 1(-1.86 \pm 1.73 \mathrm{~m})$ compared with $\mathrm{T} 4: 1$ $(-0.06 \pm 0.23 \mathrm{~m}) \quad[\mathrm{t}(12)=-4.13, p<0.05 ; 95 \%$ $\mathrm{CI}=-2.74$ to $-0.85 \mathrm{~m}]$. The $\mathrm{D}^{\prime}{ }_{\text {LOW }}$ was lower than zero for twelve swimmers in $\mathrm{T} 2: 1$ and for two swimmers in $\mathrm{T} 4: 1$, consequently it was equal to zero for one swimmer in T 2 : 1 and eleven swimmers in T4:1. The Total $\mathrm{D}^{\prime}$ reconstituted during the passive rests was higher in T2:1 (105 $\pm 63 \mathrm{~m})$ compared with T4:1 $(20 \pm 17 \mathrm{~m})[\mathrm{t}(12)=5.76, p<0.05 ; 95 \%$


FIGURE 3
Modeled $\mathrm{D}_{\text {BAL }}$ depletion and reconstitution for a representative swimmer in training sessions with a work/relief ratio of 2:1 (A) and 4:1 (B). An example for the same representative swimmer of individual $D_{\text {BAL }}^{\prime}$ model when $\tau D^{\prime}$ were inverted in training sessions with a work/relief ratio of 2:1 (C) and T4:1 (D). Gray bars indicate work intervals with $D^{\prime}$ depletion while white space indicates recovery intervals with $D^{\prime}$ reconstitution. Black line shows $\mathrm{D}^{\prime}$ during depletion and reconstitution cycles. Horizontal dotted line represents $\mathrm{D}^{\prime}$ equals zero and, in theory, the moment when the swimmer reaches volitional exhaustion.
$\mathrm{CI}=52-117 \mathrm{~m}]$, as well as total $\mathrm{D}^{\prime}$ expended during exercise was higher in T2:1 $(138 \pm 64 \mathrm{~m})$ compared with T4:1 $(53 \pm 18 \mathrm{~m})$ [ t (12) $=5.77, p<0.05 ; 95 \% \mathrm{CI}=52-117 \mathrm{~m}]$. An example of individual $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ model data for a single swimmer in both training sessions is shown in Figures $3 \mathrm{~A}, \mathrm{~B}$ (as these $\tau \mathrm{D}^{\prime}$ were calculated by iterative processes $\mathrm{D}^{\prime}$ END has to be equal to zero).

When the $\tau \mathrm{D}^{\prime}$ determined for T2:1 was applied in T4:1 and vice versa, the D' ${ }^{\text {END }}$ were similar between $\mathrm{T} 2: 1(-10.8 \pm 35.8 \mathrm{~m}$; $95 \% \mathrm{CI}=-32.5$ to 10.8 m$)$ and $\mathrm{T} 4: 1(-2.6 \pm 7.4 \mathrm{~m} ; 95 \%$ $\mathrm{CI}=-7.0$ to 1.9 m$)[\mathrm{t}(12)=-0.71, p>0.05 ; 95 \%$ CI $=-33.5$ to 16.9 m$]$. The bias and $95 \%$ limits of agreement between actual $\mathrm{D}^{\prime}{ }_{\text {END }}$ (i.e. interactively determined and equal to zero) and estimated $\mathrm{D}^{\prime}$ END (i.e. $\tau \mathrm{D}^{\prime}$ inverted) was 10.8 m and $-59.3-81.0 \mathrm{~m}$ for $\mathrm{T} 2: 1$ and 2.6 m and $-11.8-17.0 \mathrm{~m}$ for $\mathrm{T} 4: 1$, respectively.

An example of individual $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ model data when the $\tau \mathrm{D}^{\prime}$ was inverted for a single swimmer in both training sessions is shown in Figures 3C,D. It was not possible to predict the TTE with $\tau \mathrm{D}^{\prime}$ inverted in $\mathrm{T} 2: 1$ for seven swimmers because the $\mathrm{D}^{\prime}$ END did not approach zero. In the other six swimmers, the actual TTE was $653 \pm 267 \mathrm{~s}$, while the predicted TTE was $261 \pm 71 \mathrm{~s}$. The bias and $95 \%$ limits of agreement between actual and predicted TTE for T2:1 are shown in Figure 4A and the coefficient of variation
was $29 \%$. For T4:1 it was possible to predict the TTE ( $261 \pm 75 \mathrm{~s}$ ) for all swimmers when applied the $\tau \mathrm{D}^{\prime}$ found by an iterative process from T2:1. The bias and limits of agreement between actual and predicted TTE for T4:1 are shown in Figure 4B and the coefficient of variation was $28 \%$. No linear or nonlinear relationships were found between $\tau \mathrm{D}^{\prime}$ and CS (all $R^{2}<$ 0.04 or not converged; Figures $5 \mathrm{~A}, \mathrm{~B}$ ).

The swimmer 11 showed a very different $\tau \mathrm{D}^{\prime}$ value in T4: 1 ( $4,000 \mathrm{~s}$ ) compared with $\mathrm{T} 2: 1$ and other swimmers (Table 1). This swimmer exhibited no difference during the data collect. Thus, the source for this discrepancy is unclear (e.g. physiological response or random error), but results remain similar when reanalyzed excluding this swimmer. As a result of such reanalyzing, the withinsubject coefficient of variation of $\tau \mathrm{D}^{\prime}$ was $80.4 \%$ with no agreement between the two $\tau \mathrm{D}^{\prime}$ values (Figure 2B). The bias and $95 \%$ limits of agreement between actual and predicted TTE was 339 s and $-186-863 \mathrm{~s}$ for T2:1 $(n=5)$ as well as 49 s and $-182-281 \mathrm{~s}$ for $\mathrm{T} 4: 1$. Coefficient of variation between actual and predicted TTE was $43 \%$ for T2:1 $(n=5)$ and $29 \%$ for T4:1. No linear or nonlinear relationships between $\tau D^{\prime}$ and CS were found without the swimmer 11 (all $R^{2}<0.03$ or not converged; Figures 5C,D).


## FIGURE 4

Bland-Altman plots showing individual differences between actual and predicted time to exhaustion plotted against their individual mean values. Training sessions with a work/relief ratio of 2:1 (A) and with a work/relief ratio of 4:1 (B). Horizontal solid line represents the mean difference and while horizontal dashed lines represent the $95 \%$ limit of agreement. $\mathbf{\Delta}$ represents the swimmer 11 (see result section for bias and $95 \%$ limit of agreement analyses without this swimmer).

## Discussion

This was the first study to model the $\mathrm{D}^{\prime}$ expenditure and reconstitution during swimming exercise. The main finding of this study was that $\tau \mathrm{D}^{\prime}$ is not constant during two similar highintensity interval trainings, showing high variability between sessions. Thus, when the $\tau \mathrm{D}^{\prime}$ determined for $\mathrm{T} 2: 1$ was applied in $\mathrm{T} 4: 1$ and vice versa, the $\mathrm{D}^{\text {BAL }}$ model was inconsistent to predict the exhaustion of swimmers. In addition, $\tau \mathrm{D}^{\prime}$ was not related to CS regardless of the linear or nonlinear equations used. The initial hypothesis has been refuted, suggesting that the current form of $\mathrm{D}^{\prime}$ BAL model is inconsistent to track the dynamic response of $\mathrm{D}^{\prime}$ during intermittent swimming exercises.

Skiba et al. (2012) were the first to develop the CS/CP model for intermittent exercise using linear expenditure and curvilinear reconstitution of $\mathrm{W}^{\prime}$ during cycling. According to model theory,
the curvilinear reconstitution of the $\mathrm{D}^{\prime} / \mathrm{W}^{\prime}$ occurs below $\mathrm{CS} / \mathrm{CP}$ and it is dependent on the difference between recovery intensity and CS/CP (Chidnok et al., 2012; Skiba et al., 2012). Therefore, different training sessions with the same recovery intensity should produce the same $\tau \mathrm{D}^{\prime} / \tau \mathrm{W}^{\prime}$. However, Skiba et al. (2014b) reported that decreasing the recovery duration from 30 to 20 s resulted in an additional reduction of $\tau \mathrm{W}^{\prime}$ during cycling exercise with the same recovery intensity. Recently, Caen et al. (2019) and Lievens et al. (2020) confirmed that recovery characteristics can affect $\mathrm{W}^{\prime}$ reconstitution during cycling exercise. In particular, the model seems to underestimate the reconstitution of $\mathrm{W}^{\prime}$ after shorter recovery intervals (Caen et al., 2019). In addition, Chorley et al. (2019) and Chorley et al. (2020) reported that the reconstitution of $\mathrm{W}^{\prime}$ is subject to fatigue following successive bouts of maximal exercise and related to aerobic fitness. Taken together, these results demonstrate that the reconstitution of $\mathrm{D}^{\prime} / \mathrm{W}^{\prime}$ is more complex than the current model considers (Equations (1) and (4)). As $\tau \mathrm{D}^{\prime}$ represents the rate of $\mathrm{D}^{\prime}$ reconstitution, any physiological changes related to $\mathrm{D}^{\prime}$ reconstitution should affect $\tau D^{\prime}$. However, the physiological parameters related to $\mathrm{D}^{\prime} / \mathrm{W}^{\prime}$ have yet to be fully elucidated (Broxterman et al., 2015; Vanhatalo et al., 2016; Raimundo et al., 2019) to improve understanding of $\mathrm{D}^{\prime} / \mathrm{W}^{\prime}$ reconstitution. In the present study, although not statistically different, $\tau \mathrm{D}^{\prime}$ had high variability between training sessions, which resulted in low predictability of $\mathrm{D}^{\prime}$ END and TTE when the $\tau \mathrm{D}^{\prime}$ determined for $\mathrm{T} 2: 1$ was applied in $\mathrm{T} 4: 1$ and vice versa. Notably, most studies reporting $\tau \mathrm{D}^{\prime}$ and the predictive ability of the $\mathrm{D}^{\text {BaL }}$ model have only reported systematic changes (Skiba et al., 2014b; Broxterman et al., 2016; Shearman et al., 2016). Despite being an important component for analyzing the robustness of the model, systematic changes do not indicate the consistency of $\tau \mathrm{D}^{\prime}$ and $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ model as a coefficient of variation and limits of agreement (Hopkins, 2000). Therefore, the dynamics of $\mathrm{D}^{\prime}$ reconstitution need to be better understood and mathematically described for $\tau \mathrm{D}^{\prime}$ to be widely applicable during different swimming interval trainings.

The present study observed that $\tau \mathrm{D}^{\prime}$ was not related to CS regardless of linear or nonlinear equations used. On the other hand, $\tau \mathrm{W}^{\prime}$ was previously related to $\mathrm{D}_{\mathrm{CP}}$ or CP in cycling, running, and handgrip exercises (Skiba et al., 2012; Broxterman et al., 2016; Vassallo et al., 2020). As previously mentioned, it is possible that no relationship was found because of the high within-subject variability of $\tau$ D'. Also, the discrepancies between results might, to a large extent, be due to these studies employing recovery intensity based on different exercise domains (Skiba et al., 2012; Vassallo et al., 2020) or different contraction-relaxation cycles (Broxterman et al., 2016). In accordance, when performing a visual inspection in figures presented by Skiba et al. (2012), Vassallo et al. (2020), and Broxterman et al. (2016), the relationships would likely have a worse or no fit if only one exercise domain were used for recovery intensity


FIGURE 5
Relationship between Critical Speed and $\tau D^{\prime}$ found by iterative process from training sessions with a work/relief ratio of 2:1 (T2:1) or $4: 1$ (T4:1). (A) and (B) show data analysis with all swimmers included. (C) and (D) show data analysis excluding the swimmer 11 (see results session for further details). $\Delta$ represents the swimmer 11.
(Skiba et al., 2012; Vassallo et al., 2020) or contraction-relaxation cycle (Broxterman et al., 2016). Therefore, although passive rests are usually employed during swimming interval trainings, future studies should relate $\tau \mathrm{D}^{\prime}$ and $\mathrm{D}_{\mathrm{CS}}$ with recovery intensities of different exercise domains.

Considering the aspects mentioned above, the current form of $\mathrm{D}^{\text {BAL }}$ model was inconsistent for the swimming interval training sessions tested herein. Before incorporating the $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ model into common practices of swimming teams, this model should include other physiological variables as $\tau \mathrm{D}^{\prime}$ not being constant during a training session (Chorley et al., 2019). For instance, phosphocreatine seems to be one of the determinants of D'/W' (Miura et al., 1999) as intramuscular phosphocreatine is depleted during high-intensity exercise (Vanhatalo et al., 2010). However, a model for phosphocreatine resynthesis showed a higher concentration of phosphocreatine after exercise, with the phosphocreatine concentration rising $\sim 5 \%$ above that recorded at rest (Nevill et al., 1997). Furthermore, priming exercise can increase CS/CP and/or D'/W' (Miura et al., 2009; Burnley et al., 2011), overestimating the amount of $\mathrm{D}^{\prime} / \mathrm{W}^{\prime}$ depleted during exercise above $\mathrm{CS} / \mathrm{CP}$ and underestimating the replenishment during exercise below CS/CP. Collectively, all these physiological factors should be considered to provide a greater practical application of $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ model in swimming.

## Limitations

The present study and others reported a high standard error of the estimate for D' (Dekerle and Paterson, 2016), which is usually higher in swimming than in other exercise modes (e.g. running and cycling). While the best practices to determine CS and $\mathrm{D}^{\prime}$ were used (Muniz-Pumares et al., 2019; Raimundo et al., 2020), we acknowledge that a high standard error of the estimate for $\mathrm{D}^{\prime}$ can decrease $\mathrm{D}_{\text {BAL }}{ }^{\prime}$ model accuracy in swimming. In addition, the swimmers were asked to swim at a constant pre-determined speed, in which there could be some little variation. This possibility was considered prior to the study, we accounted for potential pacing variability by cuing participants according to pre-programmed audio signals, a priori familiarization with the protocol, and data analyses performed by video. Lastly, we did not notice any visual difference between predetermined and real speed during the data collect.

## Practical applications

Based on the findings of the present study, the $\mathrm{D}_{\text {BAL }}$ model should be further explored and improved to consistently track the dynamic response of $\mathrm{D}^{\prime}$ during intermittent swimming exercise. Thus, the $\mathrm{D}^{\prime}{ }_{\mathrm{bAL}}$ model needs to take into account other more complex physiological mechanisms that are not currently
incorporated as $\tau \mathrm{D}^{\prime}$ not being constant during different training sessions with the passive recovery. Hence, athletes and coaches should be aware that the current $\mathrm{D}^{\prime}{ }_{\text {BAL }}$ model may not predict the balance of $\mathrm{D}^{\prime}$ remaining at any given time during swimming interval training. Overcoming these shortcomings, the $\mathrm{D}^{\prime}$ BAL model could contribute to the training prescription in different exercise modalities, especially in swimming which has limitations imposed by the aquatic environment. Lastly, it would be interesting to estimate $\tau \mathrm{D}^{\prime}$ based on only passive rests, which are mostly used for swimming.

## Conclusion

In summary, this study confirmed that $\tau \mathrm{D}^{\prime}$ is not constant during two swimming interval training sessions, although the same recovery intensity has been used. Consequently, when the $\tau \mathrm{D}^{\prime}$ determined for $\mathrm{T} 2: 1$ was applied in T4:1 and vice versa, the $D^{\prime}{ }_{\text {BAL }}$ model was not able to predict the exhaustion of swimmers. Therefore, the current form of $\mathrm{D}_{\text {BAL }}$ model was inconsistent to track the dynamic response of $\mathrm{D}^{\prime}$ during swimming, at least for the interval workouts tested herein.

## Data availability statement

The raw data supporting the conclusions of this article will be made available by the corresponding author on reasonable request, without undue reservation.

## Ethics statement

The studies involving human participants were reviewed and approved by Santa Catarina State University Institutional Review Board on Humans Research. Written informed consent to participate in this study was provided by the participants' legal guardian/next of kin.

## References

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## Author contributions

JR: Conceptualization, Methodology, Investigation, Data Curation, Writing-Original Draft. RD: Methodology, Formal analysis, Writing-Review and Editing. FL: Formal analysis, Writing-Review and Editing. GR: Investigation, Data Curation, Writing-Review and Editing. FC: Conceptualization, Resources, Writing-Review and Editing. All authors approved the final version of the study.

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## Conflict of interest

The authors declare that the research was conducted in the absence of any commercial or financial relationships that could be construed as a potential conflict of interest.

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Burnley, M., Davison, G., and Baker, J. R. (2011). Effects of priming exercise on VO2 kinetics and the power-duration relationship. Med. Sci. Sports Exerc. 43, 2171-2179. doi:10.1249/MSS.0b013e31821ff26d

Caen, K., Bourgois, J. G., Bourgois, G., T, V. D. S., Vermeire, K., and Boone, J. (2019). The reconstitution of W' depends on both work and recovery characteristics. Med. Sci. Sports Exerc. 51, 1745-1751. doi:10.1249/MSS. 0000000000001968
Capelli, C., Pendergast, D. R., and Termin, B. (1998). Energetics of swimming at maximal speeds in humans. Eur. J. Appl. Physiol. Occup. Physiol. 78, 385-393. doi:10.1007/s004210050435

Chidnok, W., Dimenna, F. J., Bailey, S. J., Vanhatalo, A., Morton, R. H., Wilkerson, D. P., et al. (2012). Exercise tolerance in intermittent cycling: Application of the critical power concept. Med. Sci. Sports Exerc. 44, 966-976. doi:10.1249/MSS.0b013e31823ea28a

Chorley, A., Bott, R. P., Marwood, S., and Lamb, K. L. (2020). Physiological and anthropometric determinants of critical power, $\mathrm{W}^{\prime}$ and the reconstitution of $\mathrm{W}^{\prime}$ in trained and untrained male cyclists. Eur. J. Appl. Physiol. 120, 2349-2359. doi:10. 1007/s00421-020-04459-6

Chorley, A., Bott, R. P., Marwood, S., and Lamb, K. L. (2019). Slowing the reconstitution of W' in recovery with repeated bouts of maximal exercise. Int. J. Sports Physiol. Perform. 14, 149-155. doi:10.1123/ijspp.2018-0256

Coats, E. M., Rossiter, H. B., Day, J. R., Miura, A., Fukuba, Y., and Whipp, B. J. (2003). Intensity-dependent tolerance to exercise after attaining $\mathrm{V}(\mathrm{O} 2)$ max in humans. J. Appl. Physiol. 95, 483-490. doi:10.1152/japplphysiol.01142.2002

Dekerle, J., and Paterson, J. (2016). Muscle fatigue when swimming intermittently above and below critical speed. Int. J. Sports Physiol. Perform. 11, 602-607. doi:10. 1123/ijspp.2015-0429

Dekerle, J., Sidney, M., Hespel, J. M., and Pelayo, P. (2002). Validity and reliability of critical speed, critical stroke rate, and anaerobic capacity in relation to front crawl swimming performances. Int. J. Sports Med. 23, 93-98. doi:10.1055/s-2002-20125

Ferguson, C., Rossiter, H. B., Whipp, B. J., Cathcart, A. J., Murgatroyd, S. R., and Ward, S. A. (2010). Effect of recovery duration from prior exhaustive exercise on the parameters of the power-duration relationship. J. Appl. Physiol. 108, 866-874. doi:10.1152/japplphysiol.91425.2008
Fukuba, Y., Miura, A., Endo, M., Kan, A., Yanagawa, K., and Whipp, B. J. (2003). The curvature constant parameter of the power-duration curve for varied-power exercise. Med. Sci. Sports Exerc. 35, 1413-1418. doi:10.1249/01.MSS.0000079047.84364.70

Galbraith, A., Hopker, J., and Passfield, L. (2015). Modeling intermittent running from a single-visit field test. Int. J. Sports Med. 36, 365-370. doi:10.1055/s-0034-1394465

Hill, A. V. (1925). The physiological basis of athletic Recordsl. Nature 116, 544-548. doi:10.1038/116544a0

Hopkins, W. G. (2000). Measures of reliability in sports medicine and science. Sports Med. 30, 1-15. doi:10.2165/00007256-200030010-00001

Hureau, T. J., Broxterman, R. M., and Weavil, J. C. (2016). The mechanistic basis of the power-time relationship: Potential role of the group III/IV muscle afferents. J. Physiol. 594, 7165-7166. doi:10.1113/JP273333

Jones, A. M., and Vanhatalo, A. (2017). The 'critical power' concept: Applications to sports performance with a focus on intermittent high-intensity exercise. Sports Med. 47, 65-78. doi:10.1007/s40279-017-0688-0

Libicz, S., Roels, B., and Millet, G. P. (2005). VO2 responses to intermittent swimming sets at velocity associated with VO2max. Can. J. Appl. Physiol. 30, 543-553. doi:10.1139/h05-140

Lievens, M., Caen, K., Bourgois, J. G., Vermeire, K., and Boone, J. (2020). W' reconstitution accelerates more with decreasing intensity in the heavy versus the moderate intensity domain. Med. Sci. Sports Exerc. 53, 1276-1284. doi:10.1249/ MSS. 0000000000002574

Lisboa, F. D., Raimundo, J. a. G., Pereira, G. S., Ribeiro, G., De Aguiar, R. A., and Caputo, F. (2021). Effects of time of day on race splits, kinematics, and blood lactate during a $50-\mathrm{m}$ front crawl performance. J. Strength Cond. Res. 35, 819-825. doi:10. 1519/JSC. 0000000000002794
Miura, A., Kino, F., Kajitani, S., Sato, H., and Fukuba, Y. (1999). The effect of oral creatine supplementation on the curvature constant parameter of the powerduration curve for cycle ergometry in humans. Jpn. J. Physiol. 49, 169-174. doi:10.2170/jjphysiol.49.169

Miura, A., Shiragiku, C., Hirotoshi, Y., Kitano, A., Endo, M. Y., Barstow, T. J., et al. (2009). The effect of prior heavy exercise on the parameters of the power-duration curve for cycle ergometry. Appl. Physiol. Nutr. Metab. 34, 1001-1007. doi:10.1139/H09-103

Muniz-Pumares, D., Karsten, B., Triska, C., and Glaister, M. (2019). Methodological approaches and related challenges associated with the determination of critical power and curvature constant. J. Strength Cond. Res. 33, 584-596. doi:10.1519/JSC. 0000000000002977

Neiva, H. P., Marques, M. C., Fernandes, R. J., Viana, J. L., Barbosa, T. M., and Marinho, D. A. (2014). Does warm-up have a beneficial effect on $100-\mathrm{m}$ freestyle? Int. J. Sports Physiol. Perform. 9, 145-150. doi:10.1123/ijspp.2012-0345
Nevill, A. M., Jones, D. A., Mcintyre, D., Bogdanis, G. C., and Nevill, M. E. (1997). A model for phosphocreatine resynthesis. J. Appl. Physiol. 82, 329-335. doi:10.1152/ jappl.1997.82.1.329
Nugent, F. J., Comyns, T. M., Burrows, E., and Warrington, G. D. (2017). Effects of low-volume, high-intensity training on performance in competitive swimmers: A systematic Review. J. Strength Cond. Res. 31, 837-847. doi:10.1519/JSC. 0000000000001583
Patton, M. R., Froncioni, A., and Wooles, A. (2013). "Optimization of pacing strategy in olympic team pursuit cycling using field-derived drag parameters," in American college of sports medicine (Indianapolis, USA: Med Sci Sports Exerc).

Poole, D. C., Burnley, M., Vanhatalo, A., Rossiter, H. B., and Jones, A. M. (2016). Critical power: An important fatigue threshold in exercise Physiology. Med. Sci. Sports Exerc. 48, 2320-2334. doi:10.1249/MSS. 0000000000000939
Pyne, D. B., and Sharp, R. L. (2014). Physical and energy requirements of competitive swimming events. Int. J. Sport Nutr. Exerc. Metab. 24, 351-359. doi:10.1123/ijsnem.2014-0047
Raimundo, J. a. G., Turnes, T., De Aguiar, R. A., Lisboa, F. D., Loch, T., Ribeiro, G., et al. (2019). The severe exercise domain amplitude: A comparison between endurance runners and cyclists. Res. Q. Exerc. Sport 90, 3-13. doi:10.1080/ 02701367.2018.1549356

Raimundo, J. A., Ribeiro, G., Lisboa, F. D., Pereira, G. S., Loch, T., De Aguiar, R. A., et al. (2020). The effects of predictive trials on critical stroke rate and critical swimming speed. J. Sports Med. Phys. Fit. 60, 1329-1334. doi:10.23736/S0022-4707. 20.10846-6

Ruiz-Navarro, J. J., Lopez-Belmonte, O., Gay, A., Cuenca-Fernandez, F., and Arellano, R. (2022). A new model of performance classification to standardize the research results in swimming. Eur. J. Sport Sci., 1-11. doi:10.1080/17461391.2022. 2046174

Shearman, S., Dwyer, D., Skiba, P., and Townsend, N. (2016). Modeling intermittent cycling performance in hypoxia using the critical power concept. Med. Sci. Sports Exerc. 48, 527-535. doi:10.1249/MSS. 0000000000000794

Skiba, P. F., Chidnok, W., Vanhatalo, A., and Jones, A. M. (2012). Modeling the expenditure and reconstitution of work capacity above critical power. Med. Sci. Sports Exerc. 44, 1526-1532. doi:10.1249/MSS.0b013e3182517a80
Skiba, P. F., Clarke, D., Vanhatalo, A., and Jones, A. M. (2014a). Validation of a novel intermittent ${ }^{\prime}$ ' model for cycling using field data. Int. J. Sports Physiol. Perform. 9, 900-904. doi:10.1123/ijspp.2013-0471
Skiba, P. F., Jackman, S., Clarke, D., Vanhatalo, A., and Jones, A. M. (2014b). Effect of work and recovery durations on W' reconstitution during intermittent exercise. Med. Sci. Sports Exerc. 46, 1433-1440. doi:10.1249/MSS. 0000000000000226

Vanhatalo, A., Black, M. I., Dimenna, F. J., Blackwell, J. R., Schmidt, J. F., Thompson, C., et al. (2016). The mechanistic bases of the power-time relationship: Muscle metabolic responses and relationships to muscle fibre type. J. Physiol. 594, 4407-4423. doi:10.1113/JP271879
Vanhatalo, A., Fulford, J., Dimenna, F. J., and Jones, A. M. (2010). Influence of hyperoxia on muscle metabolic responses and the power-duration relationship during severe-intensity exercise in humans: A 31P magnetic resonance spectroscopy study. Exp. Physiol. 95, 528-540. doi:10.1113/ expphysiol.2009.050500
Vassallo, C., Gray, A., Cummins, C., Murphy, A., and Waldron, M. (2020). Exercise tolerance during flat over-ground intermittent running: Modelling the expenditure and reconstitution kinetics of work done above critical power. Eur. J. Appl. Physiol. 120, 219-230. doi:10.1007/s00421-019-04266-8


[^0]:    Bentley, D. J., Roels, B., Hellard, P., Fauquet, C., Libicz, S., and Millet, G. P. (2005). Physiological responses during submaximal interval swimming training: Effects of interval duration. J. Sci. Med. Sport 8, 392-402. doi:10.1016/s1440-2440(05)80054-4
    Bland, J. M., and Altman, D. G. (1986). Statistical methods for assessing agreement between two methods of clinical measurement. Lancet 1, 307-310. doi:10.1016/s0140-6736(86)90837-8

    Broxterman, R. M., Ade, C. J., Craig, J. C., Wilcox, S. L., Schlup, S. J., and Barstow, T. J. (2015). Influence of blood flow occlusion on muscle oxygenation characteristics and the parameters of the power-duration relationship. J. Appl. Physiol. 118, 880-889. doi:10.1152/japplphysiol.00875.2014

    Broxterman, R. M., Skiba, P. F., Craig, J. C., Wilcox, S. L., Ade, C. J., and Barstow, T. J. (2016). W' expenditure and reconstitution during severe intensity constant power exercise: Mechanistic insight into the determinants of W. Physiol. Rep. 4, e12856. doi:10.14814/phy2.12856

