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# [Improved two-photon](https://www.frontiersin.org/articles/10.3389/fnano.2022.998656/full) [photopolymerisation and optical](https://www.frontiersin.org/articles/10.3389/fnano.2022.998656/full) [trapping with](https://www.frontiersin.org/articles/10.3389/fnano.2022.998656/full) [aberration-corrected structured](https://www.frontiersin.org/articles/10.3389/fnano.2022.998656/full) [light](https://www.frontiersin.org/articles/10.3389/fnano.2022.998656/full)

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We demonstrate the effectiveness of phase only aberration corrections of structured light and their application to versatile optical trapping setups. We calculate phase corrections before (ex-situ) and after (in-situ) a high numerical aperture microscope objective using a spatial light modulator (SLM), and investigate how these corrections can be used to improve the efficiency and resolution of micro-structures fabricated through two-photonphotopolymerisation (2PP). We apply a phase retrieval algorithm to correct for distortions in a femtosecond laser that enables the fabrication of 3D structures using as many as 50 simultaneous foci. The inclusion of aberration correction in the fabrication process shows improved confinement of optically trapped particles and more efficient polymerisation while minimising intensity variations at individual foci, which potentially damage the structure during fabrication. We find that phase corrections allow for consistent voxel sizes, increased sharpness, and an expanded effective printing range when using an SLM, while also allowing for closer proximity of individual trap foci, minimising interference effects that hinder fabrication resolution.

#### KEYWORDS

aberration correction, two photon polymerization (2PP), holographic optical tweezers, optical trapping, micro-structures, nanofabriaction, computer generated hologram (CGH), photopolymerisation

## 1 Introduction

Microfabrication using two-photon-polymerisation (2PP) provides a means to study biological systems within a broad range of length-scales, from single-cell organisms ([Vizsnyiczai et al., 2020\)](#page-11-0) to macroscopic environments [\(Galajda et al., 2007](#page-10-0)). The ability to consistently and efficiently fabricate high resolution micromachines and patterned environments is dependent on one's ability to precisely control feature sizes by limiting aberrations present within a given optical system. Several variations on printing using a scanning stage ([Maruo et al., 1997](#page-10-1)) are frequently used, such as image projection [\(Yang et al., 2014](#page-11-1)), using computer-controlled holograms [\(Kelemen et al., 2007\)](#page-10-2) or scanning using synchronised galvo-mirrors [\(Farsari et al., 2006](#page-10-3)). Each method has select applications, though each ultimately with the goal of rapidly fabricating devices with high resolution. In this work we examine how we can use a modified holographic optical tweezers apparatus to rapidly fabricate micron-scale structures while simultaneously mitigating aberrations that prevent optimal performance.

Diffraction limited focusing of laser light is commonplace in optical systems utilising high numerical aperture objectives. It is also used extensively in optical trapping systems and more generally in optical imaging. A prerequisite for optimal focusing is a near-perfect Gaussian spot. In practice, deviations from this approximation may arise due to imperfections in the laser's output beam, or distortions introduced by any number of optical elements within the experimental system, ultimately limiting optical trap quality ([\(Vermeulen et al., 2006](#page-11-2)), ([Wulff et al., 2006](#page-11-3))). Aberrations can, however, be compensated for by altering the beam's phase with the use of holographic plates ([Ward et al., 1971\)](#page-11-4), or more commonly, computer generated holograms [\(Jesacher et al., 2007\)](#page-10-4).

Apart from optimising holographic optical traps, correcting beam aberrations is also shown to be a crucial step in nanofabrication systems that utilise dynamic holographic patterns ([\(Kelemen et al.,](#page-10-5) [2011\)](#page-10-5),[\(Stichel et al., 2016\)](#page-10-6)). Nanofabrication has proven to be exceptionally useful for laboratories to carry out controlled experiments in fields such as fluid dynamics ([Schizas et al., 2010\)](#page-10-7), optical trapping [\(Knöner et al., 2006\)](#page-10-8), cell sorting ([Reichhardt and](#page-10-9) [Reichhardt, 2017](#page-10-9)) and micromachines [\(Otuka et al., 2021\)](#page-10-10). In this paper we outline how a spatial light modulator (SLM) can be used to fabricate small-scale structures with exceptional precision and control. We demonstrate how an SLM can be used to improve focused beam quality and structure resolution as well as incorporating dynamic power control, fabrication using many beams, and polymerisation of photosensitive resin using complex light patterns.

Commonly, phase corrections are performed in the conjugate plane of the SLM. The correction found at this point likely differs from the correction at the optical trap location (Fourier plane), since the beam typically has to pass though additional optical components, including a high numerical aperture objective, introducing additional aberrations which would otherwise not be accounted for. We examine benefits of phase-only aberration correction, performed before and after the microscope objective in order to determine if such corrections are necessary for many-foci fabrication, and if so, what factor of quality improvement can be obtained.

#### 1.1 Aberration correction

Optimal focusing of light and hence voxel resolution is achieved in the case that the beam entering the high NA objective has an amplitude profile closely resembling a Gaussian beam. Distortions from the laser beam output, or any number of elements within the optical system can lead to optical aberrations that prove detrimental to the quality of the beam focus. One of the most prevalent methods of aberration corrections are the Zernike polynomials ([Zernike, 1934\)](#page-11-5). These are polynomial functions, whose radial and azimuthal components describe common beam aberrations, can be displayed on an SLM to correct for specific beam distortions [\(Born and Wolf, 2013\)](#page-10-11). Phase retrieval algorithms, however, have the ability to correct aberrations even if the type of distortion is unknown or involves a combination of several complex beam defects (Čiž[már et al., 2010\)](#page-10-12). The principle behind this method involves maximising the interference signal between two regions of the SLM, as one area is kept at a constant phase and the other is varied over the range  $0 \rightarrow 2\pi$ . Furthermore, the method employed here [\(Stilgoe and Rubinsztein-Dunlop, 2021\)](#page-11-6) is capable of correcting for non-uniform modes on the SLM in a single pass. These phase retrieval methods are particularly useful for optical trapping and 2PP applications, since the only requirement for the interference signal is that it is measured at the focus of the beam in the conjugate or Fourier plane of the SLM. This includes phase retrieval after the high NA objective, allowing for phase corrections within a sample.

We show how such corrections prove particularly useful when fabricating micro-structures using complex light, and become necessary when many simultaneous foci are used. Because high throughput power is required, small beam distortions translate to significant power differences at individual foci, which are compensated for by incorporating phase-only correcting holograms to the calculated phase patterns.

### 1.2 Two-photon-photopolymerisation

Two-photon-photopolymerisation (2PP) is the process of polymerising microscopic volumes of photosensitive resin, typically through cross-linking of polymer molecules which is achieved through a threshold process at sufficiently high energies [\(Sun and Kawata, 2004](#page-11-7)). 2PP is especially attractive for nanofabrication due to the ability to polymerise 3D volumes as opposed to single-photon-polymerisation events which are linearly proportional to laser intensity and are therefore restricted to polymerising 2D surfaces. 2PP on the other hand scales with square dependence on intensity  $I^2$  ([Kawata et al.,](#page-10-13) [2001](#page-10-13)) through the existence of a virtual state in the excitation process. For one of these polymer molecules to undergo a transition to an excited state, a second photon must interact with the same molecule within the virtual state's lifetime  $(< 10^{-15}$ s). Conventional continuous-wave lasers do not have the photon density for this transition to consistently occur. This process is easily achieved with a femtosecond laser with a

considerably higher output power per pulse than is achievable with a continuous wavelength laser. This square-intensity dependence means that volumes smaller than the diffractionlimit can be achieved ([Odian, 2004](#page-10-14)), as the high intensity needed for the process to occur will be only in the focal spot of the beam, leading to remarkable resolution of individual volumetric pixels (voxels).

The application to nanofabrication naturally extends to stacking these voxels to form complex 3D structures. Since the demonstration of micro-structure fabrication in 1997, ([Maruo et al., 1997\)](#page-10-1), research applications were rapidly realised, leading to a range of commercial micro-machines and purpose-designed photo-initiators used in the process. These purpose-built devices typically use scanning beams that are capable of remarkable resolution, particularly when used with tailored photosensitive resins, generally located in clean-rooms. We focus on optimising small scale in-house setups aimed at those who are wanting to print versatile structures using structured light, or looking to expand the capabilities of optical trapping setups. Printing using structured light enables intricately patterned structures to be produced that might be of broad use in a variety of situations such as microfluidic devices [\(Ji](#page-10-15) [et al., 2019](#page-10-15)), cell trapping ([Xu et al., 2020\)](#page-11-8), holographic tweezers ([Agate et al., 2004](#page-10-16)) and many more.

#### 1.3 Single-beam fabrication

In the simplest 2PP implementations, a sample containing photosensitive resin can be placed at the focus of an inverted microscope configuration, where structures are then fabricated by scanning a nanopositioning stage. Installing a synchronised shutter allows for voxel-by-voxel printing with high resolution. Whilst this configuration may be suitable for fabricating single structures, the fabrication speed is often limited by the time required to polymerise individual voxel sites. This time restriction is dependent on many experimental factors, particularly, laser power, resin thickness and the type of photosensitive material used. In the case of the Norlands (NOA63) adhesive used in this study, we previously found that for a given threshold power of 10 mW, at least 40 ms exposure is required to produce voxels ~ 200 nm in diameter [\(Asavei et al., 2009](#page-10-17)). Such a time restriction means that producing 3D structures quickly becomes unfeasible as the volume of the structure is increased.

Computer controlled diffractive optical elements such as Digital Micromirror Devices (DMDs) [\(Gauthier et al., 2016](#page-10-18)) or Spatial Light Modulators (SLMs) [\(Obata et al., 2010](#page-10-19)) are able to control the amplitude or phase of light respectively through beam modulation ([Gauthier et al., 2021](#page-10-20)). In this study we use an SLM for several applications in the fabrication process including; beam positioning, power control and phase-only corrections. SLMs and DMDs also have benefits for ensuring fabrication consistency for structures printed by scanning single beams. Blazed gratings can control lateral positions, as well as controlling the axial position of the beam focus with a spherical lens function. If the device has nonuniform illumination the diffracted power is likely to decrease with distance from the zero order. This effect can be compensated for by mapping the intensity variation over a given area and subsequently applying a dithering pattern to normalise power, and consequently voxel size. This dithering function has been shown to be effective at scattering  $> 90\%$  of beam power, allowing for dynamic, position dependent power control during fabrication.

#### 1.4 2PP with structured light

A diffractive optical element can be used to split an incoming beam to produce independent foci, simply by adding grating and lens phase functions [\(Jones et al., 2015\)](#page-10-21). Such a beam can then be used to polymerise multiple sites simultaneously. The procedure, however, is only effective for a small number of trapping sites (typically ~ 5) and offers poor efficiency ([Andrews, 2011\)](#page-10-22) before interference between traps becomes an issue. A more effective method of producing complex light fields with the aim of decreasing fabrication time is using one of several variations of the Gerchberg-Saxton (GS) algorithm ([Gerchberg, 1972\)](#page-10-23). Either by polymerising a 2D surface, or generating many independently controllable foci. In its' traditional implementation, the GS algorithm is an iterative phase-retrieval process that finds the phase mask required to produce an arbitary amplitude intensity given a Gaussian input beam.

Whilst 2D regions can be polymerised given a sufficient input power, we find more versatility in fabricating single structures using many independent foci. In this instance, each foci traces out a predefined region of a given bitmap to ensure maximal separation of all foci during the fabrication process. When producing phase masks that generate many foci, we follow the method outlined in, [\(Di](#page-10-24) [Leonardo et al., 2007\)](#page-10-24), which uses a weighted algorithm that seeks to minimise amplitude deviations for point-like traps. Additionally being able to weight the amplitude of each point allows for exceptional spatially-dependent, dynamic power control.

In this study we examine how various fabrication methods can be optimised with an SLM, using phase-only aberration corrections. This is an important step when fabricating structures which are hollow or tall ([Kelemen et al., 2011](#page-10-5)), due to the effect of beam distortions present in the output of the laser, or due to numerous optical elements. The print time scales with the cube of the object length for a volume, but hollow shells will print with times scaling with the square of the length. Creating hollow structures that are able to withstand the washing process can drastically reduce the fabrication time for large structures.

## 1.5 Optical tweezers

Another case where a high-quality tightly-focused focal spot is very important is optical tweezers [\(Ashkin et al., 1986;](#page-10-25) [Jones et al.,](#page-10-21)

[2015\)](#page-10-21). Typically, optimum trapping requires an aberration-free focal spot. Structured light is often used in optical trapping, such as Laguerre-Gauss beams for optical rotation [\(Asavei et al., 2009\)](#page-10-17), or multiple Gaussian spots for simultaneous trapping of multiple particles. Optical tweezers systems using structured light are often called "holographic optical tweezers" (HOT) [\(Jones et al., 2015\)](#page-10-21). Therefore, just as aberration correction can benefit 2PP, it can also benefit optical trapping. This includes single Gaussian beams, multiple Gaussian focal spots, and more complex structured light fields.

Here, we will examine using phase-only aberration corrections to optimise single and multiple beam optical tweezers. We will also use optical tweezers to provide a quantitative measurement of the improvement of the focal spot volume.

# 2 Methodology

## 2.1 Experimental setup

Our setup, shown in [Figure 1A](#page-3-0) consists of a 532 nm laser (Millennia 15 W), used to pump a femtosecond laser (Coherent Mira 900 F) tuned to 790 nm, producing < 115fs pulses with an average output power of 500 mW. The 2 mm diameter output beam is collimated and expanded  $\times$  5, before being projected onto a (Meadowlark 512  $\times$  512) Spatial Light Modulator with a 12 mm active screen area. Transfer optics are used to reduce to the beam size by a factor of 2 to approximately match the input of an inverted 1.3 NA 100× oil-immersion objective (Olympus), with a 0.2 mm working distance. The sample is illuminated with an overhead blue LED, and the printing process is imaged in realtime using a CMOS camera (Mikrotron MC1362, 1280 × 1024)).A 2PP sample is prepared by applying  $\sim 10 \mu L$  of photosensitive optical adhesive (Norlands NOA63) placed between two 150  $\mu$ m thick coverslips separated by a ~ 200  $\mu$ m spacer (Parafilm M). Structures are printed upside-down from the top coverslip to avoid focusing light through resin which has already been polymerised. Once printed, the coverslips are carefully separated and unpolymerised resin is washed with acetone.

The same setup ([Figure 1A](#page-3-0)) is used for optical trapping. The trapping beam is produced by the femtosecond laser operating in CW mode. The  $xy$ -position of a microsphere is used to quantity optical trap performance, as measured using the CMOS camera. A dilute solution of  $3 \mu m$  polystyrene microspheres and deionised water are loaded into a sealed sample chamber consisting of two microscope coverslips adhered using doublesided tape.



#### <span id="page-3-0"></span>FIGURE 1

(A) Experimental setup for holographic optical tweezers/two-photon-photopolymerisation. A Coherent Mira 900 F femtosecond laser tuned to 780 nm, produces < 115fs pulses at 80 MHz, with an average output power of 500 mW. Power output can be initially set using a λ/2 waveplate and a polarising beam-splitter. A 5× beam expander is used to approximately match the beam size to that of the spatial light modulator (SLM). The beam radius is then reduced back down by a factor of 2 in order to match the size of the microscope objective input. The system is illuminated by an overhead blue LED, for real-time imaging using a CMOS camera. (B) Aberration correction carried out ex-situ, in the imaging plane, conjugate to the spatial light modulator. (C) In-situ correction technique, obtained through imaging reflections off a gold nanoparticle adhered to a microscope coverslip.

## <span id="page-4-0"></span>2.2 Aberration correction technique

The beam can be highly distorted due to the numerous optical elements present in the system, or through imperfections present in the original laser beam and correcting beam aberrations has been shown to be an important step in order to provide the most precise light structure needed for the best operation of 2PP. These aberration corrections are also of upmost importance when printing structures with are hollow or tall [\(Kelemen et al., 2011](#page-10-5)).

The correction technique applied here seeks to optimise the beam's points spread function through interference between distinct modes on an SLM ((Čiž[már et al., 2010](#page-10-12)), ([Stilgoe and](#page-11-6) [Rubinsztein-Dunlop, 2021](#page-11-6))). In principle, each mode could correspond to a single pixel of the device, although in practice the time to carry out this correction in conjunction with the low light-level reflected makes this not feasible. Therefore the SLM is segmented into sub-regions, where the phase correction for each element is extracted. All elements can be corrected for simultaneously by measuring the intensity variation resulting from interference with a central region of the device where the phase is static throughout the procedure. The phase of every other patch is modulated between 0 and  $2\pi$  at a specific frequency. Each of these frequencies are chosen to be odd integers, resulting in a unique correlation signal for each region ([Stilgoe and Rubinsztein-Dunlop, 2021](#page-11-6)). What is implemented here is inspired by this work, but easier to implement. Consider the odd frequency correlation of two regions of an SLM that is divided into  $N \times N$  regions:

$$
\mathcal{F}_{odd} = \mathcal{A}_0^* \mathcal{A}_n, \quad \{2n-1, \forall n \le 2N\}, \tag{1}
$$

where  $N$  refers to the total number of SLM regions (patches),  $A_0$ is the Fourier component of the stationary region of the SLM and  $\mathcal{A}_n$  is the component of the dynamic region cycling through 0  $\rightarrow$  $2\pi$  phases at an odd frequency of *n*. In an experiment, this process will appear as a sequence of intensity variations. The integer components of the Fourier transform of the signal trace are extracted. The odd-integer frequency components,  $f_n$ , will only correspond to a unique contribution of one of the time changing patches in correlation with the stationary patch  $A_0$ . The correlation phase for the two device regions is the argument of  $\mathcal{F}_{odd}$ , the average correction over the patch is thus:  $\phi(f_n) = -Arg(\mathcal{F}_{odd})$ .If the beam is not aberrated the correlations are high and will saturate the camera response. To overcome this, a random phase  $(\phi_r)$  is assigned as the starting phase for each patch. Including any mixed in patterns to offset the correlation image  $(\phi_{\varphi})$  away from the zero-order reflection we will have the final correction:

$$
\psi_n = \text{Arg}\big(e^{-i\phi_g}e^{-i\phi_r}e^{i\phi(f_n)}\big),\tag{2}
$$

where  $\phi(f_n)$  is the phase corresponding each odd-integer frequency mode  $f_n$ , and  $\psi_n$  is the correction for patch, *n*.

This method has the benefit of being able to account for all optical aberrations throughout the optical train up until that point, including any from the SLM itself. Although this method was implemented before the microscope objective, the process can be used in-situ at the focus after the objective by using fluorescence signals or reflections from metallic nanoparticles. If required, this process can be repeated where  $\phi'_{\text{init}} = \phi_{\text{init}} + \psi$ . Depending on the setup and application, this method could be further improved upon by also including amplitude modulation for each patch to account for non-uniform illumination of the device. We can exemplify it by applying this method to Laguerre-Gauss modes of light. By analysing beam profiles of these Laguerre-Gauss modes, whose structure is sensitive to aberrations due to their rotational symmetry, it is clear that further aberration corrections can be obtained by ensuring that the amplitude of each mode is of similar power, in addition to the phase-only modulation just described. Whilst this offers significant advantages for producing beam profiles which are particularly susceptible to distortions, such as Laguerre-Gauss (LG) or Hermit-Gauss (HG) modes, this will, however, potentially come at significant cost to diffraction efficiency, since the amplitude contribution from any mode will be limited by the contribution from the mode with the lowest beam intensity. In this study we are looking to maximise the efficiency of the 2PP fabrication process by maximising light contributing to the 2PP process. Therefore our focus will remain on the impact of phase-only corrections.

## 2.3 Phase retrieval

The practical implementation of the correction outlined in [Section 2.2](#page-4-0) is provided in [Figure 2.](#page-5-0) We start by sub-diving the SLM into  $N \times N$  modes, and assign a random phase to each block. This pattern is then offset from the zeroth order using a blazed grating to ensure there is no interference with light that has not been modulated. We then fix the phase of a central mode while propagating all other regions at odd frequencies, where the frequency refers to the number of  $2\pi$  phase wraps during the correction procedure. The intensity of a single pixel at the center of the pattern, as viewed on a camera, is recorded each time the phase pattern is updated. All modes, except the central static region are altered in the same step. So, for step  $k$ , the phase of each mode is updated as  $\phi_{\mathcal{N}'} = \text{Arg}(e^{if_n t_k + \phi_{\mathcal{N}}})$ where t is a vector of discrete values from  $0 \rightarrow 1$  with increments  $\Delta t = 1/\text{max}(f_n)$ . Once complete, the intensity signal is Fourier transformed. From the power spectrum, the phase angle for each odd-integer frequency  $(f_n)$  is extracted. The



<span id="page-5-0"></span>the zeroth order spot with a linear diffraction grating ( $\phi_o$ ). A central square in the center is then kept at a constant phase whilst all other grids are incrementally propagated at odd-integer frequencies ( $f_n$ ) between 0 and  $2\pi$ . As the pattern evolves, the intensity within a small central region is recorded at each step. Once complete, the intensity signal is Fourier transformed. Only the odd-frequency components are retained ( $f_n = 1$ ) and the phase pattern which maximises interference  $f(x) = 1$  is found by taking th  $[1, 3, 5, 7, \ldots, 2N^2]$  and the phase pattern which maximises interference ( $\psi_{Corr}$ ) is found by taking the argument of these signal components. The initial reader pattern is initial random phase and linear grating are then removed to reveal the zeroth order correction,  $\psi_{Cor} = \text{Arg}(e^{i\phi_i}e^{-i\phi_r}e^{-i\phi_s})$ . Finally this pattern is internalized to remove discontinuities between grids which would interpolated to remove discontinuities between grids which would appear as low-frequency artefacts near the beam focus.

phase correction which provides optimal focusing ( $\psi_{Corr}$ ) is then found by removing previously applied linear grating and initial random phase values. Finally, to remove low-frequency artefacts caused by phase discontinuities between modes, the pattern is interpolated.

In our setup, then phase correction is found by using 510 of the 512 available pixels in each row of the device, with a  $15 \times 15$  resolution grid. In principle this grid could be further refined, though improvements are minimal relative to the increased computation time. In [Figure 3](#page-6-0), we show the beam amplitude as measured at the SLM, reconstructed from the interference signal (a), an interpolated phase correction which optimises the focused beam (b), the uncorrected focused beam in the conjugate plane of the SLM (c), and the corrected zeroth order beam (d). As the result from this correction procedure we can see a vast improvement in the structure of the correcting beam.

## <span id="page-5-1"></span>2.4 In-Situ corrections

Phase retrieval is most easily achieved using a camera situated in the conjugate plane of the SLM, as in [Figure 1B,](#page-3-0) although the aberration correction found in this plane likely differs somewhat from the correction required at the objective focus within a sample (Fourier plane). In our case the beam undergoes additional distortions

imposed by a dichroic mirror and high-NA objective, which we seek to correct for. To achieve this, the same procedure outlined in [Figure 2](#page-5-0) is carried out, except the interference signal is instead obtained from gold nanoparticle reflections adhered to a coverslip, shown in [Figure 1C.](#page-3-0) Here, a dilute 75 nm gold nanoparticle solution is dropped onto a microscope coverslip and allowed to dry, adhering the particle to the glass. When measurements are being taken, refractive-index matched immersion oil on both sides of the coverslip to reduce unwanted reflections from the glass. Using an oil-immersion objective means that the correction will not be valid for all distances, for optical trapping in water. However, in practice we observe improvements in beam quality for the practical axial distances used. Alternatively, the use of a water-immersion objective produces a correction for all trapping depths (Čiž[már et al., 2010\)](#page-10-12).

# 3 Results and discussion

We demonstrate the effects of aberration corrected laser foci and its application to enhanced optical trapping and 2PP fabrication. These phase corrections are versatile in respect that they improve symmetry for single displaced trapping sites, while improving uniformity and efficiency when generating many point-like foci, and finally it demonstrates



<span id="page-6-0"></span>enhanced sharpness and resolution of structured light using complex phase masks.

## 3.1 Ex-Situ and in-situ optical trap confinement

In order to quantitatively compare the effect of phase corrections on optical trap formation, we observe the 2D position distribution of  $3 \mu m$  polystyrene trapped microspheres in three instances using the same setup described in [Figure 1A](#page-3-0) with the laser operating in continuous-wave mode. We are able to infer the optical trap structure and symmetry by observing the lateral plane position distributions from a single optical trap displaced from the  $0<sup>th</sup>$  order with a linear grating. We then perform the same measurements using phase-corrections found in the conjugate and Fourier planes, as shown in [Figure 4](#page-7-0). [Figure 4](#page-7-0) shows an increase in optical trap stiffness with ex-situ and in-situ phase corrections, while keeping the laser power constant. Trap stiffness is found from centroid positions ([Parthasarathy, 2012\)](#page-10-26) using 5k frames captured at 100 FPS. The 1D optical trap stiffness is found using

the equipartition theorem as,  $k_x = k_B T / \sigma_x^2$ , where  $k_B$  is Boltzmann's constant, T is temperature, and  $\sigma$  is the standard deviation of centroid positions. Using the uncorrected beam, the phase corrected beam as calculated in the conjugate SLM plane, and the corrected beam at the objective focus, we find  $k_x = [0.29,$ 0.33, 0.36] pN/ $\mu$ m for each instance, corresponding to a ~ 10% increase in trap stiffness. [Figure 4B](#page-7-0) shows the squared-Gaussian fit from centroid distributions. Since polymerisation depends on the square of the intensity, the highest voxel resolution can be obtained using the correction found at the focus of the microscope objective, which has the narrowest achievable distribution width near the power threshold required for polymerisation to occur.

## 3.2 Imaging plane corrections

Implications of phase-only holographic corrections are clearly evident when observing the conjugate plane of the SLM with a CCD camera, again utilising the experimental configuration shown in [Figure 1B](#page-3-0). Though this correction will not strictly be the same as that obtained after the microscope objective, it is useful for



#### <span id="page-7-0"></span>FIGURE 4

Improvement in optical trap stiffness when applying phase corrections in the conjugate and Fourier planes. Both figures are generated using centroid measurements from an optically trapped 3 μm polystyrene particle, using 5k frames captured at 100 FPS. (A) Optical trap stiffness calculated using the uncorrected beam, beam with phase-correction applied as found in the conjugate plane of the SLM, and the corrected beam using in-situ (Fourier plane) phase correction at the focus of the microscope objective. (B) Normalised, Squared-Gaussian fit using from the histograms of particle positions used in (A).



#### <span id="page-7-1"></span>FIGURE 5

Comparison of uncorrected (A–D) and corrected (E–H) beams commonly used in holographic optical tweezers systems. (A,E) Laguerre-Gaussian (LG) beams with a topological charge of  $\mathcal{L} = 5$ . (B,F) 10 optical traps equally spaced along a ring of radius 10  $\mu$ m demonstrating strong interference between neighbouring foci for the uncorrected beam.  $(C, G)$  3 × 3 grid generated using a weighted Gerchberg-Saxton algorithm ([Di](#page-10-24) [Leonardo et al., 2007](#page-10-24)). We observe greater trap intensity and uniformity along with a significant reduction in unwanted stray light surrounding each foci. (D,H) Comparison of Hermite-Gaussian (HG) beams with modes  $m$ ,  $n = 1$ , 1. All images are obtained using a USB CCD camera situated in the conjugate plane of the SLM with identical laser powers and camera exposure settings for uncorrected and corrected image pairs.

demonstrating how wavefront distortions affect the focusing of light directly after the diffractive optical element. For this purpose we consider three examples in [Figure 5,](#page-7-1) utilising common patterns in holographic optical trapping systems which are affected by aberrations in different ways.

The first beam is a Laguerre-Gauss mode with topological charge  $\mathcal{L} = 5$ , chosen due to the sensitivity of these beams to

system aberrations ([Jesacher et al., 2007](#page-10-4)). We also demonstrate the effect of interference from nearby optical traps by producing several equidistant trapping sites along a ring whose radius is incrementally decreased until individual foci can no longer be well defined. We observe that this breakdown in trap uniformity occurs when traps are separated by  $\sim 0.65$   $\mu$ m without phase corrections applied. For 2PP and



#### <span id="page-8-0"></span>FIGURE 6

False-colour CMOS camera images of polymerised structures printed onto a microscope coverslip using the uncorrected (A–D) and corrected (E–H) beam, utilising the in-situ phase correction shown in [Figure 3](#page-6-0) (B). (A,E) HG(1,1) mode, (B,F) Letter "Q" fabricated by rapidly displaying 50 phase patterns generated though the Gerchberg-Saxton algorithm. (C,G) Single-pass exposure of a 7 × 7 grid with side length 10µm, generated with the aforementioned optimised Gerchberg-Saxton algorithm [\(Di Leonardo et al., 2007](#page-10-24)). (D,H) 35 equidistant foci forming a ring with radius 5µm, fabricated in a single exposure.



<span id="page-8-1"></span>OT experiments, reducing trap interference, and hence allowing for closer proximity of traps with the same polarisation, is useful for producing arrays of traps ([Korda](#page-10-27) [et al., 2002\)](#page-10-27), or geometries where we seek to minimise trap separation. We note that these breakdown distances are, to an extent, unique to the trap configuration, and the precise allowable distance between foci will depend on the geometry

and number of traps used. Regardless, similar improvements in relative separation are consistently observed. Finally we demonstrate improvement in diffraction efficiency when many traps are produced on a grid, where with phase corrections applied we observe greater uniformity between trapping sites, with significantly greater intensity. All images are taken with identical laser and camera exposure settings.

## 3.3 Aberration corrected 2PP

The aforementioned beam modulation methods are tested with bright-field microscopy images demonstrated in [Figures 6A,E](#page-8-0) shows a Hermite-Gauss (1,1) mode. [Figures 6B,F](#page-8-0) show the letter Q, printed by rapidly loading 50 holograms onto the SLM with 50 ms exposure. This method [\(Zhang et al., 2014\)](#page-11-9) involves rapidly displaying precalculated GS phase patterns with different initially random phases onto the SLM for short periods of time. Using this technique, random variations in intensity are averaged out to produce smooth structures. [Figures 6C,G](#page-8-0) demonstrates a tightly-packed  $7 \times 7$  grid with side length  $10 \mu$ m. The effect of phase corrections becomes increasingly evident as the number of trapping sites increases, as is clearly seen for this grid where some sites on the lattice are not polymerised at all and others lack uniformity. (d,h) shows the printing of 35 spots on a ring of radius  $5 \mu m$  in a single pass. Further increasing the number of traps continues to show poor uniformity if phase corrections are not taken into account. Maximising the number of polymerising foci while maintaining uniformity has clear benefits when looking to fabricate many identical structures printed in parallel. Such parallel fabrication can be done either by scanning a nanopositioning stage or applying grating functions to a hologram similar to that used in [Figure 6](#page-8-0). Similarly, if instead all foci are contributing to one large structure, fabrication time can be reduced for each layer whilst ensuring consistent voxel sizes. Both of these corrections are of paramount importance in practical applications of holographic tweezers as well as in many other areas where structured light is used.

In practice, there is a trade-off between the number of foci used for polymerisation and resin exposure time. Naturally, as the number of polymerising sites is increased while maintaining a constant input power, the time required for polymerisation also increases. If many traps are formed close together, long exposure times can sometimes cause nearby resin to be attracted to the focal point, potentially distorting the structure. For reference, the 49 traps polymerised in a single pass in [Figure 6C](#page-8-0) requires 0.8 s exposure with 170 mW average power, as measured immediately before the microscope objective. We find that an optimal trade-off between the number of foci and exposure time, such that we can produce consistently smooth structures, occurs when using 30 foci with an exposure time of 0.2 s, again using an average power of 170 mW.

## 3.4 Tolerance of photosensitive resin

Tighter confinement of trap foci has also shown to be useful in extending the usable range of the photosensitive resin when considering three distinct phases of the polymer. These are the unpolymerised phase, where the resin is still in liquid state or in a gel state [\(Odian, 2004](#page-10-14)), referring to when the branched polymer undergoes partial cross-linking, the desired polymerised state, and the burnt phase, where the polymer visibly breaks down due to high energy, often appearing as though the liquid is bubbling. Although a more tightly confined spot is more intense at the

focus, there is less stray light in the immediate vicinity of the trap which may initiate polymerisation. By recording these three phases at a single trapping site whilst varying laser intensity and exposure time, we observe that the polymerised band in a phase diagram shown in [Figure 7](#page-8-1) is widened. This implies that there is a greater tolerance to polymer breakdown, reducing the probability of inadvertently damaging the structure during fabrication near the polymerisation thresh-hold, which is the optimal operating condition for the highest possible resolution.

# 4 Conclusion

In this work we have demonstrated how applying phase-only aberration corrections in and ex-situ using an SLM improves the performance of versatile applications when using optical tweezers and 2PP implementations. Using scattered light from a gold nanoparticle we find phase corrections which further improve optical trap confinement compared with corrections found in the conjugate plane of an SLM. These corrections are then used to improve the quality of microscopic structures fabricated using complex phase patterns though 2PP. Bright field microscopy reveals clear benefits of applying the correction when utilising many foci by improving diffraction efficiency while simultaneously minimising interference between neighbouring traps. Furthermore we observe greater symmetry in polymerised regions when using HG modes and fabricating arbitrary 2D geometries by rapidly displaying patterns found through Gerchberg-Saxton algorithms. Such corrections are shown to be applicable when reducing the fabrication time of structures is desirable by printing many parallel structures on a grid, or when using many traps to fabricate single large structures.

As the complexity of an optical system increases, each component would impart further aberrations on the beam, making corrections increasingly necessary. A limitation of the in-situ method, however, is that the correction is valid for only a selected trapping depth and cannot be calculated fast enough to be done in real-time. We envisage using this technique to improve optical trap quality and depth in biological samples which require focusing through more complex media.

# Data availability statement

The raw data supporting the conclusions of this article will be made available by the authors, without undue reservation.

# Author contributions

DA designed and performed experiments and wrote the initial manuscript. AS developed theory and experimental design. AS, TN,

and HR-D devised the concept of the investigation. HR-D acquired funding for this work. All authors have contributed to, and edited, the manuscript. All authors have read and agreed to the publication of the manuscript in its' current form.

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# Conflict of interest

The authors declare that the research was conducted in the absence of any commercial or financial relationships that could be construed as a potential conflict of interest.

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