



# Fast and Accurate Traction Induction Machine Performance Calculation Method for Integrated Onboard Charging in Vehicle to Grid Application

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Reusing traction electric machine windings in electric vehicles as an integrated filtering inductor is a promising solution to reduce the size of the vehicle to grid (V2G) charging/discharging system. Obviously, the integrated inductors need to meet the requirements of traction and charging/discharging, which brings challenge for the design of traction machines. As one of the most popular traction electric machine types, the high-speed induction machine usually has large electrical time constant and consequently unacceptably long transient time in the design stage when finite element analysis is adopted. In this article, a method is proposed to quickly and accurately calculate the steady state performance of the induction machine by time-stepping transient magnetic finite element analysis. First, the stator current magnitude is ramped up from zero to full magnitude gradually to control the DC component in rotor flux and torque. Second, a multistep equivalent resistance method is adopted to decrease rotor time constant and suppress slot-tooth harmonic transient response. The proposed method can predict the FEA computation load before running the calculation, and it does not rely on the machine parameter and feedback signal. Its performance is tested by an example induction machine. The result shows that the proposed method can reduce the finite element calculation time of a high-speed operating point by 99%.

**Keywords:** finite element, induction machine, torque, transient response, high-speed, equivalent resistance, V2G, harmonic

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## 1 INTRODUCTION

As an emerging type of distributed energy resources (DERs), the electric vehicle is increasingly connected to the power grid in the two-way charging and discharging manner (Hagbin et al., 2013; Khaligh and D'Antonio, 2019). To suppress the harmonics brought by the grid-connected inverters, filter inductors are usually required to be installed between the inverter and the power grid. Integrated filter inductors reused traction electric machine windings instead of adding an

**Abbreviation:**  $I_s, i_{ds}, i_{qs}$ , stator current magnitude and  $dq$  components;  $i_{dr}, i_{qr}$ , rotor current  $dq$  components;  $\lambda_{dr}, \lambda_{qr}$ , rotor flux  $dq$  components;  $R_s, R_r$ , stator resistance and rotor resistance;  $L_s, L_r, L_m$ , stator, rotor, and mutual inductance;  $t_{syn}$ , electrical synchronous period;  $\omega_e$ , synchronous angular frequency,  $\omega_e = \frac{2\pi}{t_{syn}}$ ;  $\tau$ , rotor electrical time constant,  $\tau = \frac{L_r}{R_r}$ ;  $n$ , rotor mechanical speed in round per minute;  $\omega_r$ , rotor speed,  $\omega_r = 2\pi \frac{\text{poles}}{2} \frac{n}{60}$ ;  $\omega_{slip}$ , slip frequency in rad/s and slip,  $\omega_{slip} = s\omega_e = \omega_e - \omega_r$ ;  $T_e$ , electromagnetic torque; *Peak*, subscript denoting the peak value;  $'$ ,  $''$ , superscripts denoting 1st and 2nd order derivatives, respectively;  $P$ , number of poles; *ss*, subscript denoting the steady state value.

extra set of inductors for the purpose of reducing the charging system size (Xiao et al., 2019; Metwly et al., 2020; Wang et al., 2020). It is well known that the vehicle traction application requires the machine to have high efficiency and small size, while the V2G application focuses more on the power quality such as harmonic components. Hence, it is necessary to make sure the machine can satisfy the requirements of both applications.

Induction machines (IMs) are commonly used in electric and hybrid vehicle traction (Zhu and Howe, 2007; El-Refaie, 2013). To improve machine efficiency, the IMs need to operate at high speed, which results in a large rotor electrical time constant ( $\tau = \frac{L_r}{R_r}$ ) and consequently a very time-consuming transient response before obtaining steady state performance (Yamazaki et al., 2012). Because finite element analysis (FEA) can accurately calculate electric machine performance, it is commonly used in the machine design stage. However, the accuracy comes at the cost of large amount of computation load and time; it becomes impractical to design an IM that meets the traction and V2G applications in an acceptable time length (Le Besnerais et al., 2010; Kim et al., 2019).

To reduce the calculation time, many researchers have proposed different ideas to calculate the initial steady state performance in a relatively short time. The locked-rotor method sets the rotor speed to be zero and increases rotor resistance by a factor of  $\frac{1}{s}$  to obtain a  $\frac{1}{s}$  times faster transient response time (Lin et al., 2017). However, to consider the tooth/slot harmonics, the rotor speed must be changed back to the normal speed, but such transition will introduce a new transient response. In Lin et al. (2017), a compensation voltage is added to original sinusoidal voltage excitation to eliminate the DC flux to suppress the transient response, which works on permanent magnet machines, but works on IMs because the two machine types are very different.

The current excitation is transitioned to a voltage excitation in Di et al. (2019), which reduces the transient time by as much as 66%. However, the research does not provide theoretical analysis on the optimal transition moment. The time-harmonic (TH) FEA and larger time step methods are also studied (Fu et al., 2012; Rainer et al., 2012). However, these methods cannot guarantee the accuracy of the result. Hence, they face the same transition transient response issue when switched back to the accurate time-stepping FEA model.

This article proposes a two-step IM performance calculation method to accelerate the machine design process. The first step is to control the DC component in rotor flux and torque by gradually ramping up stator current magnitude. The second step is to reduce the rotor time constant by slowing down rotor speed and increasing rotor resistance simultaneously.

The content of this article is organized as follows: in **Section 2**, the transient dynamic of the IM under current source excitation is discussed. The performance of several existing methods is analyzed. **Section 3** presents and discusses the proposed method. Then, the performance of the proposed method is tested by an example induction machine in **Section 4**. **Section 5** concludes the article.

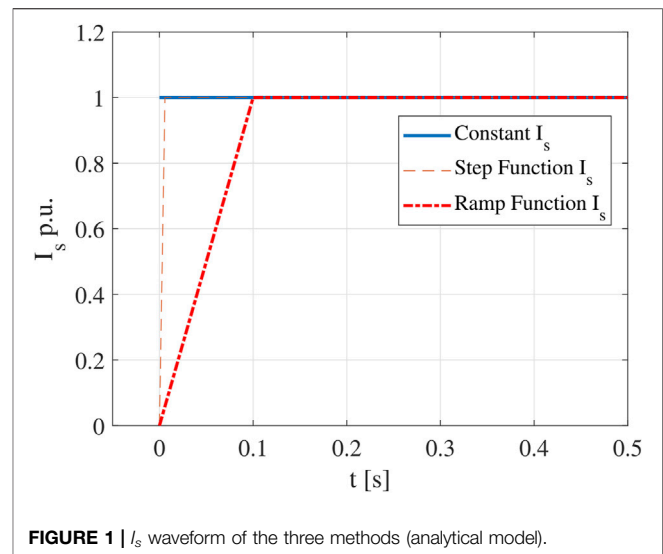


FIGURE 1 |  $I_s$  waveform of the three methods (analytical model).

## 2 PERFORMANCE OF EXISTING METHODS

### 2.1 Steady State Model in the DQ Reference Frame

The rotor flux, current, and torque of an IM in synchronous  $d-q$  reference frame can be expressed by (1–5). Since current excitation is supplied to the stator winding, the transient response is mainly on the rotor flux and current. Hence, the stator voltage and flux equations are not included.

$$0 = R_r i_{dr} - s\omega_e \lambda_{qr} + \lambda'_{dr} \quad (1)$$

$$0 = R_r i_{qr} + s\omega_e \lambda_{dr} + \lambda'_{qr} \quad (2)$$

$$\lambda_{dr} = L_r i_{dr} + L_m i_{ds} \quad (3)$$

$$\lambda_{qr} = L_r i_{qr} + L_m i_{qs} \quad (4)$$

$$T_e = \frac{3P}{4} \frac{L_m}{L_r} (\lambda_{dr} i_{qs} - \lambda_{qr} i_{ds}). \quad (5)$$

The reference d-axis is selected such that  $i_{ds}$  and  $i_{qs}$  satisfy (6) and (7), respectively, in the steady state.

$$i_{dsss} = 0 \quad (6)$$

$$i_{qsss} = I_{sss}. \quad (7)$$

Regardless of the transient waveform of the stator current, as long as the steady state inputs  $I_s$  and  $\omega_{slip}$  are known, solving (1–4) and setting all differential terms to be zero can obtain the steady state rotor flux value as expressed by 8 and 9.

$$\lambda_{drss} = \frac{\tau \omega_{slip}}{1 + \tau^2 \omega_{slip}^2} L_m I_{sss} \quad (8)$$

$$\lambda_{qrss} = \frac{1}{1 + \tau^2 \omega_{slip}^2} L_m I_{sss}. \quad (9)$$

When the current source is imposed on stator winding, the transient response of the IM is mainly referring to oscillation of the rotor current, flux, and torque. (10) and (11) can be derived

from (1–4). Note that rotor speed  $\omega_r$  is an input value in the FEA calculation, so slip frequency  $\omega_{slip} = s\omega_e = \omega_e - \omega_r$  can be designated.

$$\lambda_{dr}'' + \frac{2}{\tau}\lambda_{dr}' + \left(\frac{1}{\tau^2} + \omega_{slip}^2\right)\lambda_{dr} = \frac{L_m}{\tau}\left(i_{ds}' + \frac{1}{\tau}i_{ds} + \omega_{slip}i_{qs}\right) \quad (10)$$

$$\lambda_{qr}'' + \frac{2}{\tau}\lambda_{qr}' + \left(\frac{1}{\tau^2} + \omega_{slip}^2\right)\lambda_{qr} = \frac{L_m}{\tau}\left(i_{qs}' + \frac{1}{\tau}i_{qs} - \omega_{slip}i_{ds}\right). \quad (11)$$

Three existing methods, including constant  $I_s$  method, step function  $I_s$  method, and ramp function  $I_s$  method, will be discussed in the following subsections (Cai, 2020). They are different because of the different input stator current waveforms as shown in Figure 1.

## 2.2 Existing Method 1—Constant $I_s$

In the constant  $I_s$  method, the steady state sinusoidal current is supplied to stator winding from time zero until the steady state is reached. (12) and (13) can be derived from 10 and 11.

$$\lambda_{dr1} = \lambda_{drss}e^{-\frac{t}{\tau}}(\tau\omega_{slip}\sin\omega_{slip}t - \cos\omega_{slip}t) + \lambda_{drss} \quad (12)$$

$$\lambda_{qr1} = \lambda_{drss}e^{-\frac{t}{\tau}}(\tau\omega_{slip}\cos\omega_{slip}t + \sin\omega_{slip}t) + \lambda_{qrss}. \quad (13)$$

The transient electromagnetic torque can be calculated by substituting (6), (7), (12), and (13) into (5). The result is shown in 14, where  $T_{ess} = \frac{3P}{4}\frac{L_m}{L_r}\lambda_{drss}I_{sss}$ .

$$T_{e1} = \frac{3P}{4}\frac{L_m}{L_r}\lambda_{dr}i_{qs} = T_{ess}e^{-\frac{t}{\tau}}(\tau\omega_{slip}\sin\omega_{slip}t - \cos\omega_{slip}t) + T_{ess}. \quad (14)$$

The ratio between the magnitude of the oscillating component  $T_{os1} = T_{ess}e^{-\frac{t}{\tau}}(\tau\omega_{slip}\sin\omega_{slip}t - \cos\omega_{slip}t)$  and the steady state component  $T_{ess}$ , i.e., the torque error, can be calculated by 15. Then, the number of synchronous electrical cycles  $k_{\omega_e}$  needed to make the error smaller than  $\varepsilon_{T_e1}$  (practical steady state in numerical computation) can be calculated by 16, which is a function of  $s$  and  $\tau\omega_{slip}$ .

$$\varepsilon_{T_e1} = e^{-\frac{t}{\tau}}\sqrt{1 + \tau^2\omega_{slip}^2} \quad (15)$$

$$k_{\omega_e1} = \frac{\tau\omega_{slip}}{2\pi s} \ln\left(\frac{\sqrt{1 + \tau^2\omega_{slip}^2}}{\varepsilon_{T_e1}}\right). \quad (16)$$

## 2.3 Existing Method 2—Step Function for $I_s$

In the step function  $I_s$  method, the input stator current magnitude can be expressed by 17. When  $t > 0$ , (18) and (19) can be derived.

$$i_{qs} = \begin{cases} 0 & t = 0 \\ I_{sss} & t > 0 \end{cases}; \quad (17)$$

$$\lambda_{dr2} = \lambda_{drss}e^{-\frac{t}{\tau}}\left(-\frac{1}{\tau\omega_{slip}}\sin\omega_{slip}t - \cos\omega_{slip}t\right) + \lambda_{drss} \quad (18)$$

$$\lambda_{qr2} = \lambda_{drss}e^{-\frac{t}{\tau}}\left(-\frac{1}{\tau\omega_{slip}}\cos\omega_{slip}t + \sin\omega_{slip}t\right) + \lambda_{qrss}. \quad (19)$$

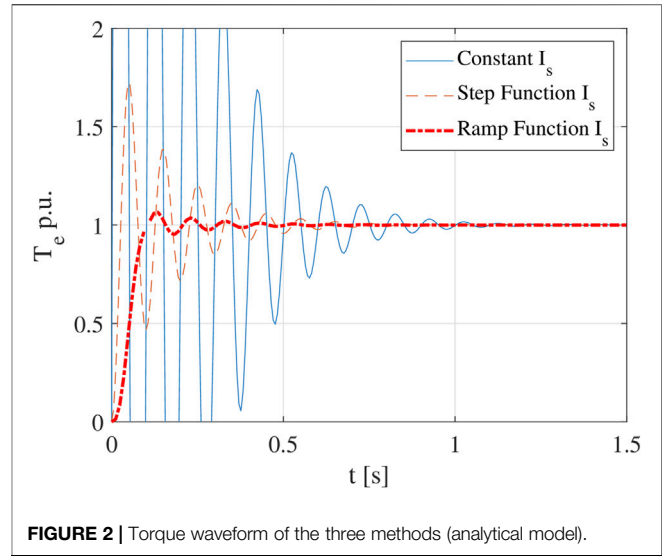


FIGURE 2 | Torque waveform of the three methods (analytical model).

Similar to (16), the number of synchronous electrical cycles needed to reach a given error  $\varepsilon_{T_e2}$  can be derived as (20).

$$k_{\omega_e2} = \frac{\tau\omega_{slip}}{2\pi s} \ln\left(\frac{\sqrt{1 + \tau^2\omega_{slip}^2}}{\tau\omega_{slip}\varepsilon_{T_e2}}\right). \quad (20)$$

## 2.4 Existing Method 3—Ramp Function for $I_s$

In the ramp function  $I_s$  method,  $I_s$  is expressed by 21.

$$i_{qs} = \begin{cases} \frac{I_{sss}}{t_0}t & t \leq t_0 \\ I_{sss} & t > t_0 \end{cases} \quad (21)$$

When  $t \leq t_0$ , the rotor flux is expressed by 22 and 23, where  $\theta_3 = \text{atan}\left(\frac{\tau^2\omega_{slip}^2 - 1}{\tau\omega_{slip}}\right)$ .

$$\lambda_{dr3} = \frac{\lambda_{drss}}{k_0 2\pi} \left[ e^{-\frac{t}{\tau}} \cos(\omega_{slip}t + \theta_3) - \cos\theta_3 + \omega_{slip}t \right] \quad (22)$$

$$\lambda_{qr3} = \frac{\lambda_{drss}}{k_0 2\pi} \left[ -e^{-\frac{t}{\tau}} \sin(\omega_{slip}t + \theta_3) + \sin\theta_3 + \frac{1}{\tau}t \right]. \quad (23)$$

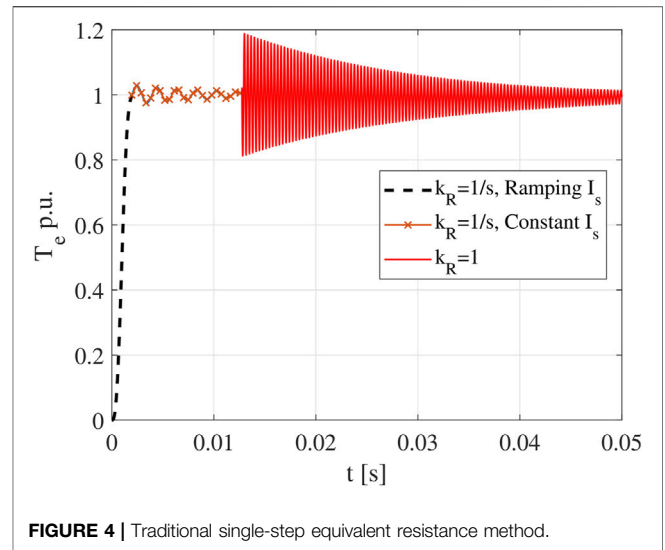
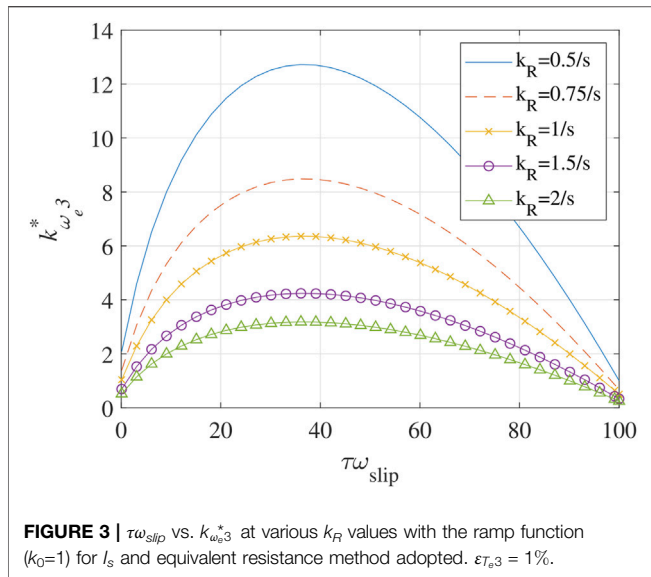
When  $t > t_0$  and  $i_{qs} = I_{sss}$ , rotor flux can be calculated by 24 and 25, where  $t^* = t - t_0$ ,  $C_1^* = \lambda_{dr30} - \lambda_{drss}$ , and  $C_2^* = \lambda_{qr30} - \lambda_{qrss}$ . Note that  $\lambda_{dr30}$  and  $\lambda_{qr30}$  can be calculated by letting  $t = t_0 = k_0 \frac{2\pi}{\omega_{slip}}$  in 22 and 23.

$$\lambda_{dr3} = e^{-\frac{t^*}{\tau}} \left[ C_2^* \sin\omega_{slip}t^* + C_1^* \cos\omega_{slip}t^* \right] + \lambda_{drss}; \quad (24)$$

$$\lambda_{qr3} = e^{-\frac{t^*}{\tau}} \left[ C_2^* \cos\omega_{slip}t^* - C_1^* \sin\omega_{slip}t^* \right] + \lambda_{qrss}. \quad (25)$$

Similar to (16) and (20), the synchronous electrical periods needed to make the error smaller than  $\varepsilon_{T_e3}$  can be derived as (26).

$$k_{\omega_e3} = \frac{k_0}{s} + \frac{\tau\omega_{slip}}{2\pi s} \ln\left(\frac{\sqrt{e^{-2\frac{k_0 2\pi}{\tau\omega_{slip}}} - 2e^{-\frac{k_0 2\pi}{\tau\omega_{slip}}} \cos(k_0 2\pi) + 1}}{k_0 2\pi \varepsilon_{T_e3}}\right). \quad (26)$$



Performance of the three existing methods are evaluated with an example IM, when  $\omega_e = 2\pi \times 510$ ,  $\tau\omega_{slip} = 30$ , and  $s = 0.0196$ , and the torque waveforms of the three methods are shown in **Figure 2**. It should be pointed out that for simplicity of initial discussion, the example uses an analytical model rather than a finite element model, so the nonlinear behaviors have not been considered yet.

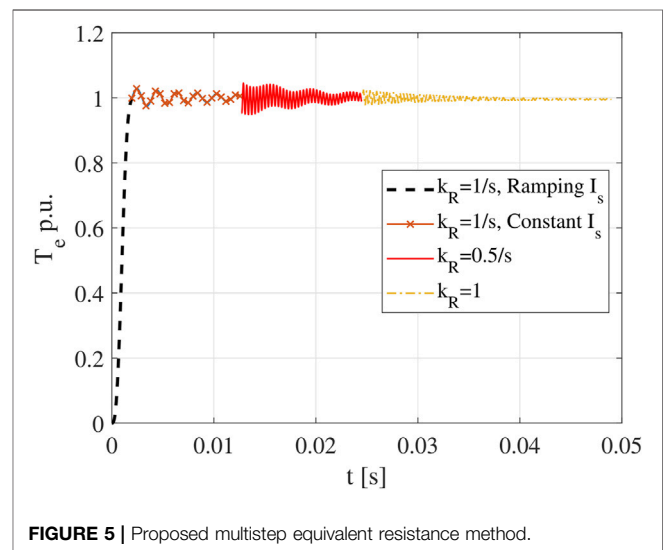
Even though the ramp function  $I_s$  method can significantly reduce the transient response time when compared with the other two methods, it still takes hundreds of cycles to reach the steady state. In fact, it takes much longer time to decay from 10 to 1% error than that from zero to 10% error.

### 3 PROPOSED METHOD—MULTISTEP EQUIVALENT RESISTANCE METHOD

To further reduce the transient time, this article proposes the multistep equivalent resistance method. It is well known that as long as the value of  $\frac{R_r}{s}$  is not changed, the steady state torque and flux (fundamental component) of the IM will remain the same. By increasing  $R_r$  in proportion to  $s$ , the oscillation time of rotor flux and torque can be reduced since  $\tau = \frac{L_r}{R_r}$  becomes smaller. This approach is called the equivalent resistance (ER) method.

To implement the ER method, when  $R_r$  needs to be increased by a factor of  $k_R$ , then the rotor bar resistivity and rotor slip should also be multiplied by  $k_R$ , and the rotor mechanical speed should be modified as  $n^* = n(1 - sk_R)/(1 - s)$ .

To calculate the accurate IM performance, it is necessary to switch from the ER model back to the original model. Since the ramp function method has shown obvious advantages over the other two methods, if it can be combined with the ER method, the transient response time can be further reduced. Thus,  $k_{\omega_e3}$  can be updated as (27).



$$k_{\omega_e3}^* = \frac{1}{k_R s} \left[ 1 + \frac{\tau\omega_{slip}}{2\pi} \ln \left( \frac{e^{-\frac{2\pi}{\tau\omega_{slip}}} - 1}{2\pi\epsilon_{T_e3}} \right) \right]. \quad (27)$$

The relationship between  $\tau\omega_{slip}$  and  $k_{\omega_e3}^*$  at various  $k_R$  values is plotted in **Figure 3**, which shows that the peak value of  $k_{\omega_e3}^*$  is inversely proportional to  $k_R$ . More importantly, the peak value of  $k_{\omega_e3}^*$  is 6.38, indicating that the IM can reach the steady state in less than 6.5 synchronous periods. In contrast, the existing methods will need hundreds or thousands of periods. Hence, it seems reasonable to select  $k_R$  to be as large as possible. However, larger  $k_R$  will lead to larger  $t_{add}$  and the total transient response time may become longer instead.

To mitigate this problem, the multistep ER method is proposed. The basic idea is to use a time-varying  $k_R$  value to smooth the transition, such that  $t_{add}$  can be greatly reduced. As shown in **Figure 4** ( $\omega_e = 2\pi \times 510\text{Hz}$  and  $s = 0.0196$ ), the one-step ER method will introduce large oscillation when the

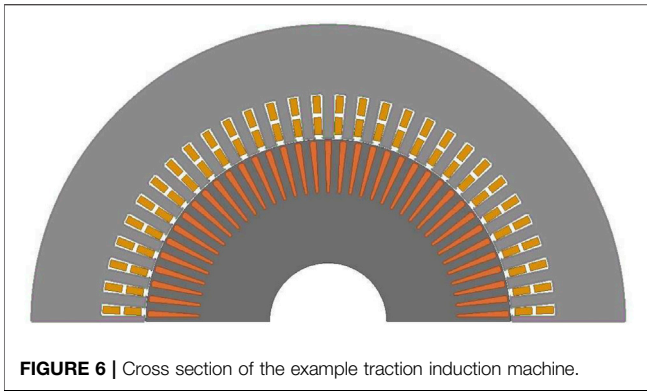


FIGURE 6 | Cross section of the example traction induction machine.

TABLE 1 | Specifications of the example induction machine.

Quantity	Unit	Value
Number of poles		4
Stator/rotor slot number		60/74
Stack length	mm	153
Stator OD/ID	mm	254/157
Rotor OD/ID	mm	155.6/50
DC bus voltage	V	300
Slip (s)		0.0196
Stator current (Peak)	A	1,273
Rotor speed	RPM	15,000

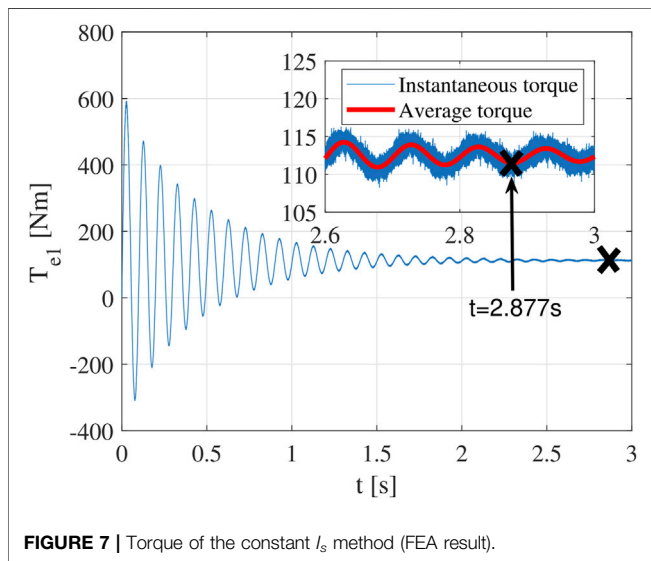


FIGURE 7 | Torque of the constant  $I_s$  method (FEA result).

transition happens. While in **Figure 5**, when a two-step ER method is adopted,  $t_{add}$  becomes much shorter. It should be pointed out if the rotor speed is increased to the actual speed following a constant slope (ramp function) after the transition, it becomes a special case of the multistep ER method.

Note that **Figures 4, 5** are schematic waveforms; the actual response of the finite element IM model involves complex nonlinear behavior that is difficult to be expressed by accurate analytical equations. Hence, the effectiveness of the proposed

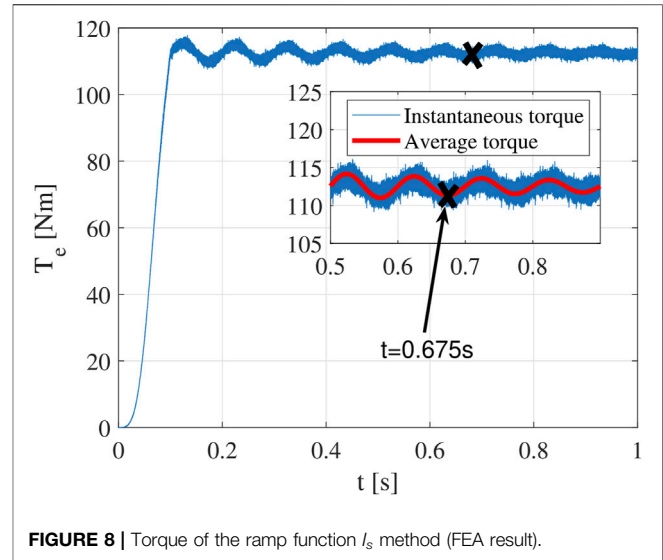


FIGURE 8 | Torque of the ramp function  $I_s$  method (FEA result).

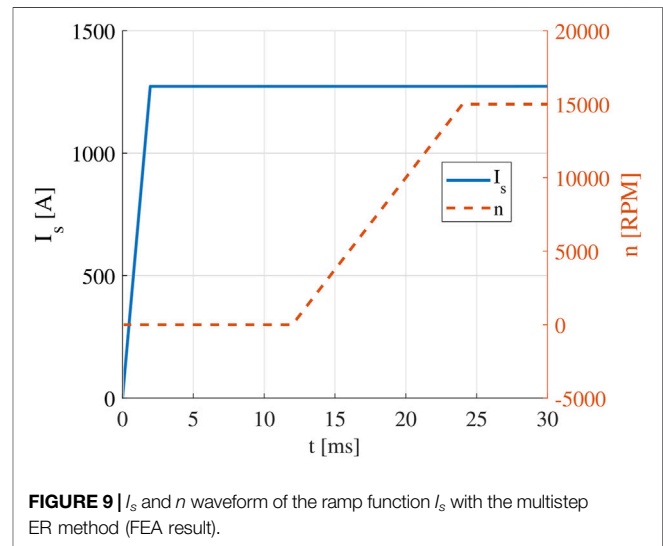


FIGURE 9 |  $I_s$  and  $n$  waveform of the ramp function  $I_s$  with the multistep ER method (FEA result).

multistep ER method will be proven in the next section by the FEA model directly.

In short, the proposed method has two parts. First, stator current magnitude  $I_s$  is increased following a ramp function and applied on q-axis while keeping the d-axis current to be zero (arbitrary synchronous reference frame). Second, a multistep equivalent resistance method is adopted.

## 4 VALIDATION OF THE PROPOSED METHOD

A high-speed traction IM is selected for investigation as shown in **Figure 6** (cross section) and **Table 1** (specs). For easiness of understanding, the steady state value of  $\tau\omega_{slip}$  is calculated after the simulation, which is around 30. For the purpose of comparison, the transient response of different methods



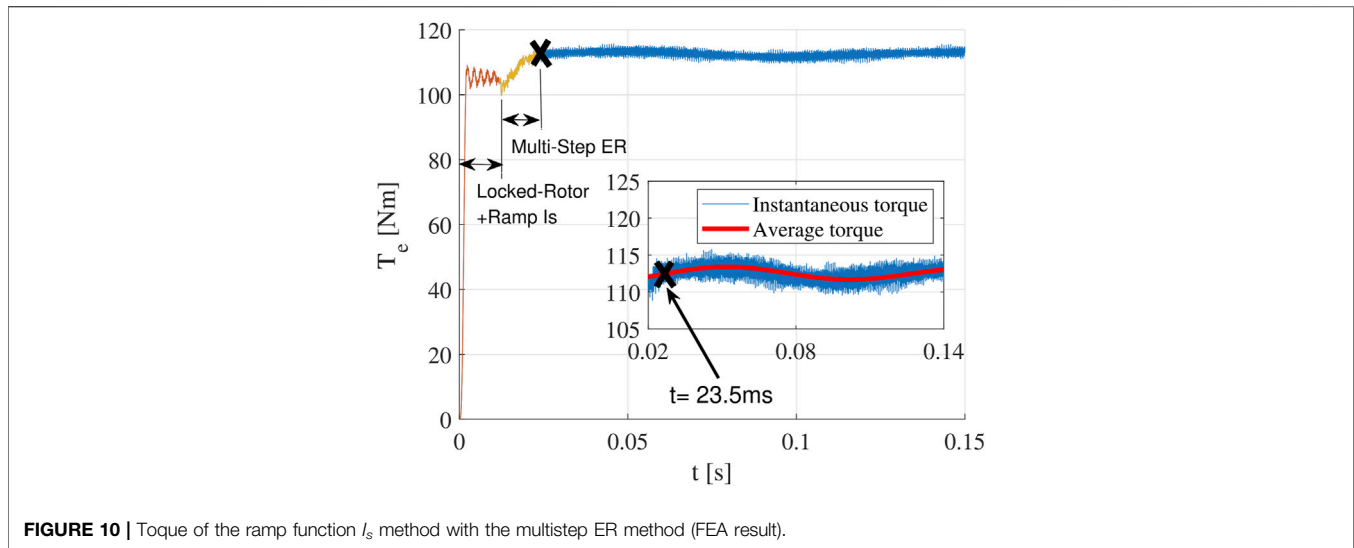


FIGURE 10 | Torque of the ramp function  $I_s$  method with the multistep ER method (FEA result).

TABLE 2 | Performance comparison of different methods.

Method	Transient time (ms)	Transient period	%
Constant $I_s$	2,877	1,467	100
Step function $I_s$	2,200	1,122	76.5
Ramp function $I_s$	675	344	23.5
Ramp function $I_s$ + multistep ER	23.5	12	0.82

including the three existing methods discussed earlier is also calculated. The torque waveforms for constant  $I_s$  and ramp function  $I_s$  methods are shown in **Figures 7, 8**, respectively.

To validate the effectiveness of the multistep ER method, the rotor speed is increased from 0 to 15000RPM following a constant slope from  $t = 6t_{syn} = 11.8$  ms to  $t = 12t_{syn} = 23.5$  ms (**Figure 9**). The torque waveform is shown in **Figure 10**. It is found that there is almost no additional transient response after the rotor speed reaches 15000RPM. Hence, the total transient time is only  $12t_{syn}$  (23.5 ms). As shown, the average value of the steady state torque is 112.5 N m.

The number of electrical cycle needed to reach 1% torque error is listed in **Table 2**. Since the constant  $I_s$  method takes the longest time to reach the practical steady state (1%), its computation time is used as the reference for other methods. It is observed that the transient response time of the FEA models is longer than that of the theoretical analysis, which is the result of nonlinearity of the core material (saturation).

The finite element results show that the calculation time has been reduced from 2.877 s (constant  $I_s$  method as shown in **Figure 7**) to 23.5 ms (proposed method as shown in **Figure 10**). Hence, the calculation time is reduced by more than 99% for the test case. In fact, this test case is a very challenging operating point in terms of finite element calculation, which is the maximum speed (15000 rpm) and low torque point. It is important to point out that the end time of calculation is decided by the most challenging and time-consuming points, rather than the average calculation time of all operating points. To be more specific, if the constant  $I_s$

method takes 24 h to get the result, with the proposed method, the calculation time is reduced to less than 12 min.

Compared with the other two existing methods (step function  $I_s$  method and ramp function  $I_s$  method), the proposed method that combines the ramp function  $I_s$  method and the multistep ER method can reduce transient response time by 98.9% and 96.5%, respectively.

## 5 CONCLUSION

A method to significantly accelerate the time-stepping magnetic transient FEA calculation of steady state performance of the high-speed traction IM is proposed. The proposed method includes two parts.

The first part is the ramp function  $I_s$  method, which increases the stator current magnitude from zero to full magnitude following a constant slope, such that the DC component can be controlled at a very low level from the beginning. This part alone can reduce FEA calculation time by 76.5%.

The second part is the multistep equivalent resistance method, which adjusts the rotor resistance inversely proportional to the slip multiple times during the transient stage, such that the additional transient response due to the transition from the equivalent model to original model is suppressed to a negligible level.

Note that these two parts can work separately and together, either way can significantly reduce the FEA calculation time. The proposed method has two important features. First, the maximum

electrical cycle needed to reach the steady state can be easily calculated before running the FEA model. Hence, the computation load and time are predictable. Second, the proposed method does not require knowing the parameter or feedback signal of the machine. Hence, its performance is very stable and robust.

The performance of the proposed method is validated by the FEA model of a typical high-speed traction IM. The result shows that the proposed method can reduce the FEA calculation time by 99%. Since the example calculation point is a very challenging test case, it is reasonable to believe that assuming error tolerance is 1%, the ramping up time of  $I_s$  can be set at  $6t_{syn}$  and the multi-step ER method can be set to increase the rotor speed gradually within  $6t_{syn}$ , then the transient response time can be limited within  $12t_{syn}$  in most cases.

## DATA AVAILABILITY STATEMENT

The raw data supporting the conclusion of this article will be made available by the authors, without undue reservation.

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## AUTHOR CONTRIBUTIONS

HC: IM FEA model construction and writing the manuscript. RH and HZ: programming. HX, SL, and JX: literature review and writing the manuscript.

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**Conflict of Interest:** HX, SL, and JX were employed by Nanjing Power Supply Company State Grid Jiangsu Electric Power Co., Ltd.

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