



# Optimization Design of SNS Sensor Structural Parameters for Battery Expansion Monitoring

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In this article, a method to improve refractive index (RI) sensitivity of single-mode–no core–single-mode fiber (SNS) sensor structure is addressed by optimization of geometric parameters of no-core fiber (NCF), which could be used to accurately measure the irreversible deformation of the battery expansion state caused by temperature change. From the perspective of temperature changing RI of the electrolyte solution, the impacts of diameter, length, and waveband on the performance of the fiber sensor have been discussed as RI measurement range is 1.340–1.390. After optimization, RI sensitivity can reach approximately 2,252.7 and 2037.3 nm/RIU with the length of 6.55 and 6.75 mm when the RI is from 1.380 to 1.390.

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### Edited by:

Jonghyun Park,  
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### Specialty section:

This article was submitted to  
Electrochemical Energy Conversion  
and Storage,  
a section of the journal  
Frontiers in Energy Research

**Received:** 15 June 2021

**Accepted:** 09 August 2021

**Published:** 24 September 2021

### Citation:

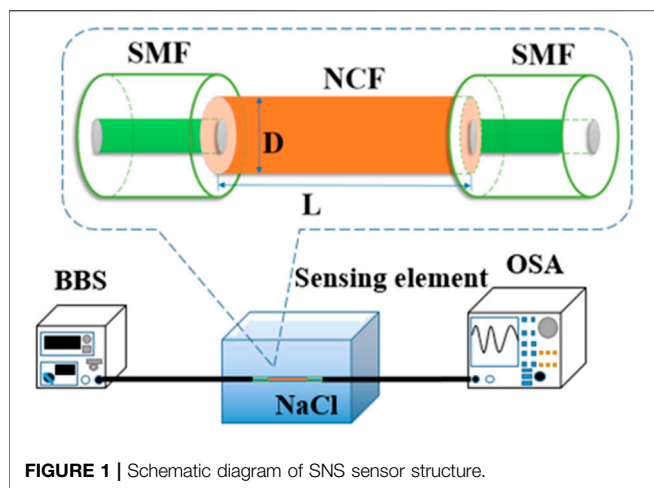
Xu S, Wang Z, Yang H, Jiao S, Liu J  
and Shang Z (2021) Optimization  
Design of SNS Sensor Structural  
Parameters for Battery  
Expansion Monitoring.  
Front. Energy Res. 9:725458.  
doi: 10.3389/fenrg.2021.725458

**Keywords:** battery expansion monitoring, refractive index sensitivity, parameter optimization, SNS, waveband

## INTRODUCTION

Optical fiber sensor is widely applied in industry, medical treatment, energy storage, aerospace, and other fields for sensing measurement due to its anti-electromagnetic interference, small size, easy access, etc. Single-mode–multimode–single-mode fiber (SMS) structure based on multimode interference (MMI) has been used for strain (May-Arrijoja et al., 2016; Zhou et al., 2008), temperature (Tripathi et al., 2009; Su et al., 2014; Han et al., 2014; Zhang et al., 2013; Li et al., 2006), humidity (An et al., 2014), and RI (Zhao et al., 2015; Zhang et al., 2020; Zhao et al., 2014) measurement in harsh environment. Compared with SMS, SNS structure can directly sense changes of its surrounding RI, and there is no need to strip or corrode the cladding of multimode fiber (MMF) using hydrofluoric acid. The geometric parameters of the waveguide structure based on MMI and RI measurement range have a great effect on sensing sensitivity (Qiang et al., 2011). The RI sensitivity of SNS reflective structure with the range of 1.330–1.380 is 141 nm/RIU (Zhou et al., 2015) and 327 nm/RIU when the reflective structure is based on single-mode–multimode structure (S-M) coating gold layer with small NCF diameter (Zhou et al., 2017). It illustrates again that RI sensitivity of SNS structure can be improved by optimizing NCF's geometric parameters.

However, there are few reports on structural parameter optimization or the analysis process of SNS sensor. Meanwhile, in view of the huge research space for expansion and deformation of lithium batteries when overcharged, lithium batteries tend to have many internal chemical reactions before and after expansion to release a large amount of heat (Wang et al., 2014; Yan et al., 2018; Zla, et al., 2020; Maleki and Howard, 2006; Shin et al., 2002). The higher the temperature, the more obvious is the bulging degree of battery. If not controlled, it is easy to evolve into the phenomenon of lithium battery thermal runaway (Feng et al., 2017; Liang et al., 2021). Since the sensitivity of SNS structure with temperature change is insufficient in this study, the real-time monitoring of fine temperature changes cannot be performed using SNS structure (Chen et al., 2015). Therefore, the idea of



predicting the battery expansion degree by monitoring the variation of RI caused by surrounding temperature with SNS structure is proposed.

## MATERIALS AND METHODS

In order to improve RI sensitivity, the key point of SNS structural parameter optimization is to apply low-cost and easily accessible NaCl with concentration of 5–25%, instead of electrolyte solution to monitor the RI varying from 1.340 to 1.390 (Li et al., 2012; Wang et al., 2016). The schematic diagram of SNS structure sensing is shown in **Figure 1**.

In SNS structure, the single-mode fiber (SMF) is Corning SMF-28e with core diameter of 8.2 μm, cladding diameter of 125 μm, core RI of 1.45, and cladding RI of 1.444. Since the normalized power of SNS structure is higher when the length of NCF is a multiple of self-imaging period, the wavelength shift of the interference peak in the transmission spectrum can be easily observed at this time. And the smaller the NCF diameter, more energy will transmit into the surrounding liquid material in the form of evanescent wave (Wu et al., 2007; Tan et al., 2013). Besides, RI sensitivity is closely related to the sensing waveband. Therefore, SNS structure with higher RI sensitivity can be obtained within a certain waveband by continuously optimizing the geometric parameters of NCF.

At first, the initial diameter  $D_{core}$  of NCF is 125 μm, the appropriate initial length  $L_1$  of NCF is 15 mm obtained from the self-imaging period. Then, the diameter  $D_1$  is optimized according to RI sensitivity of SNS structure and the curve overlap of different RI in a certain diameter's transmission spectrum. The values of  $L_1$  and  $D_1$  are large, and RI sensitivity is not ideal at this moment, so it is called the initial rough optimization. For the secondary meticulous optimization, the length  $L_2$  is optimized based on the self-imaging period to achieve higher RI sensitivity of SNS structure when the diameter is  $D_1$ . On the premise of  $L_2$  and  $D_1$ , a smaller diameter  $D_2$  can be optimized again by analyzing RI sensitivity and the spectral line overlap phenomenon of transmission spectrum. Since SNS structure's self-imaging period is different with different NCF diameters, length optimization is carried out again on the basis

of  $D_2$ . Considering that  $L_2$  is already short, the value of optimized length  $L_3$  should be close to  $L_2$ , and then another diameter optimization can be avoided. After the geometrical parameters of NCF are finally determined, RI sensitivity is re-analyzed by changing waveband.

In addition, the effect of SMF parameters on RI sensitivity should also be considered. Then, the diameter of SMF and the difference of RI square between the core and cladding are finally simply analyzed according to the normalized frequency and numerical aperture.

## RESULTS AND DISCUSSION

### NCF First Roughly Parameter Optimization Process

The initial diameter 125 μm is a common and easily available diameter ( $D_{core}$ ) of NCF in SNS structure. RI of NCF's core ( $n_{core}$ ) changes with incident wavelength ( $\lambda$ ) and then  $n_{core}$  is 1.443989951 according to the Sellmeier function of **Eq. 1** when  $\lambda$  is 1550 nm (Malitson, 1965). Meanwhile, according to **Eq. 2** (Ma et al., 2014), the length ( $L$ ) of NCF is 14.556 mm when the number ( $P$ ) of self-imaging period is 1, which is close to the simulation result of SNS monitor value with finite difference beam propagation method (FD-BPM) in **Figure 2D**. As a result, the minimum self-imaging length is approximately 15 mm.

$$n_{core}^2(\lambda) = 1 + \frac{0.696\lambda^2}{\lambda^2 - 4.679 \times 10^{-3}} + \frac{0.408\lambda^2}{\lambda^2 - 1.351 \times 10^{-2}} + \frac{0.897\lambda^2}{\lambda^2 - 97.934}, \quad (1)$$

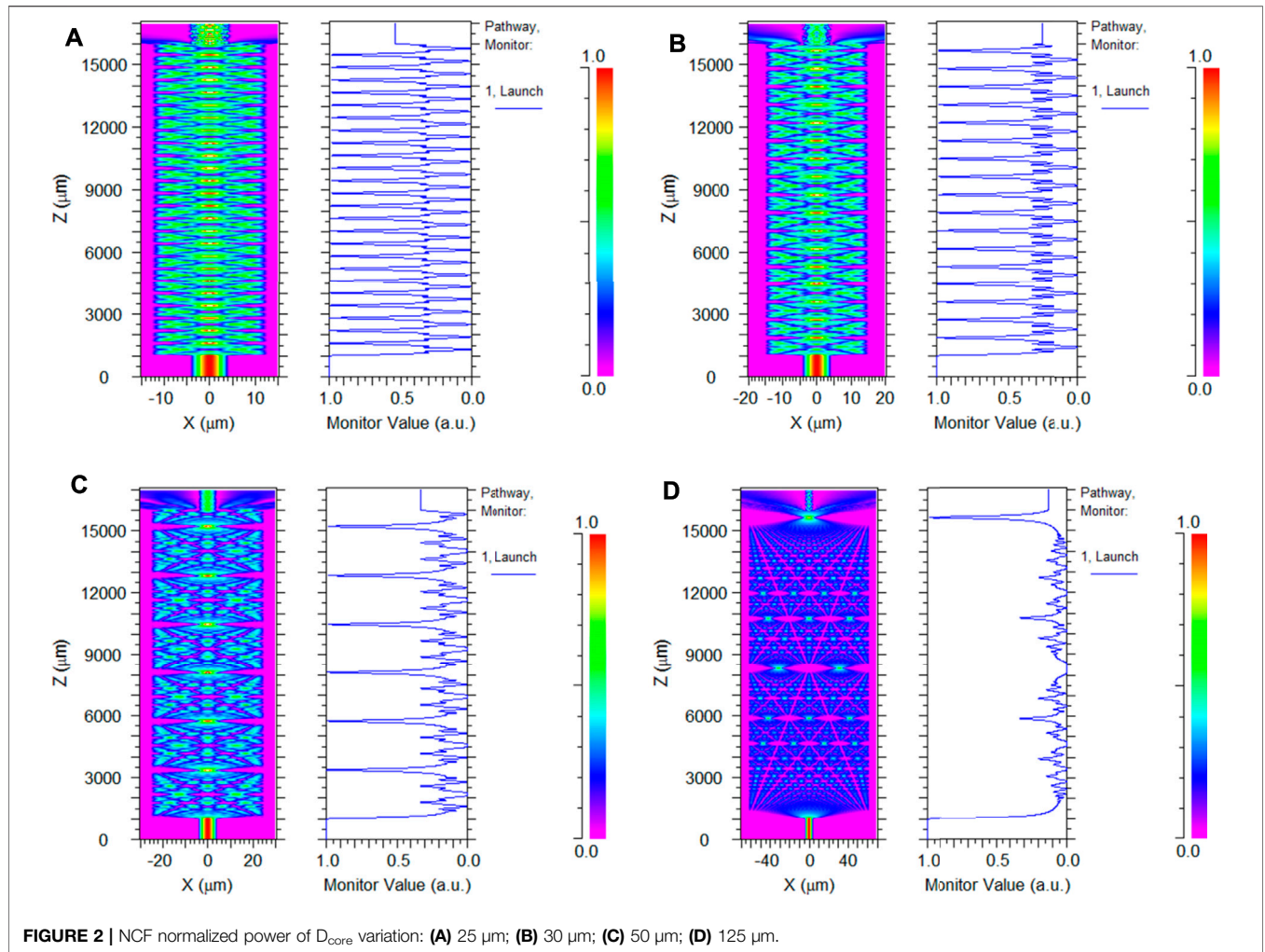
$$L = P \cdot \frac{n_{core} \cdot D_{core}^2}{\lambda}. \quad (2)$$

**Equation 2** shows that the self-imaging period increases with the increase in  $D_{core}$ , as shown in **Figure 2**. Since  $D_{core}$  involved in this article is less than 125 μm and  $L$  should meet the requirement that all fiber diameters mentioned have at least one self-imaging period within this length, then a multiple of 15 mm is an appropriate value and  $L_1$  is determined to be 15 mm.

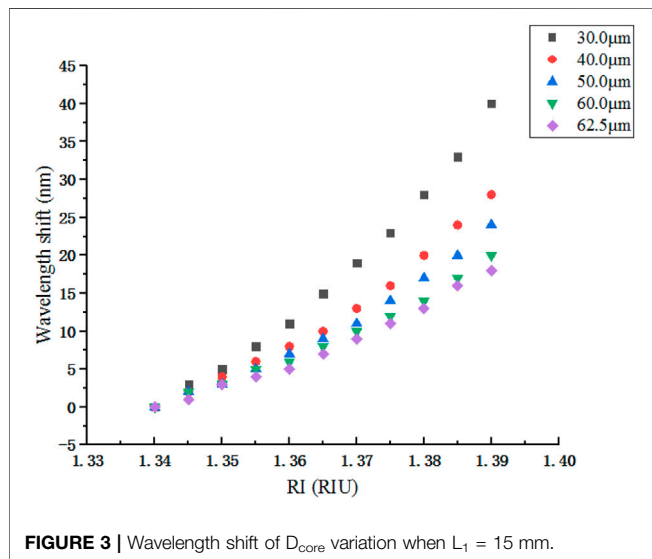
$L_1$  is set to be a constant, and  $D_{core}$  is yet to be optimized to obtain a higher RI sensitivity. RI is monitored according to wavelength shifts of interference peaks, and the diameter  $D_1$  value is determined by the relationship between  $D_{core}$  and RI sensitivity.

**Figure 3** shows the effect of  $D_{core}$  on RI sensitivity when the  $L_1$  value is 15 mm. Since the adjacent optimized diameter value varies greatly, it is difficult to find the same interference peak in a fixed waveband, but the general trend is the same, that is, the wavelength red shifts when RI increases, and RI sensitivity increases when  $D_{core}$  decreases. However, it is not that the smaller the  $D_{core}$ , the better will be the result. In the transmission spectrum of  $L_1$  shown in **Figure 4**, the smaller the diameter, the higher will be the overlap ratio of different interference peaks, then it is difficult to distinguish different peaks. Therefore,  $D_1$  is determined to be 30 μm according to **Figure 4**.

After preliminary parameter optimization,  $D_1$  is obtained and then the effect of length on RI sensitivity is roughly analyzed.



**FIGURE 2** | NCF normalized power of  $D_{core}$  variation: (A) 25  $\mu\text{m}$ ; (B) 30  $\mu\text{m}$ ; (C) 50  $\mu\text{m}$ ; (D) 125  $\mu\text{m}$ .

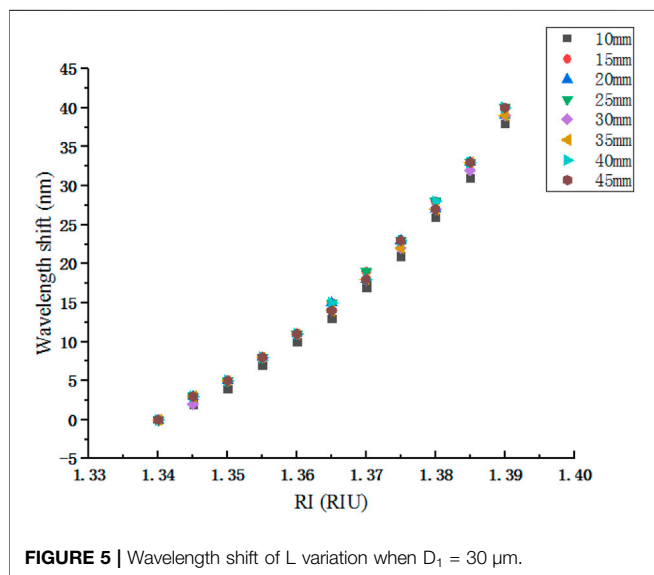
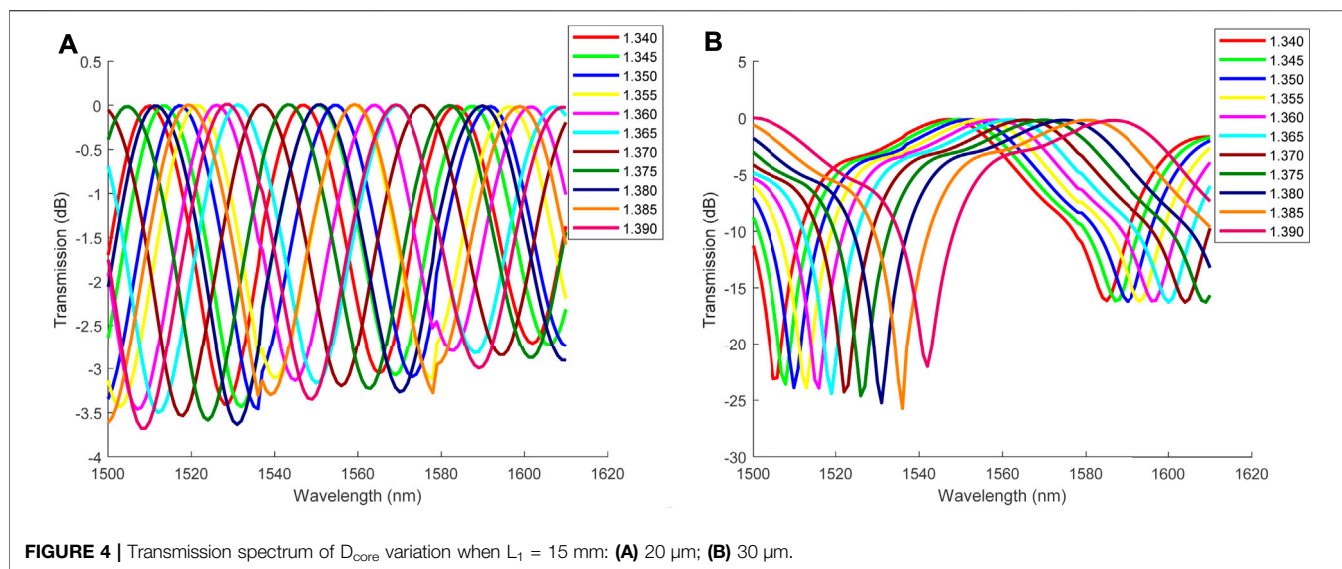


**FIGURE 3** | Wavelength shift of  $D_{core}$  variation when  $L_1 = 15$  mm.

**Figure 5** shows wavelength shifts of interference peaks with different lengths at  $D_1$ . It is worth noting that only appropriate but not the same interference peak is selected due to the large variation of length. The result indicated that the length has little effect on RI sensitivity when a diameter of NCF is relatively large. Then, in the next simulation process, we do not need to pay more attention to long length, just a few self-imaging periods is enough. Meanwhile, it proves that  $L_1$  is an appropriate value in the previous simulation. This is the first rough geometric parameter optimization process of NCF in SNS structure, and then  $L_1$  and  $D_1$  are finally optimized to be 15 mm and 30  $\mu\text{m}$ .

### NCF Second Precisely Parameter Optimization Process

$D_1$  is set to be a constant, the length  $L_2$  is yet to be optimized to make SNS structure achieve a higher RI sensitivity. The normalized power at  $D_1$  is shown in **Figure 2B**, and then a multiple of self-imaging period and its adjacent values are



selected to analyze the effect of NCF length on RI sensitivity, as shown in **Figure 6A**. Since there are many scattered points overlap in **Figures 6A,B** is the numerical refinement of partial RI range and linear fitting of RI sensitivity.

**Figure 6A** shows that RI sensitivity corresponding to  $L$  of 3.35 and 6.70 mm is basically the same and relatively high, but the interference peak is approximately 1,700 nm when  $L$  is 6.70 mm in **Figure 6C**, which is not in an ideal waveband. For small diameter, the shorter the length, the more difficult will be to find a suitable interference peak for monitoring. Therefore, 3.35 mm is abandoned and it is considered that the length should not be too short.

In **Figure 6B** and **Table 1** formed by linear fitting of scattered points, RI sensitivity obtained by taking the 4th, 8th, 12th, and 16th self-imaging period as  $L$  is basically identical, which is also applicable to the adjacent length of the 4th self-image period and

the 8th. Therefore, SNS structures with the same normalized power value in **Figure 2** have approximately consistent RI sensitivity. Although RI sensitivity of 3.40 mm is slightly higher than that of 6.80 mm, as mentioned before, the short length of 3.40 mm is abandoned in favor of 6.80 mm. Then, as shown in **Figure 6D**,  $L_2$  of 6.80 mm is not a multiple of self-imaging period but an adjacent value.

Then  $L_2$  is set to be a constant, and  $D_2$ , which is smaller than  $D_1$ , is yet to be optimized to obtain higher RI sensitivity of SNS structure. Because the smaller the NCF diameter, the more overlap occurs in the transmission spectrum. Therefore, during the re-optimization of  $D_{\text{core}}$ ,  $16 \mu\text{m}$  is selected as the minimum optical diameter of NCF. **Figure 7** shows that  $16 \mu\text{m}$  can achieve higher RI sensitivity.

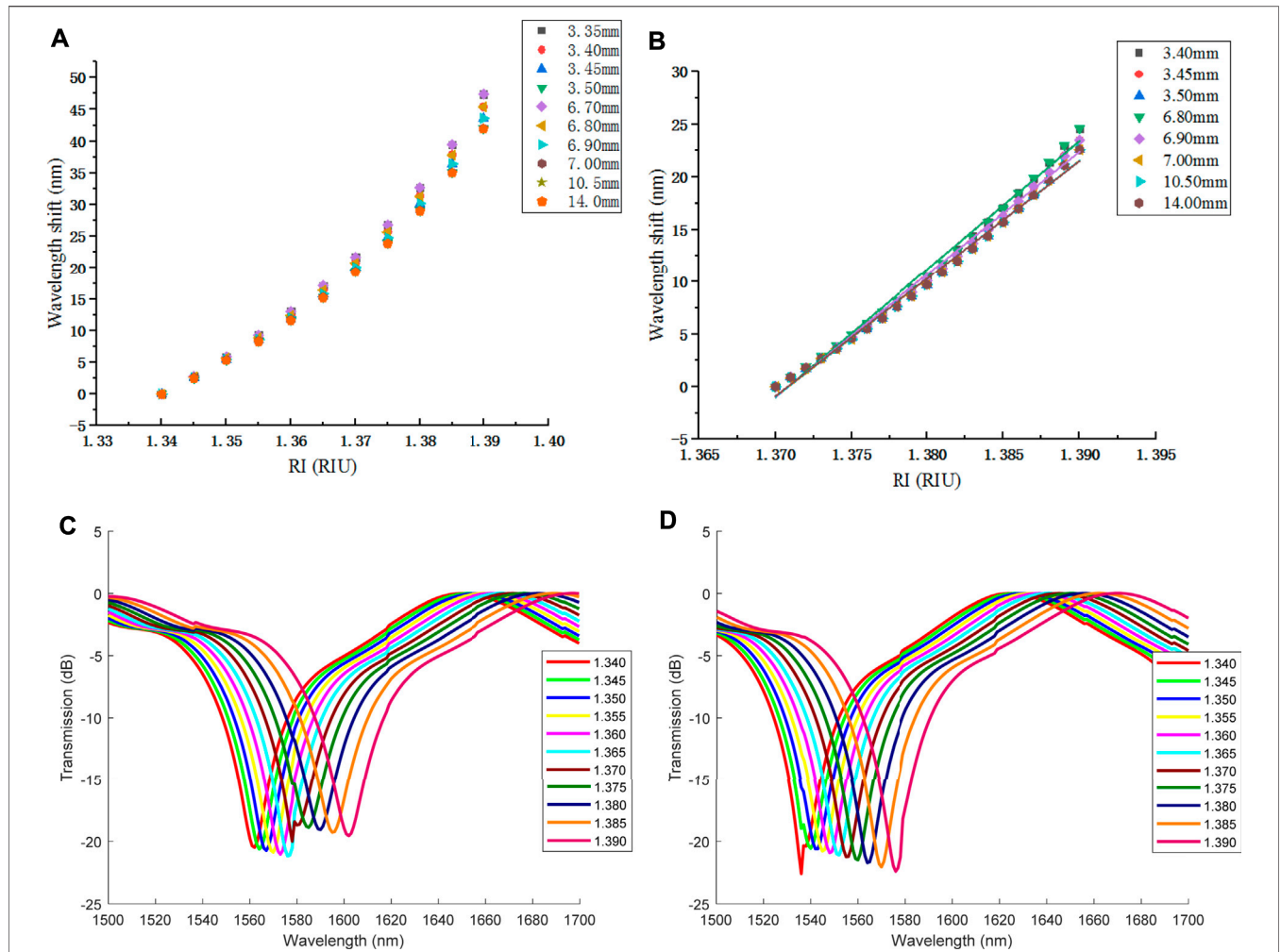
However, in **Figure 8A**, there is still so much overlap that it is not easy to distinguish a complete interference peak when  $D_{\text{core}}$  is  $16 \mu\text{m}$ . And the same as  $18 \mu\text{m}$ , then  $D_2$  is optimized to be  $20 \mu\text{m}$  according to **Figure 8B**.

$D_2$  is set to be a constant, and the appropriate length  $L_3$  is yet to be optimized by calculating the self-imaging period corresponding to  $D_2$  using **Eq. 2**. The length of the 18th self-imaging period is approximately 6.70 mm, which is close to  $L_2$ , so 6.70 mm is taken as the reference value for length optimization. In **Figure 9A**, adjacent lengths are also selected to find out the optimal length  $L_3$  with higher RI sensitivity.

When RI is in the range of 1.340–1.370, it can be seen from **Figure 9A** that the change in length has little effect on RI sensitivity. So, only the RI range of 1.370–1.390 is analyzed specifically in **Figure 9B**. Meanwhile, the wavelength values of interference peaks corresponding to RI of 1.370 are marked in **Table 2** obtained by linear fitting the data in **Figure 9B**. From **Table 2**, RI sensitivity is higher with  $L_3$  of 6.55 mm.

### Effects of Waveband

Sometimes, as shown in **Figure 10A**, the transmission spectrum contains more than one interference peak in the waveband of 1,500–1,700 nm. **Figure 9A** shows the wavelength monitoring



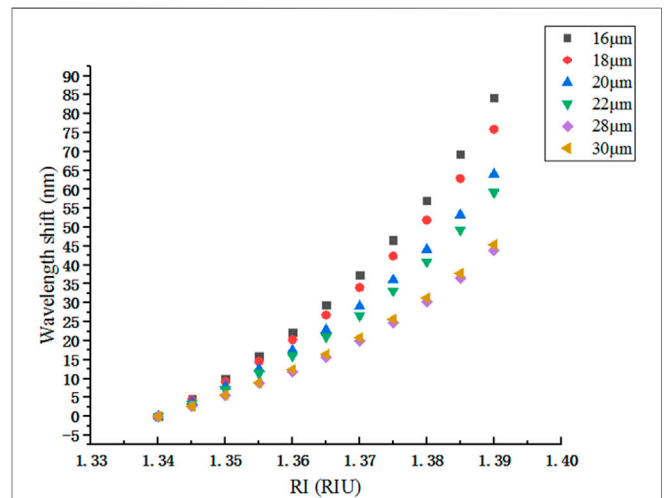
**FIGURE 6 |** RI sensitivity of self-imaging length variation when  $D_1 = 30 \mu\text{m}$ : **(A)** wavelength shift; **(B)** linear fitting; **(C)** transmission spectrum of 6.70 mm; **(D)** transmission spectrum of 6.80 mm.

**TABLE 1 |** Linear fitting of wavelength shift when  $D_1 = 30 \mu\text{m}$ .

L (mm)	Linear fitting	R <sup>2</sup>	Self-imaging period
3.40	$Y = 1222.59740x - 1675.97965$	0.99440	adjacent value
3.45	$Y = 1169.70260x - 1603.53203$	0.99431	adjacent value
3.50	$Y = 1122.85714x - 1539.23810$	0.99414	4th
6.80	$Y = 1221.29870x - 1674.20649$	0.99405	adjacent value
6.90	$Y = 1170.00000x - 1603.89524$	0.99421	adjacent value
7.00	$Y = 1,124.67532x - 1541.75871$	0.99426	8th
10.50	$Y = 1123.50649x - 1540.13896$	0.99411	12th
14.00	$Y = 1120.64935x - 1538.19134$	0.99418	16th

results of the interference peak with better RI sensitivity corresponding to each length. Therefore, the next step is to analyze the effect of waveband on RI sensitivity.

If the waveband is selected as 1,550–1,700 nm, only the five lengths of 6.55, 6.60, 6.65, 6.70, and 6.75 mm in **Figure 9A** can be used for complete RI monitoring, and RI sensitivity corresponding to  $L_3$  of 6.55 mm is higher. If the waveband is



**FIGURE 7 |** Wavelength shift of  $D_{\text{core}}$  variation when  $L_2 = 6.80 \text{ mm}$ .

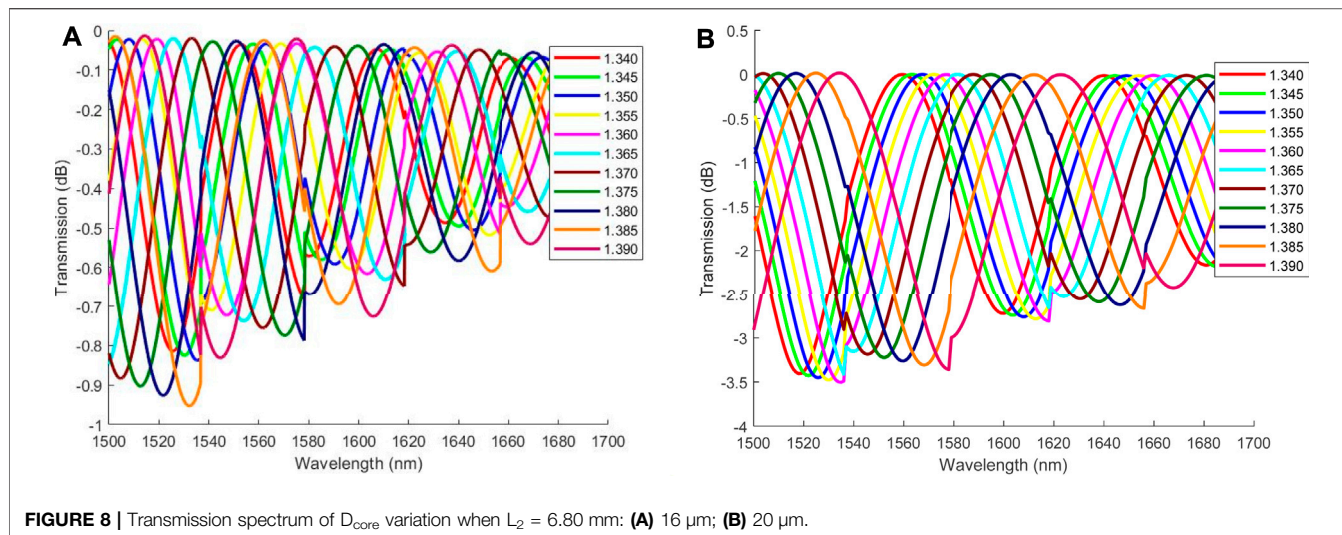


FIGURE 8 | Transmission spectrum of  $D_{core}$  variation when  $L_2 = 6.80$  mm: (A)  $16 \mu\text{m}$ ; (B)  $20 \mu\text{m}$ .

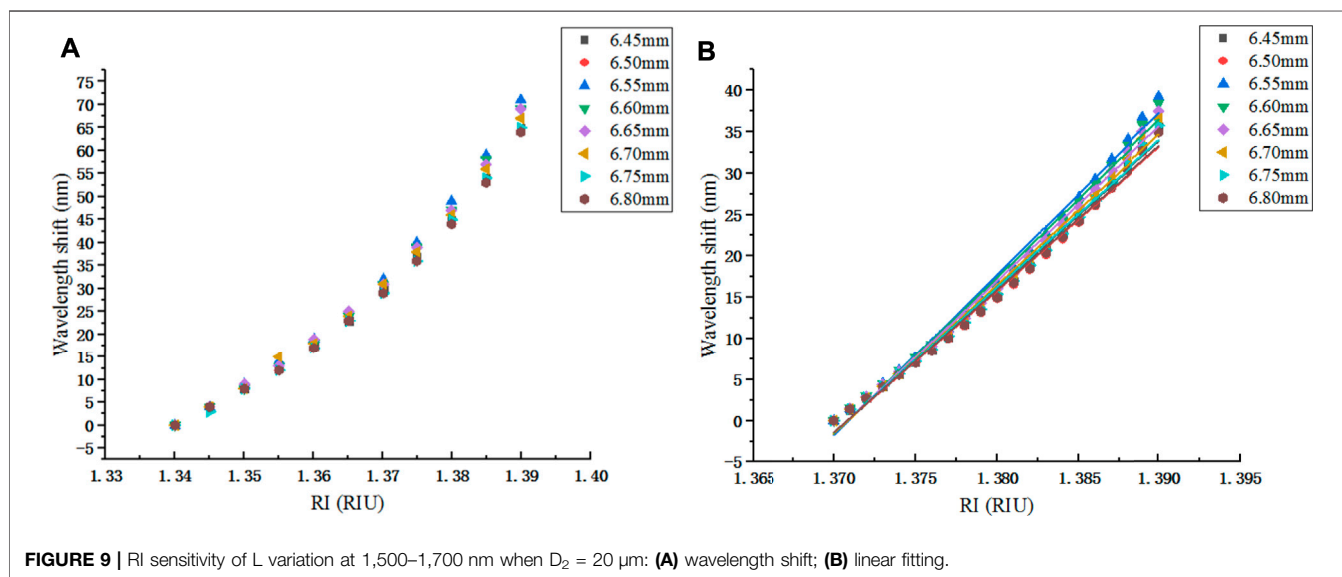


FIGURE 9 | RI sensitivity of  $L$  variation at  $1,500\text{--}1,700$  nm when  $D_2 = 20 \mu\text{m}$ : (A) wavelength shift; (B) linear fitting.

TABLE 2 | Linear fitting of wavelength shift at  $1,500\text{--}1,700$  nm.

L (mm)	Linear fitting	R <sup>2</sup>	Wavelength (nm)
6.45	$Y = 1767.40260x - 2422.87273$	0.99386	1594.7
6.50	$Y = 1726.62338x - 2366.91645$	0.99361	1580.9
6.55	$Y = 1949.87013x - 2673.07792$	0.99353	1656.3
6.60	$Y = 1900.25974x - 2604.94892$	0.99353	1642.1
6.65	$Y = 1856.62338x - 2545.11169$	0.99401	1628.2
6.70	$Y = 1810.77922x - 2482.35152$	0.99343	1614.7
6.75	$Y = 1769.09091x - 2425.10260$	0.99389	1601.2
6.80	$Y = 1731.94805x - 2374.18355$	0.99424	1588.0

$1,500\text{--}1,650$  nm, RI sensitivity is shown in Figure 11A. Similarly, the RI range of  $1.370\text{--}1.390$  is analyzed in Figure 11B.

Table 3 obtained by Figure 11B indicates that RI sensitivity is relatively higher when  $L_4$  of NCF is  $6.75$  mm. The wavelength values with RI of  $1.370$  are marked in Table 3.

Tables 2, 3 show that different wavebands limit the appearance of different interference peaks, thus affecting RI sensitivity of different lengths. In order to analyze the reason of higher RI sensitivity when the length of NCF is a certain value, the RI is set to  $1.370$  and wavelength is fixed to  $1,656.3$  and  $1,601.2$  nm, the self-imaging phenomenon is shown in Figures 12A,B,  $L_3$  of  $6.55$  mm in Table 2, and  $L_4$  of  $6.75$  mm in Table 3 are at the maximum normalized power in Figures 12A,B, so they are also consistent with the previous statement that length is related to the self-imaging period.

By comparing and analyzing  $L_3$  and  $L_4$  in Figures 12C,D, the results can be obtained that the RI sensitivity of  $L_3$  and  $L_4$  is approximately  $1,068.7$  and  $980.3$  nm/RIU when the RI range is  $1.340\text{--}1.370$ , approximately  $1949.9$  and  $1769.1$  nm/RIU at  $1.370\text{--}1.390$ . Because the higher the surrounding RI, the greater is the effect on RI sensitivity. Therefore, the scattered points in Figure 12D are fitted linearly again in Figures 12E,F.

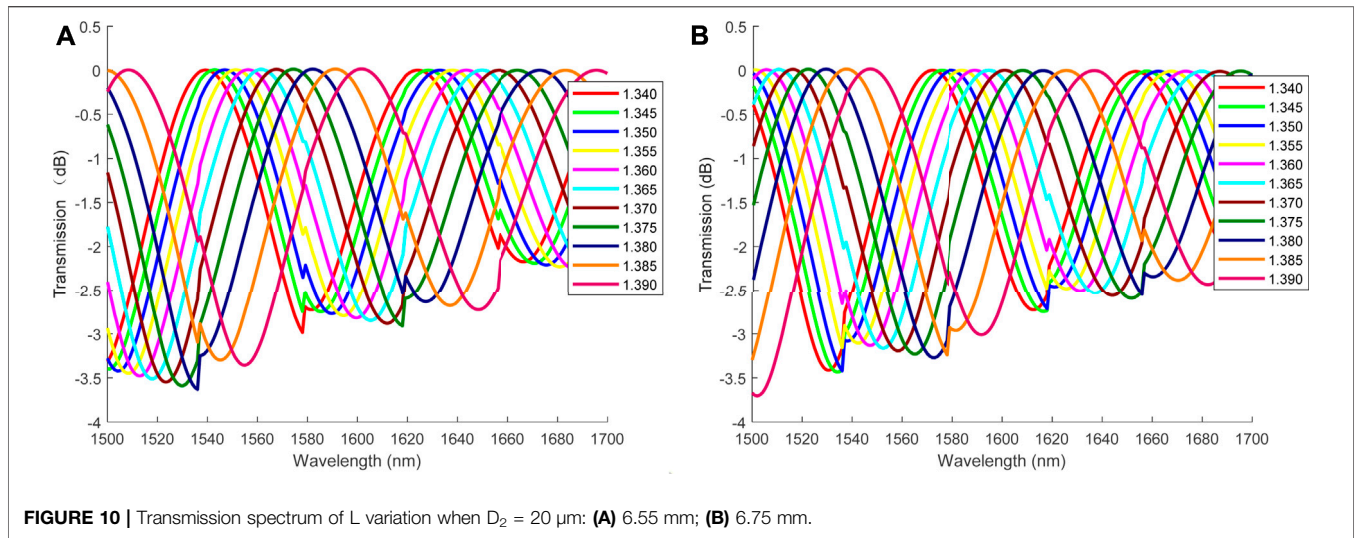


FIGURE 10 | Transmission spectrum of L variation when  $D_2 = 20 \mu\text{m}$ : (A) 6.55 mm; (B) 6.75 mm.

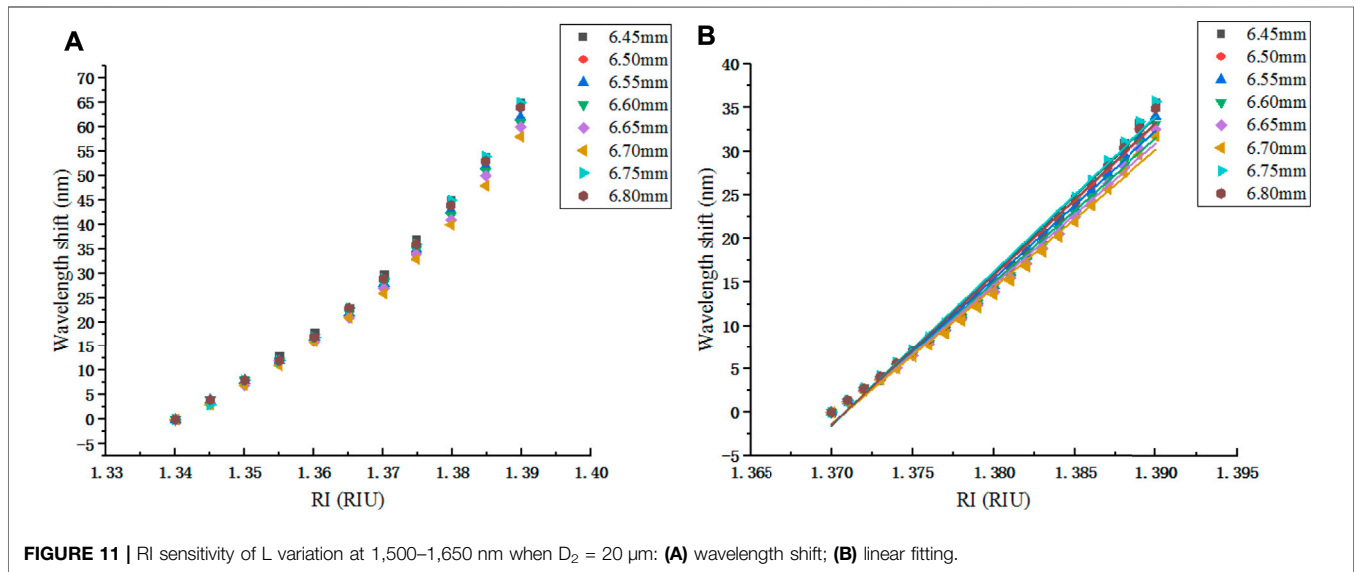


FIGURE 11 | RI sensitivity of L variation at 1,500–1,650 nm when  $D_2 = 20 \mu\text{m}$ : (A) wavelength shift; (B) linear fitting.

TABLE 3 | Linear fitting of wavelength shift at 1,500–1,650 nm.

L (mm)	Linear fitting	R <sup>2</sup>	Wavelength (nm)
6.45	$Y = 1767.40260x - 2422.87273$	0.99386	1594.7
6.50	$Y = 1726.62338x - 2366.91645$	0.99361	1580.9
6.55	$Y = 1687.01299x - 2312.62554$	0.99353	1567.4
6.60	$Y = 1646.36364x - 2256.94848$	0.99400	1554.2
6.65	$Y = 1610.77922x - 2208.11342$	0.99388	1541.1
6.70	$Y = 1574.28571x - 2158.09524$	0.99418	1528.3
6.75	$Y = 1769.09091x - 2425.10260$	0.99389	1601.2
6.80	$Y = 1731.94805x - 2374.18355$	0.99424	1588.0

RI varies from 1.380 to 1.390 and then RI sensitivity is approximately 2,252.7 nm/RIU when waveband is 1,550–1,700 nm and  $L_3$  is 6.55 mm. Similarly, the RI sensitivity is approximately 2037.3 nm/RIU when waveband is 1,500–1,650 nm and  $L_4$  is 6.75 mm. The resolution is  $4.4 \times$

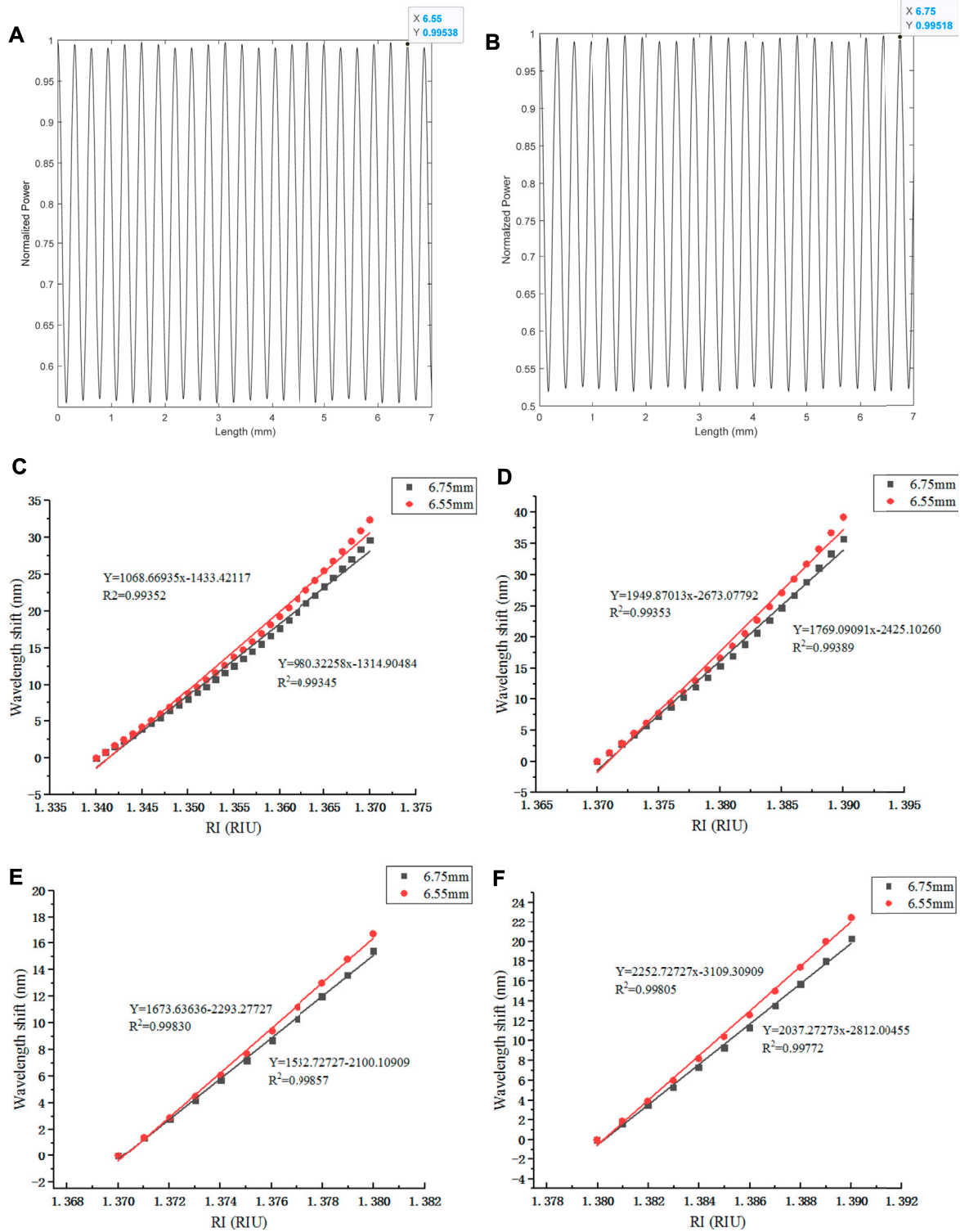
$10^{-5}$  and  $4.9 \times 10^{-5}$ , respectively. This is the whole process of NCF' parameter optimization to obtain higher RI sensitivity.

### SMF Parameter Optimization Process

After NCF optimization is completed, SMF parameter optimization is carried out. According to the guide mode cutoff condition in Eq. 3, in order to ensure that there is only one mode that exists in SMF, it is necessary to make the normalized frequency  $V < 2.405$ .

$$V = \left(\frac{2\pi}{\lambda_0}\right)a\sqrt{n_1^2 - n_2^2} = k_0 a n_1 \sqrt{2\Delta} \quad (3)$$

$n_1$  and  $n_2$  are the RI of core and cladding,  $k_0$  is the number of light waves in vacuum,  $a$  is the diameter of core,  $\lambda_0$  is wavelength in vacuum, and  $\sqrt{2\Delta}$  is numerical aperture (NA). Due to waveband needs to be considered and at least



**FIGURE 12 |** Comparison of NCF normalized power and RI sensitivity at L<sub>3</sub> and L<sub>4</sub>: **(A)** NCF normalized power of L<sub>3</sub>; **(B)** NCF normalized power of L<sub>4</sub>; **(C)** comparison of RI sensitivity at 1.340–1.370; **(D)** comparison of RI sensitivity 1.370–1.390; **(E)** comparison of RI sensitivity 1.370–1.380; **(F)** comparison of RI sensitivity 1.380–1.390.



one interference peak is in it, the waveband is determined to be 1,500–1,700 nm to further study  $a$ ,  $n_1$ , and  $n_2$  of SMF.

Because the core diameter is generally between 8 and 10  $\mu\text{m}$  and simulation is based on Corning SMF-28e, then the diameter varies from 8.20 to 9.00  $\mu\text{m}$  when SMF is optimized. NA indicates coupling efficiency which is related to  $n_1$  and  $n_2$ , so  $n_1$  is fixed at 1.45 and  $n_2$  varies in a small range from 1.444 to 1.449. Although the diameter and NA change, the transmission spectrum is basically the same as that in **Figure 10**. Therefore, the SMF remains Corning SMF-28e.

## CONCLUSION

The geometric parameters of NCF are continuously optimized to obtain higher RI sensitivity. The final diameter of NCF is 20  $\mu\text{m}$  when the RI range is 1.340–1.370 and 1.370–1.390, and RI sensitivity is approximately 1,068.7 and 1948.9 nm/RIU with the length of 6.55 mm, approximately 980.3 and 1769.1 nm/RIU with the length of 6.75 mm. Meanwhile, RI sensitivity can reach approximately 2,252.7 and 2037.3 nm/RIU when RI varies from 1.380 to 1.390, respectively. Although parameters of SMF are also considered to be optimized, the result shows that the effect on improving RI sensitivity of SNS structure can be ignored.

The structure optimization method proposed in this article can provide a reference for the optimal design of other mode interference structures. And SNS structure can have a great application prospect in monitoring battery expansion, especially when the surrounding RI is high.

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## DATA AVAILABILITY STATEMENT

The original contributions presented in the study are included in the article/Supplementary Material; further inquiries can be directed to the corresponding author.

## AUTHOR CONTRIBUTIONS

SX conceived the project. SX and ZW contributed to the analysis of the data. ZW, HY, and SJ performed the computations and wrote the article with support from JL and ZS. HY and SJ reviewed the article. All authors contributed to the scientific discussion and article revisions.

## FUNDING

This work was supported by the Youth Science Found Project of National Natural Science Foundation of China (NSFC) (61703090), Enterprise Postdoctoral Innovation Project Foundation of Tianjin City No. 2016; CNPC Bohai Drilling Engineering Company Project of Long-term Fiber Sensor Monitoring for Gas Storage under Grant No. CS201607K.

## ACKNOWLEDGMENTS

The authors thank all the staff of the Advanced Sensor Research Institute of Northeast Electric Power University for their help in carrying out this work.

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